

# **Evolution of Galactic Outflows at $z=0-2$ Revealed with SDSS, DEEP2, and Keck spectra**

**Yuma Sugahara**  
Tokyo, ICRR, D1

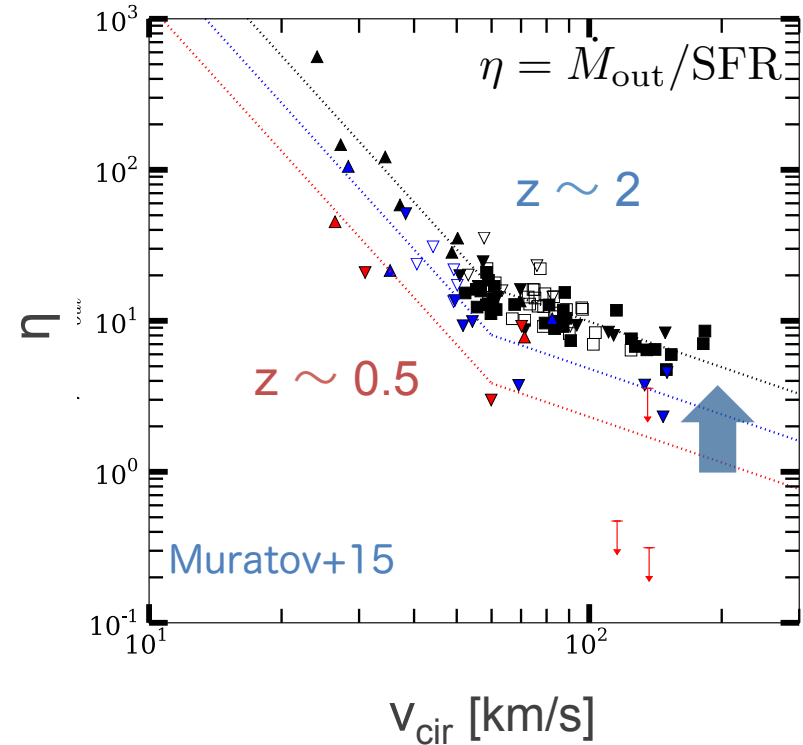
Collaborators:

**M. Ouchi** (Tokyo), **L. Lin** (ASIAA), **C. L. Martin** (California),  
**Y. Ono**, **Y. Harikane**, **T. Shibuya** (Tokyo), **R. Yan** (Kentucky)

# Introduction



## Numerical Simulation

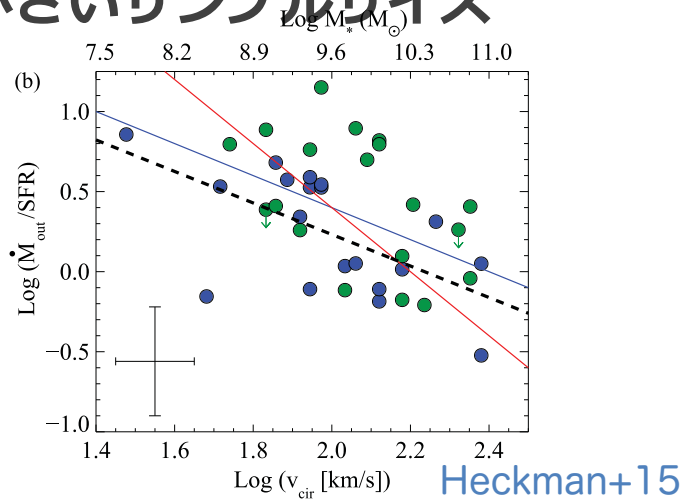


- ▶ Redshift evolution of outflow
- ▶ No observational results

# 現状の研究の問題点

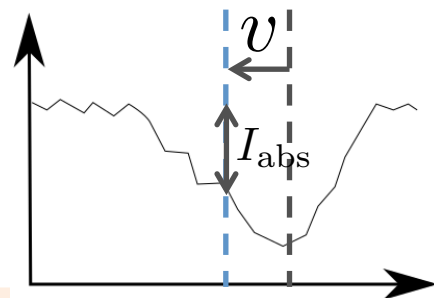
アウトフローの赤方偏移進化を探りたい

## 1. 小さいサンプルサイズ

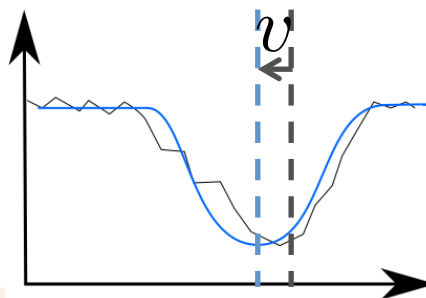


## 2. 不均一な測定法

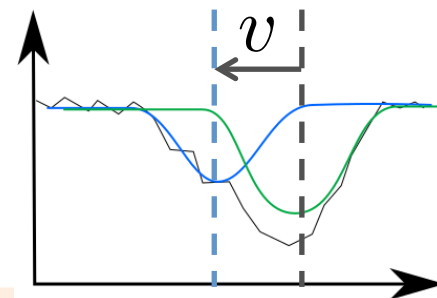
a. 非パラメータ法



b. 1成分法



c. 2成分法



# Purpose

## Purpose:

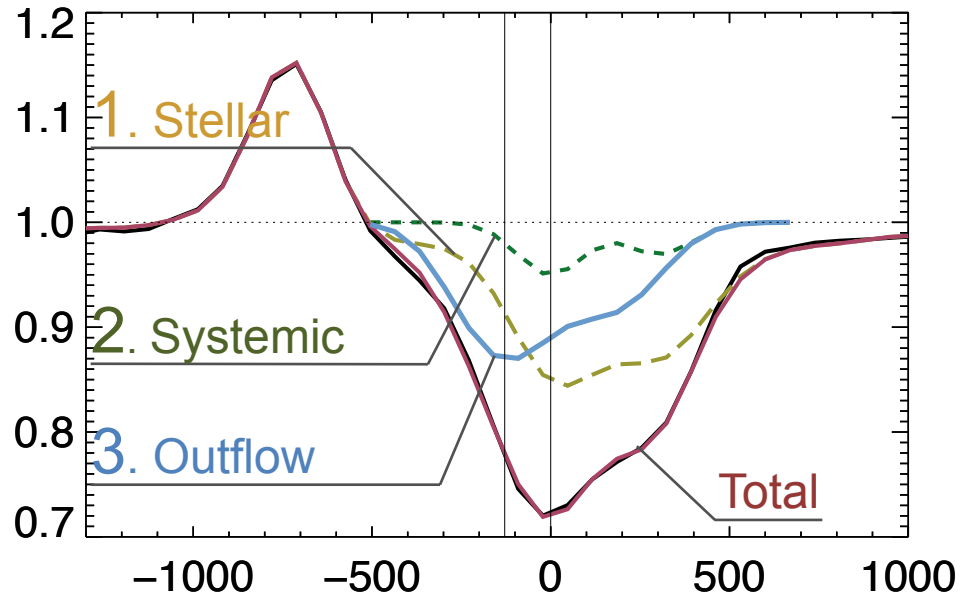
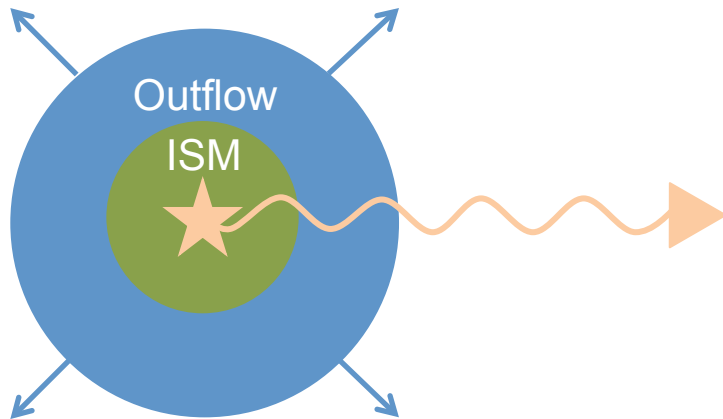
Study outflow of star-forming galaxies at  $z \sim 0-2$

## Method:

1. Large sample size
2. Same analysis
3. Same stellar mass range

# Analysis

## Three kinds of absorption



1. Stellar

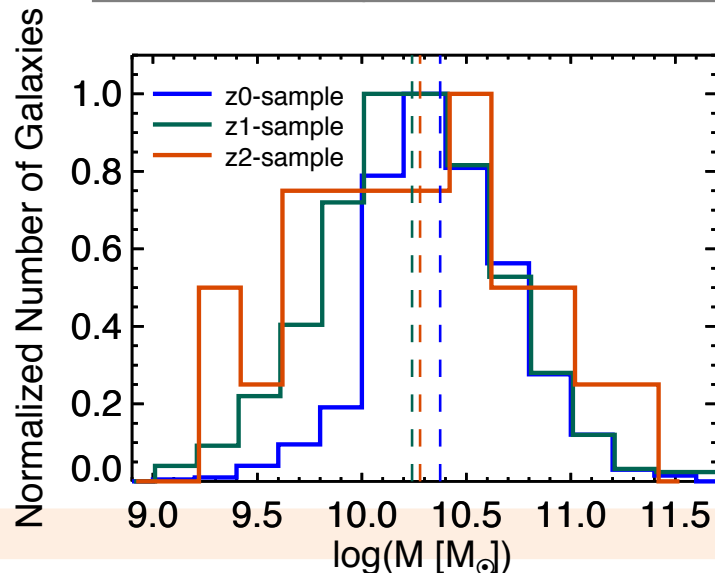
2. Systemic ... Absorption by ISM

3. Outflow ... Blueshifted absorption

# Samples

Large sets of optical spectra

Sample	z0-sample	z1-sample	z2-sample
Data	SDSS DR7	DEEP2 DR4	Erb+06b,c
z	$0.05 < z < 0.18$	$1.2 < z < 1.5$	$2.0 < z < 2.5$
Line	Na ID	Mg I, Mg II	C II, C IV
Number	785	1337	25



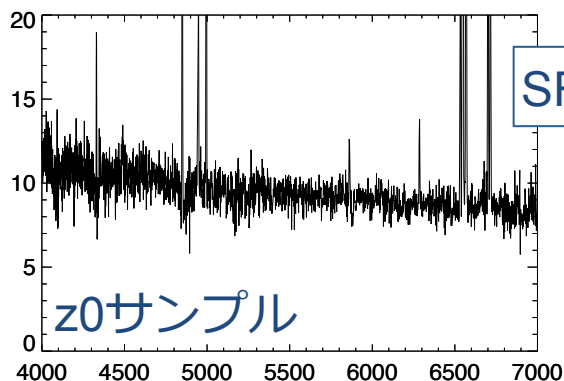
Compare absorption lines that have similar ionization energy (IE) and depths

$z \sim 0-1$  : NaID & MgI (IE  $\sim 5$  eV)

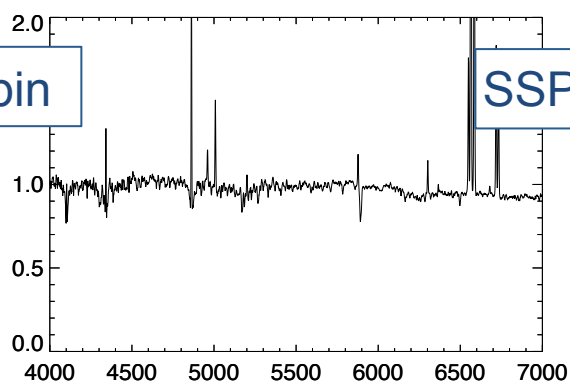
$z \sim 1-2$  : MgII & CII (IE  $\sim 20$  eV)

# Estimate outflow components

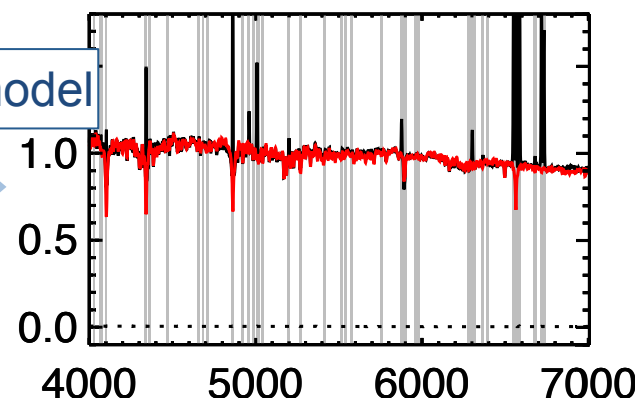
Individual spectra



Stacked spectra



Continua



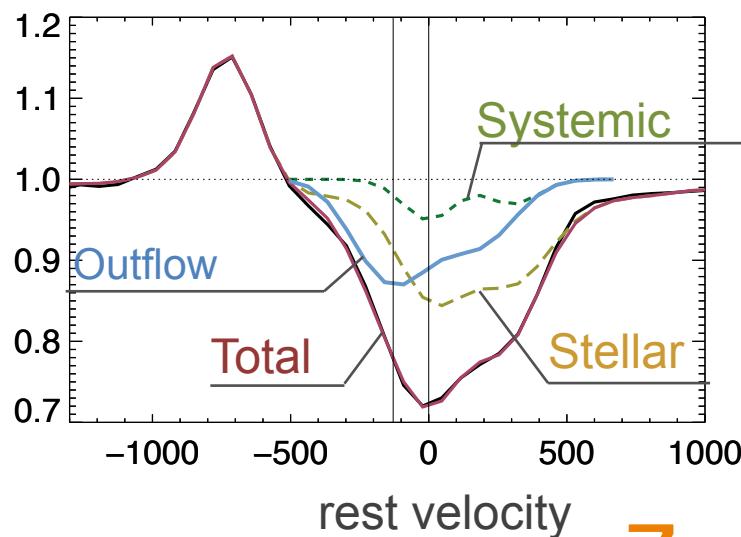
## Gas component (Outflow & Systemic)

- radiation transfer + covering factor ( $C_f$ )

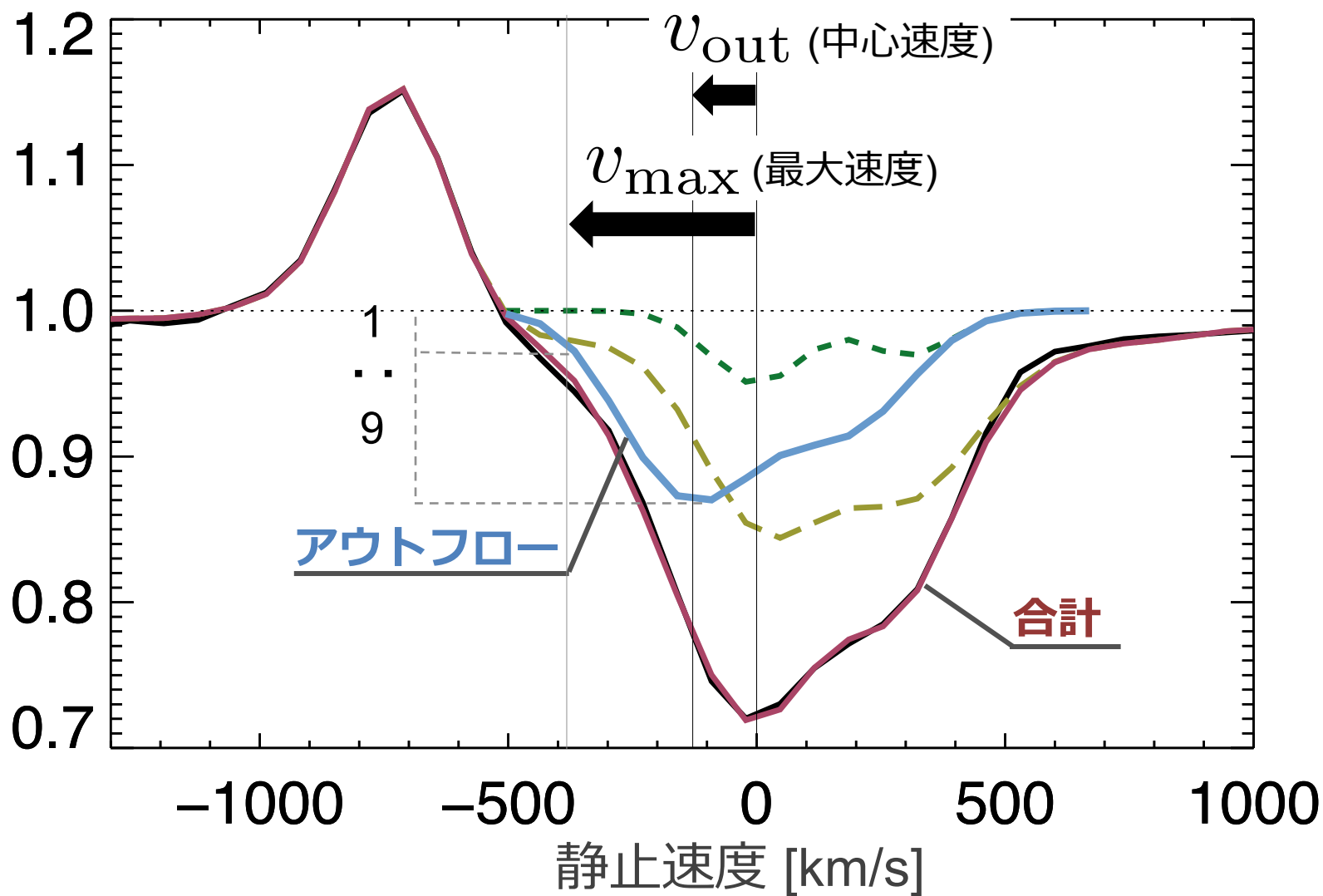
$$I = (1 - C_f)I_0 - C_f I_0 e^{-\tau}$$

- optical depth  $\rightarrow$  Gaussian

$$\tau(\lambda) = \tau_0 \exp\left(-\frac{(\lambda - \lambda_0)^2}{(\lambda_0 b/c)^2}\right)$$

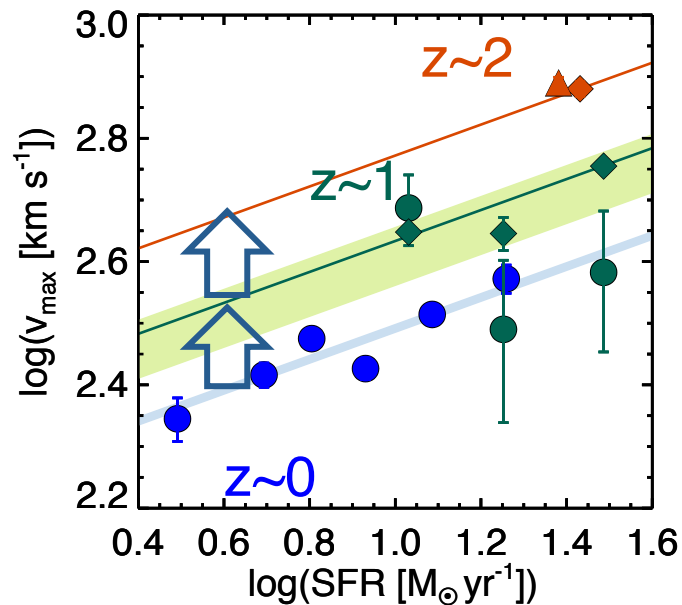


## 2種類のアウトフロー速度





# Redshift Evolution ( $v_{\text{out}}$ , $v_{\text{max}}$ )



$v_{\text{max}}$  : Increase at  $z \sim 0-2$

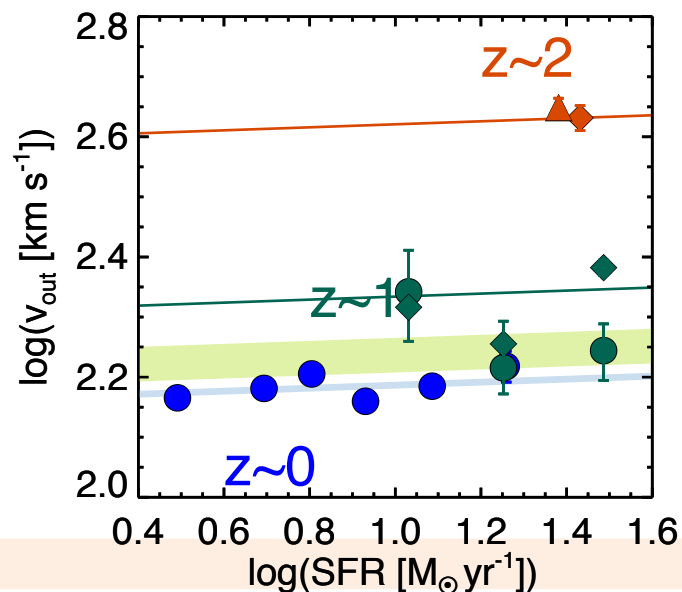
● → ●  $z = 0 \rightarrow 1$

◆ → ◆  $z = 1 \rightarrow 2$

$v_{\text{out}}$  : Increase at  $z \sim 0-2$

● → ●  $z = 0 \rightarrow 1$

◆ → ◆  $z = 1 \rightarrow 2$



**Outflow velocities increase with increasing redshift.**

# Mass Loading Factor $\eta$

## Standard outflow model

- Fitting results

$$C_f, v_{\text{out}}, N(X^n)$$

- Assumption

$R$ : inner radius of outflow (effective radius)

$\Omega$ : solid angle ( $4\pi$ )

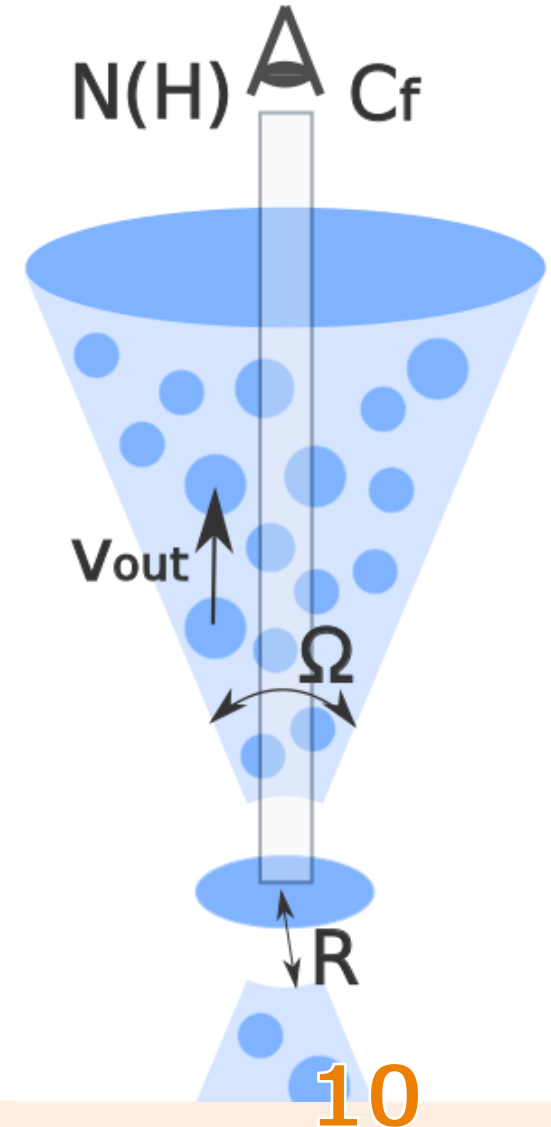
## Mass outflow rate

$$\dot{M}_{\text{out}} = \bar{m}_p \Omega C_f R N(H) v_{\text{out}}$$

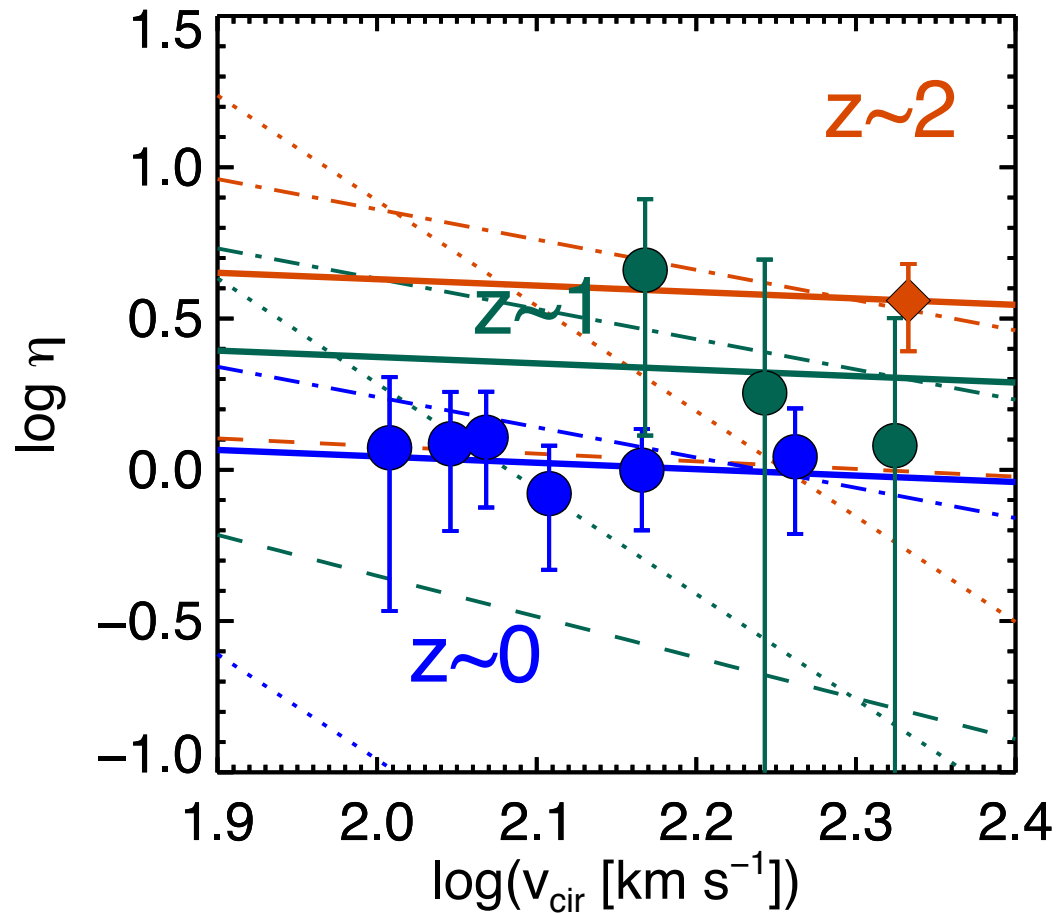
## mass loading factor

$$\eta = \dot{M}_{\text{out}} / \text{SFR}$$

representing efficiency of outflow



# Redshift evolution ( $\eta$ )



$\eta$  increase with increasing redshift

$$\eta \propto (1 + z)^{1.2 \pm 0.3}$$

# 赤方偏移進化の考察

仮定：  $M_{\text{out}}$  が銀河の  $M_{\text{gas}}^{\text{cold}}$  と比例

$$\eta = \frac{\dot{M}_{\text{out}}}{\text{SFR}} \propto \frac{M_{\text{gas}}^{\text{cold}} v_{\text{out}}}{\text{SFR}}$$

$$M_{\text{gas}}^{\text{cold}} \propto \frac{\eta \text{SFR}}{v_{\text{out}}}$$

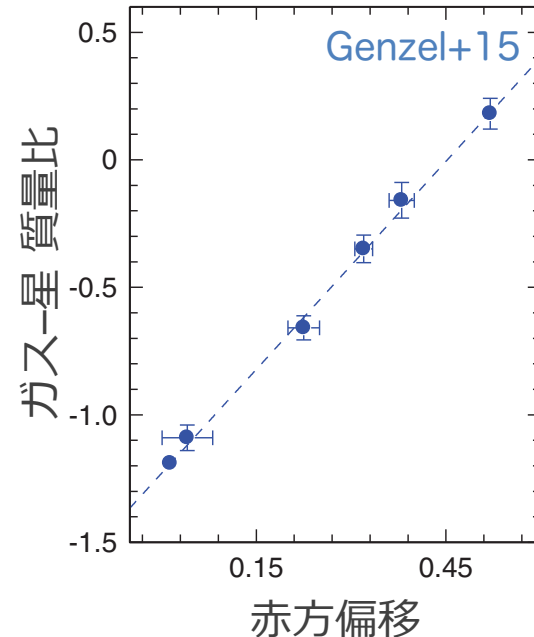
観測

**本研究** + 星形成率進化 [Speagle+14](#)

$\log(M_*/M_\odot)=10.5$ において

$$M_{\text{gas}}^{\text{cold}} \propto (1+z)^{3.4 \pm 0.7}$$

**独立な観測** (電波)



$$M_{\text{gas}}^{\text{cold}} \propto (1+z)^{2.7}$$

高赤方偏移の  $M_{\text{gas}}^{\text{cold}}$  の増加が鍵

# Explanation of Outflow Evolution

## Best-fit relation

$$v_{\max} \propto (1 + z)^{0.59 \pm 0.03}$$

## Analytical relation

Shibuya et al. 2015

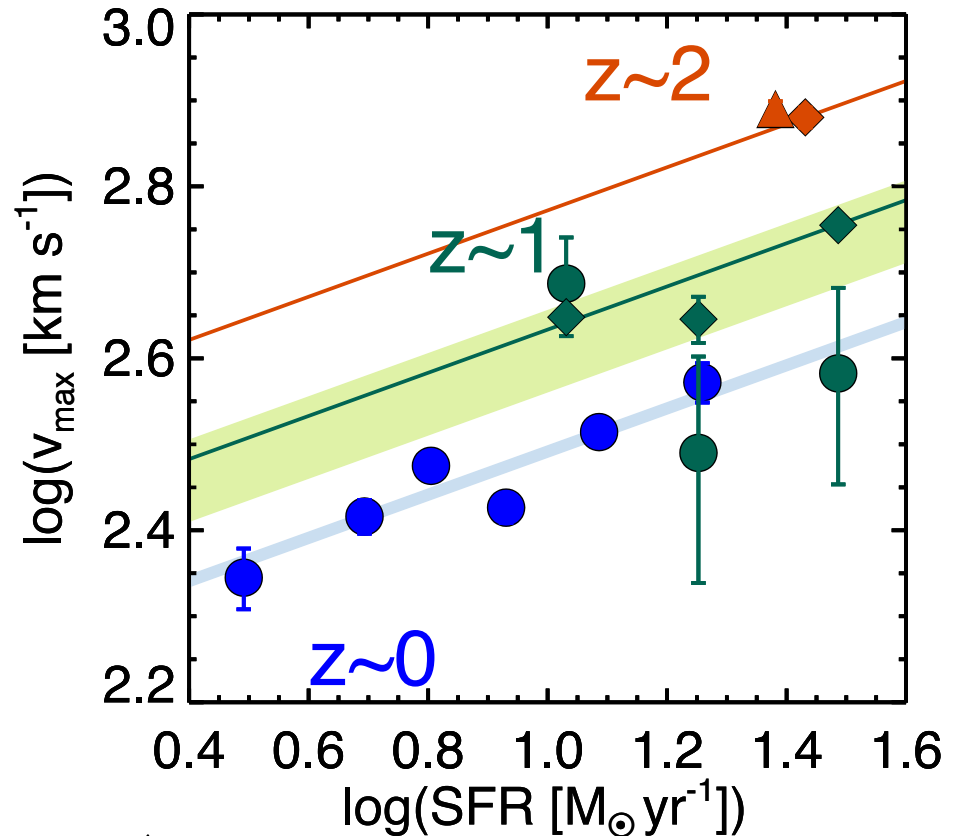
$$r \propto (1 + z)^{-1}$$

At fixed SFR,

$$\Sigma_{\text{SFR}} \propto (1 + z)^2$$

Heckman et al. 2016 ( $z \sim 0$ )

$$v_{\max} \propto \Sigma_{\text{SFR}}^{1/3} \propto (1 + z)^{2/3}$$



**Evolution may be explained by low- $z$  relation.**

# Summary

Sugahara et al. (submitted) arXiv:1703.01885

Purpose: Study redshift evolution of outflows

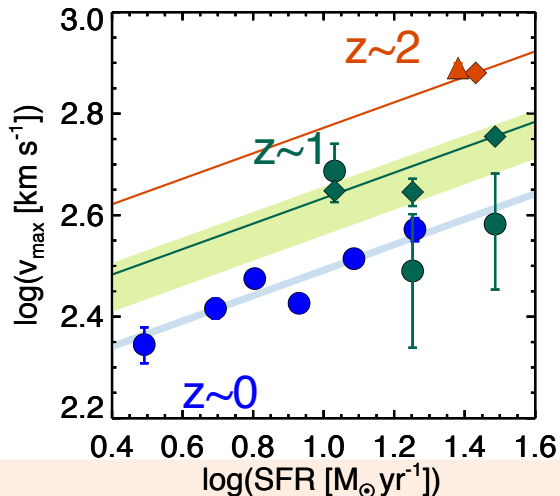
Methods: Use samples of star-forming galaxy at  $z \sim 0-2$

Derive **outflow velocity**  $v$  & **mass loading factor**  $\eta$

Results:

1.  $v$  &  $\eta$  increase at  $z \sim 0 \rightarrow 2$

2. explained by low- $z$  relation



Shibuya et al. 2015

$$r \propto (1+z)^{-1}$$

At fixed SFR,

$$\Sigma_{\text{SFR}} \propto (1+z)^2$$

Heckman et al. 2016

$$v_{\max} \propto \Sigma_{\text{SFR}}^{1/3} \propto (1+z)^{2/3}$$