

Work shop on Galaxy Evolution  
@ Ehime University  
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# Physical Properties of Molecular Gas in Nearby Barred Spiral Galaxies

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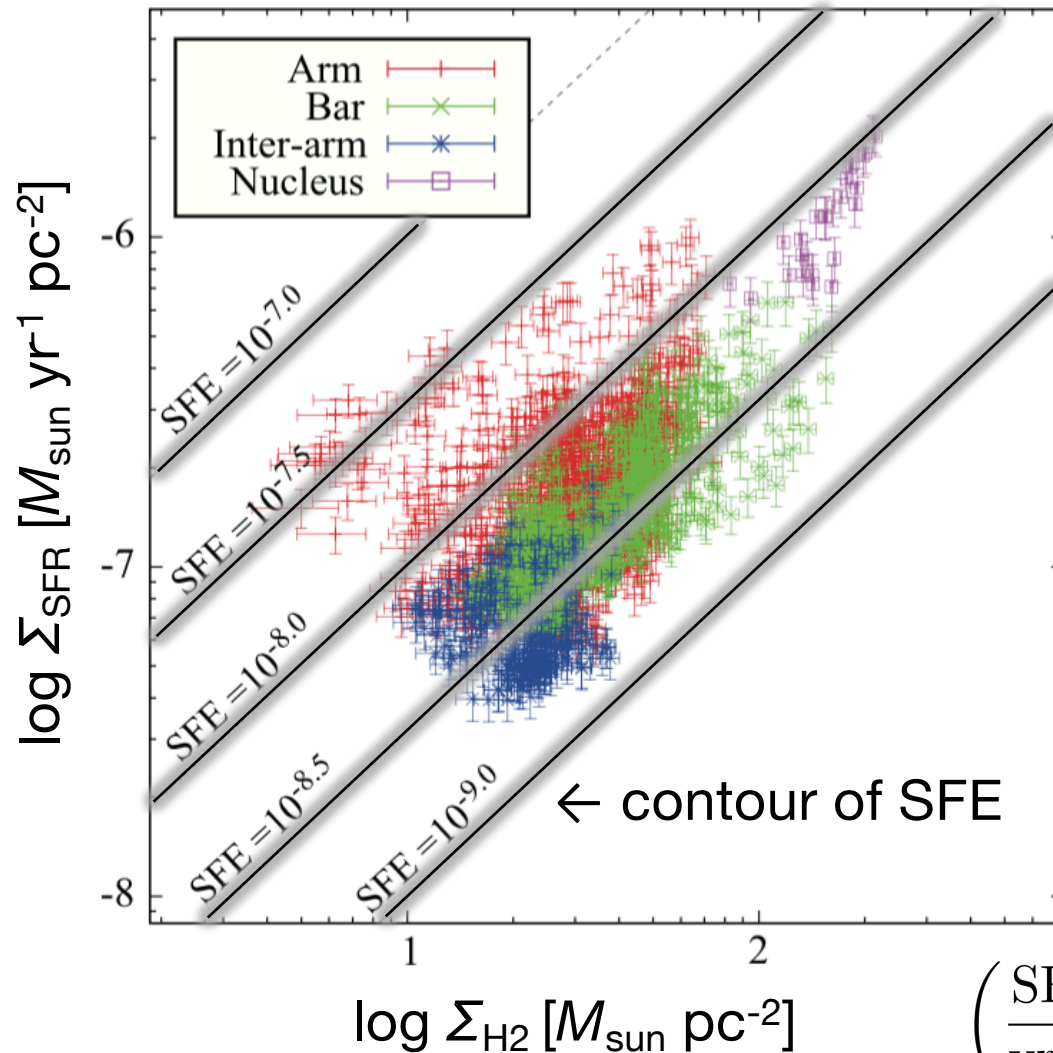
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& COMING members

# Star Formation in a Barred Spiral Galaxy

spatially resolved K-S plot  
(Momose+ 2010)



In the bar,

- plenty molecular gas
- little newborn stars  
(lower star formation rate; SFR)

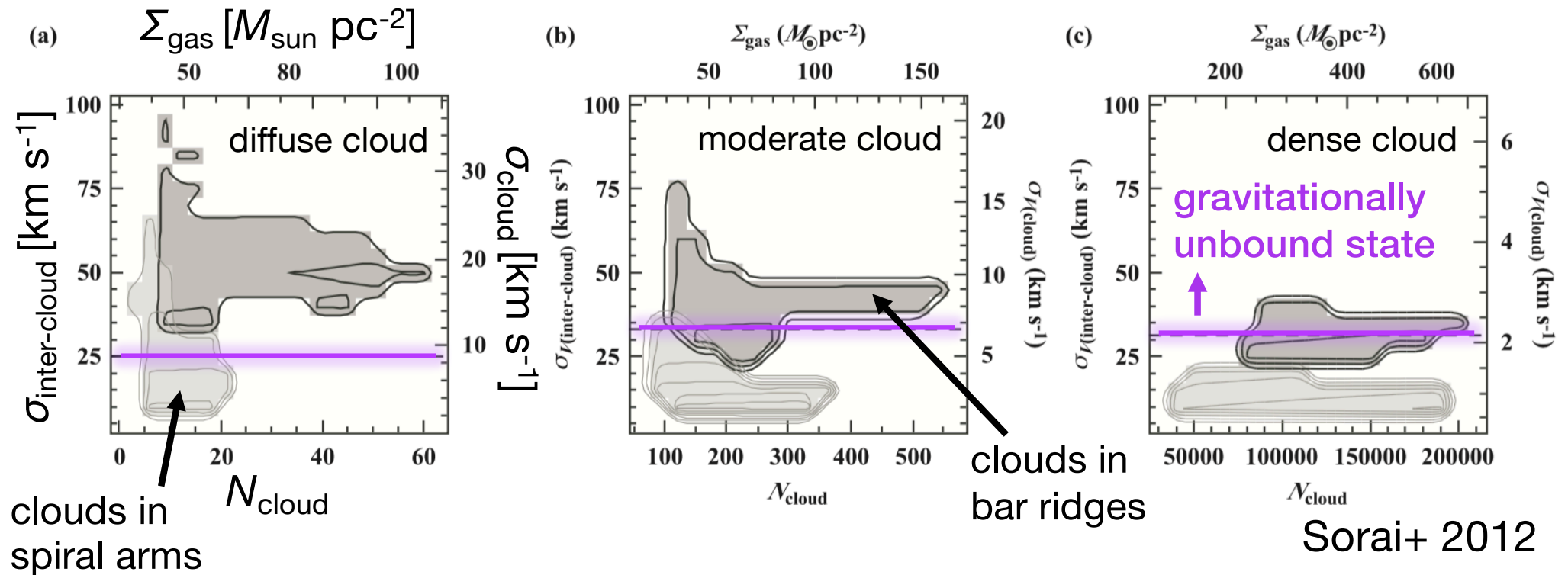


- difficult to form stars  
(lower star formation efficiency; SFE)

the definition of SFE

$$\left( \frac{\text{SFE}}{\text{yr}^{-1}} \right) = \left( \frac{\Sigma_{\text{SFR}}}{M_{\odot} \text{ yr}^{-1} \text{ pc}^{-2}} \right) / \left( \frac{\Sigma_{\text{gas}}}{M_{\odot} \text{ pc}^{-2}} \right)$$

# Molecular Gas in Ridges of the Bar



- ✓ Molecular clouds in bar ridges may be **gravitationally unbound**
- ✓ There are **few studies** derived physical properties of molecular gas in the bar because of difficulty
  - Does **lower density** condition of molecular clouds in the bar **suppress star formation?** (cause **lower SFE?**)

# Our observation - COMING project

- CO Multi-line Imaging of Nearby Galaxies

Sorai+ 2018 in prep

- A NRO Legacy Project

- Observation period Mar., 2014 – Apr., 2018

- Number of observed galaxies

# > 140 with NRO 45-m telescope, FOREST receiver

- Observed emission lines

$^{12}\text{CO}$  ( $J=1 \rightarrow 0$ ),  $^{13}\text{CO}$  ( $J=1 \rightarrow 0$ ),  $\text{C}^{18}\text{O}$  ( $J=1 \rightarrow 0$ )

with simultaneous observation

- Spatial resolution

$17''.4$  ( $^{12}\text{CO}$  ( $J=1 \rightarrow 0$ )),  $17''.9$  ( $^{13}\text{CO}$  ( $J=1 \rightarrow 0$ ),  $\text{C}^{18}\text{O}$  ( $J=1 \rightarrow 0$ ))

- Velocity resolution

10 km/s

COMING  
CO MULTI-LINE IMAGING OF NEARBY GALAXIES



# Archival data

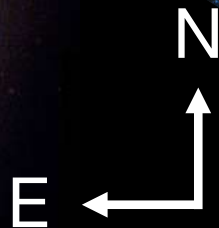
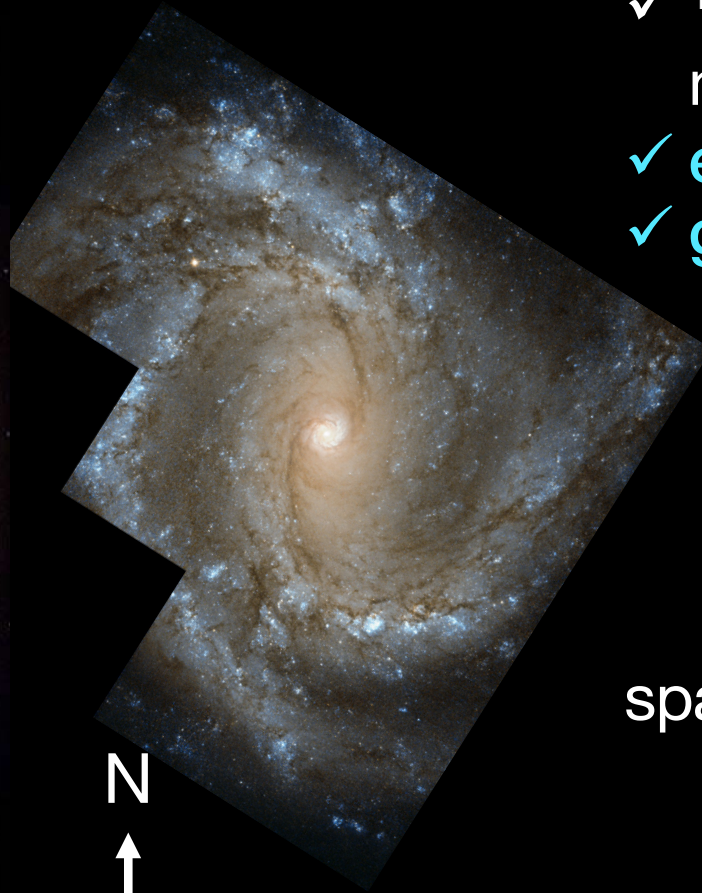
Line, Band	Telescope, Instrument
$^{12}\text{CO}$ ( $J=3\rightarrow 2$ ) line	James-Clerk-Maxwell Telescope (JCMT), HARP
Far UV ( $\lambda=1350\text{-}1750\text{\AA}$ ) band	GALEX
$24\mu\text{m}$ mid-IR band	Spitzer Space Telescope, MIPS



# Samples of barred spiral galaxies

NGC 3627

NGC 4303



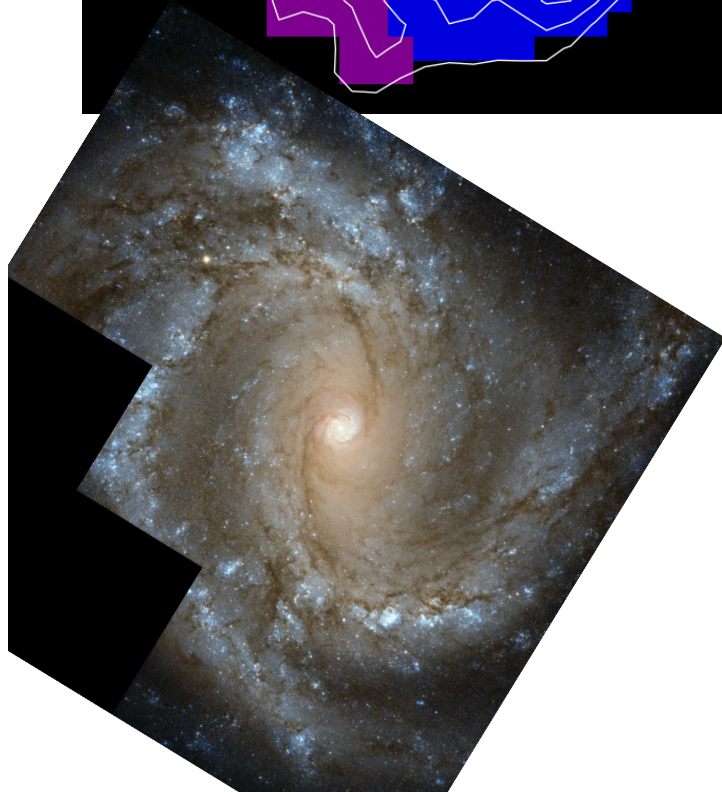
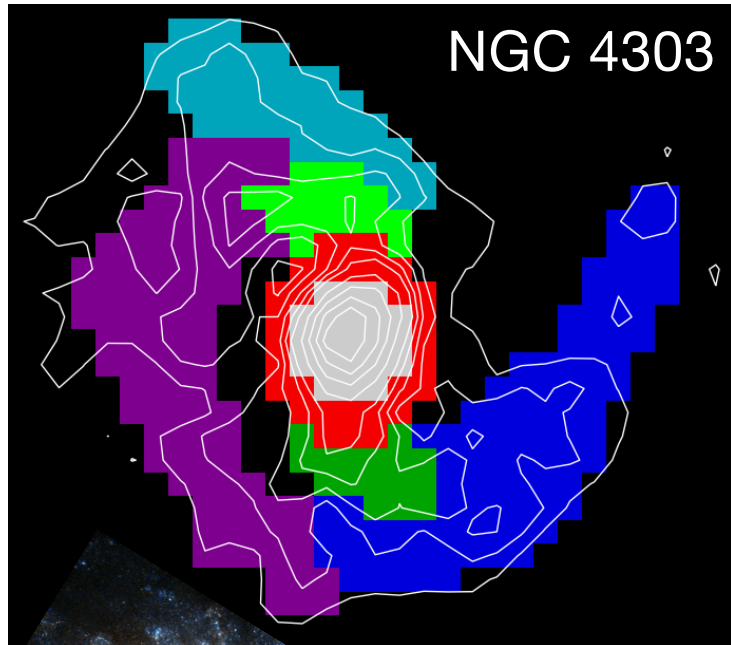
images by *HST*

- ✓  $^{12}\text{CO}(J=3\rightarrow 2)$  archival mapping data is available
  - ✓ **easy to recognize** the bar
  - ✓ **gas rich** in the bar
- make it **easy to discuss** properties of molecular gas in the bar

spatial resolution  $17''.4$

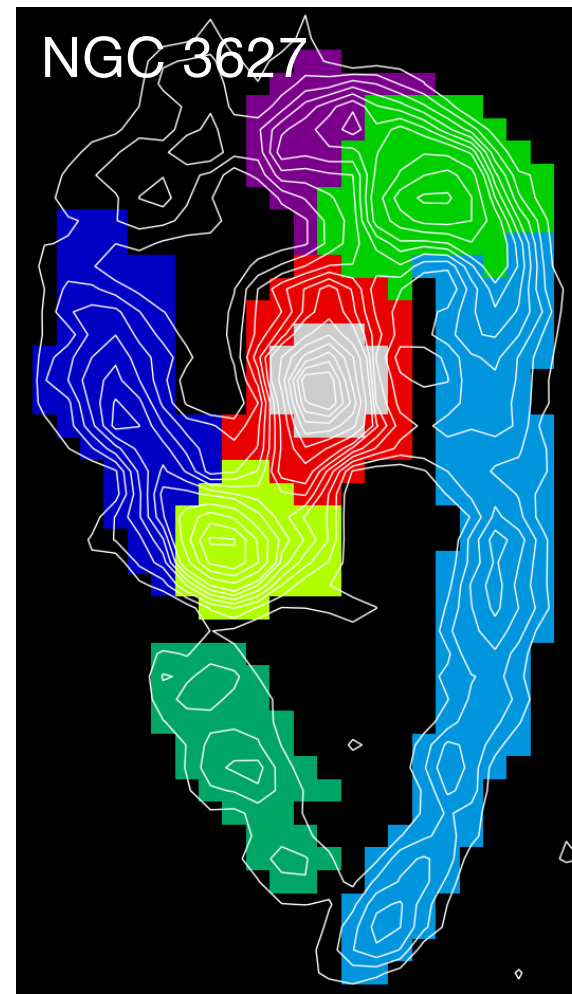
→ 0.76 kpc for NGC 3627  
1.6 kpc for NGC 4303

# Region separation



Arms, bar-ends & bar region are defined

We measured SFE,  $I_{12\text{CO}(1-0)} / I_{13\text{CO}(1-0)}$ ,  
 $I_{12\text{CO}(3-2)} / I_{12\text{CO}(1-0)}$  for each region





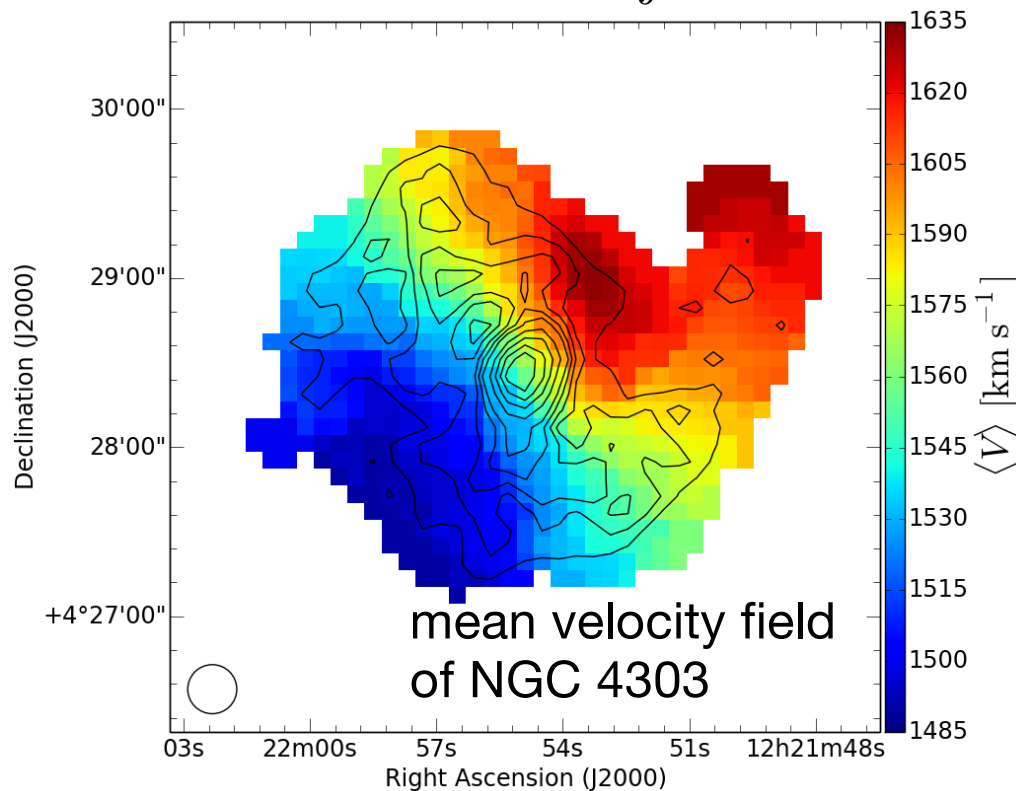
# Stacking analysis

$^{13}\text{CO}(J=1\rightarrow0)$  spectrum is  
**too noisy** to measure  $I_{^{13}\text{CO}(1-0)}$

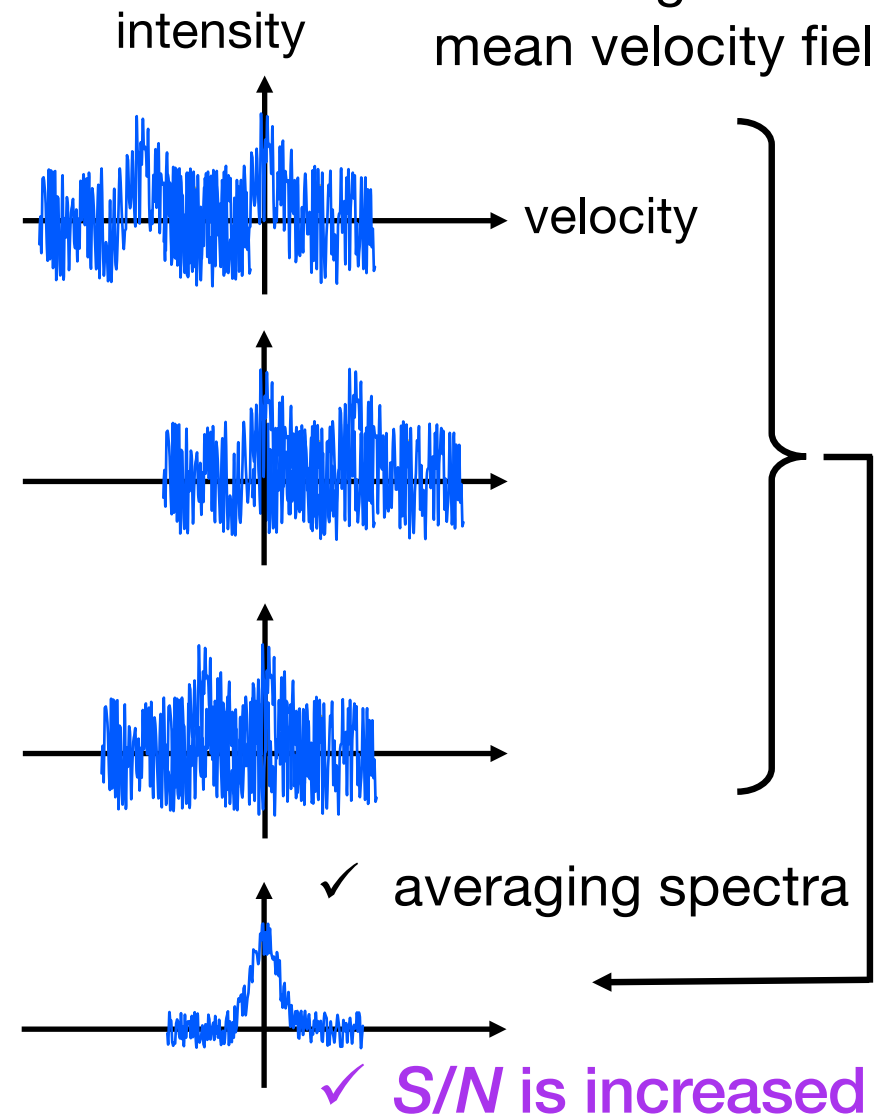


performed 'stacking analysis'  
(Schruba+ 2011)

$$\langle V \rangle = \int v T(v) dv / I$$



✓ shifting velocity  
according to  
mean velocity field





# Deriving molecular gas density & temperature

integrated intensity ratios

$$I_{12\text{CO}(1-0)} / I_{13\text{CO}(1-0)}$$

$$I_{12\text{CO}(3-2)} / I_{12\text{CO}(1-0)}$$

a code 'RADEX'  
(van der Tak+ 2007)  
for **non-LTE analysis**

number density  $n(\text{H}_2)$   
kinetic temperature  $T_{\text{kin}}$   
of molecular gas

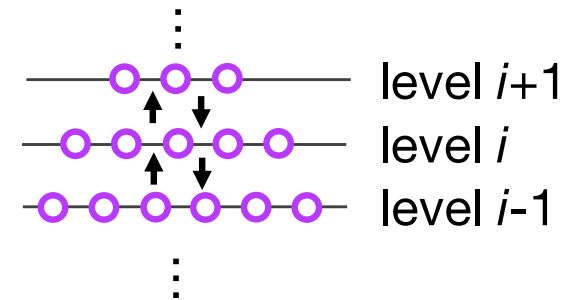
(LTE: Local Thermodynamic Equilibrium)

iteratively solve

- level population of the molecule at static state

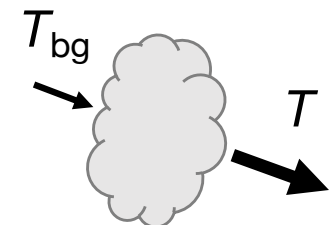
$$\frac{dn_i}{dt} = 0$$

$$= \sum_{i>j} [n_j(B_{ji}\bar{J} + C_{ji}) - n_i(A_{ij} + B_{ij}\bar{J} + C_{ij})] \\ + \sum_{i<j} [n_j(A_{ji} + B_{ji}\bar{J} + C_{ji}) - n_i(B_{ij}\bar{J} + C_{ij})]$$



- radiative transfer

$$\frac{dT}{d\tau} = -T + S$$



# Correction for '*beam dilution*' effect

For RADEX calculation,  $^{12}\text{CO}$  column density of **one cloud** is necessary

- an usual method for deriving column density

$$\left( \frac{\mathcal{N}_{^{12}\text{CO}}}{\text{cm}^{-2}} \right) = \left( \frac{I_{^{12}\text{CO}(1-0),\text{obs}}}{\text{K km s}^{-1}} \right) \cos i \times \left\{ \frac{X_{\text{CO}}}{\text{cm}^{-2} (\text{K km s}^{-1})^{-1}} \right\} \times \frac{[^{12}\text{CO}]}{[\text{H}_2]} \quad \Omega_c \ll \Omega_{\text{beam}}$$

However,

$$T_{\text{obs}} \simeq \frac{\Omega_c}{\Omega_{\text{mb}}} T_c < T_c \quad \leftarrow \text{so-called '**beam dilution**'}$$

column density will be **underestimated**

Hence,

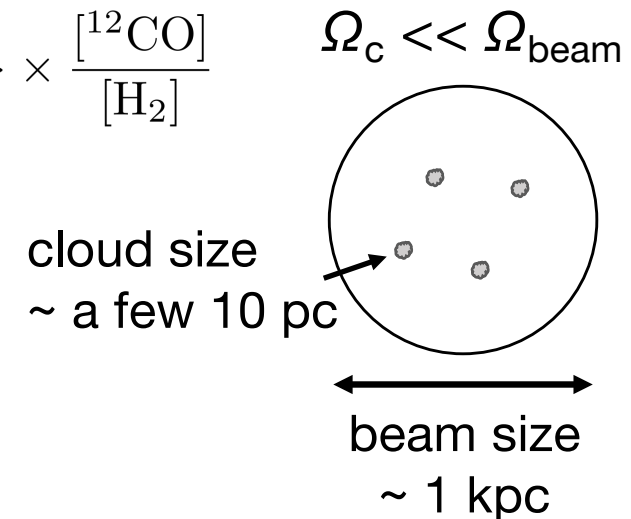
$$\left( \frac{\mathcal{N}_{^{12}\text{CO}}}{\text{cm}^{-2}} \right) = \left( \frac{I_{^{12}\text{CO}(1-0),\text{obs}}}{\text{K km s}^{-1}} \right) \cos i \times \frac{1}{\underline{\eta_f}} \times \left\{ \frac{X_{\text{CO}}}{\text{cm}^{-2} (\text{K km s}^{-1})^{-1}} \right\} \times \frac{[^{12}\text{CO}]}{[\text{H}_2]}$$

$\eta_f \equiv \Omega_c / \Omega_{\text{mb}}$  ; beam filling factor

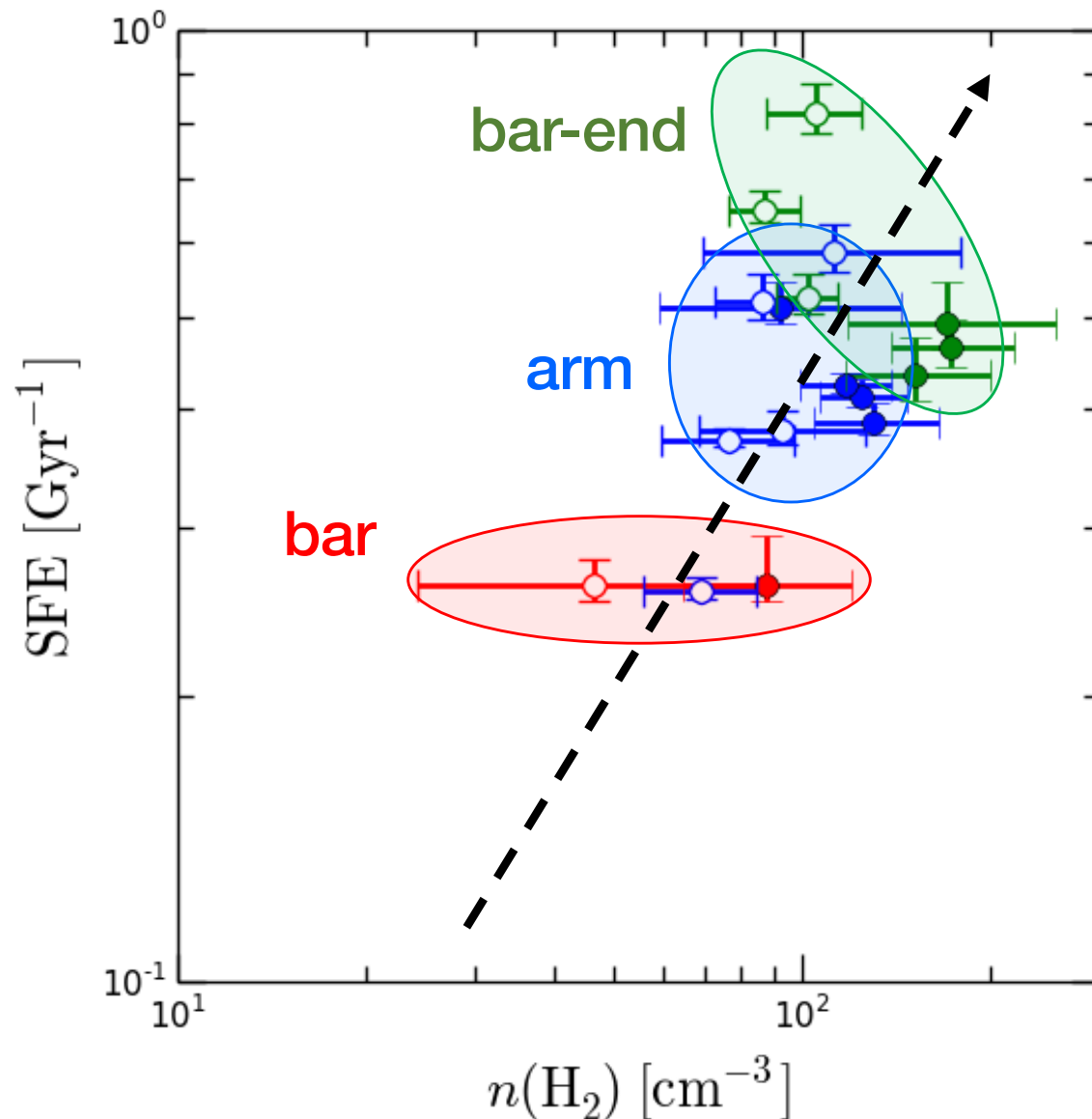
Considering  $\sigma_{\text{inter-cloud}}$ , the best value of  $\eta_f$  is determined when

$$\Delta\eta_f \equiv I_{^{12}\text{CO}(1-0),\text{obs}} \times \cos i / I_{^{12}\text{CO}(1-0),\text{cloud}} - \eta_f$$

becomes 0 with given  $\eta_f \rightarrow$  best beam filling factor



# SFE vs. Molecular Gas Density



open marker: NGC 3627  
filled marker: NGC 4303

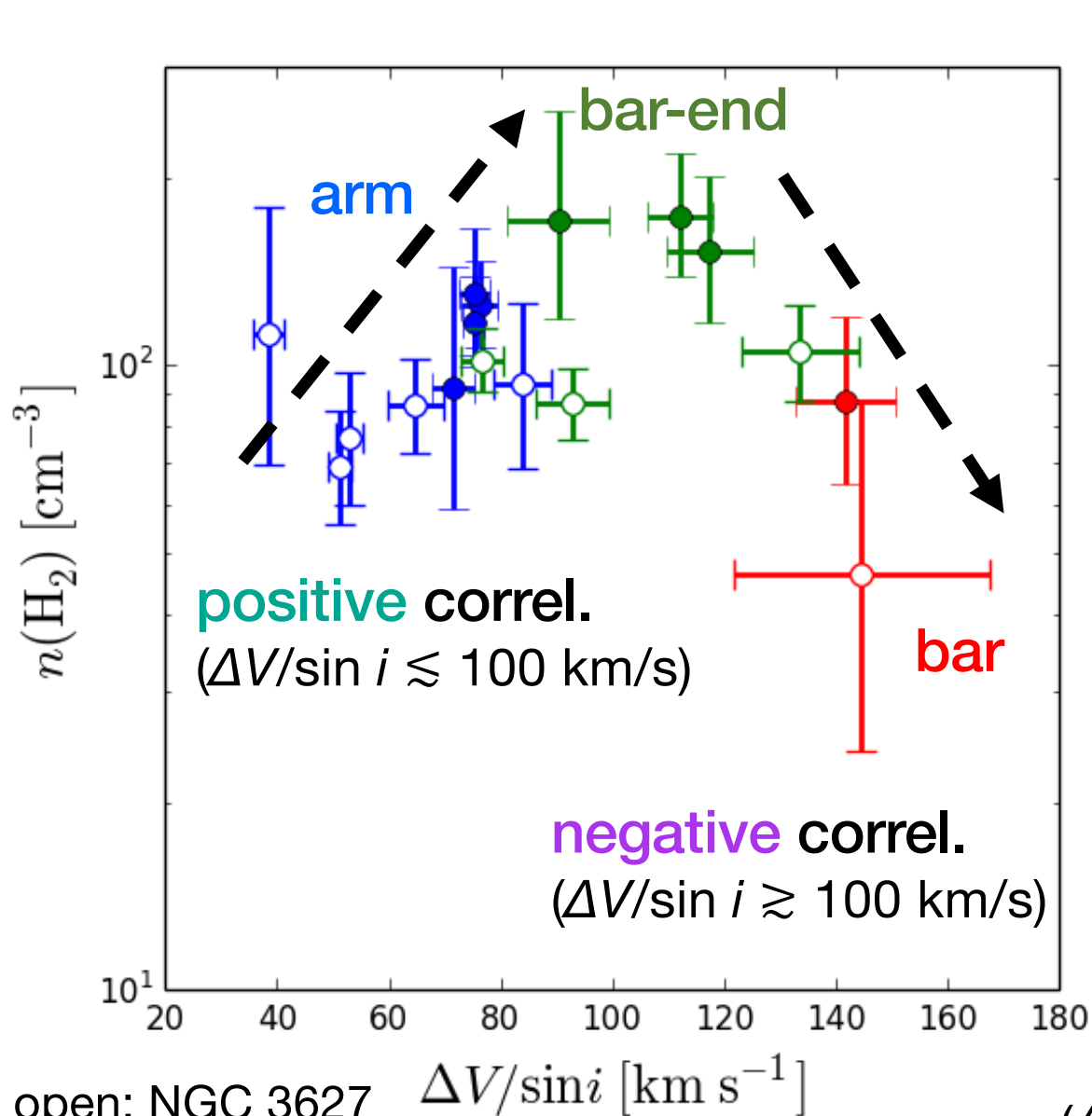
**Positive** correlation  
between SFE &  $n(\text{H}_2)$

**lower density** of  
molecular gas

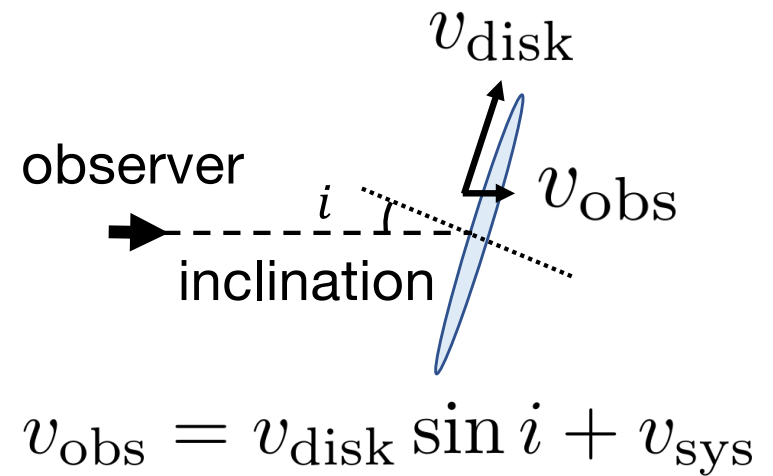


**difficult** to form stars

# Gas Density & Inter-cloud Velocity Dispersion



open: NGC 3627  
filled: NGC 4303

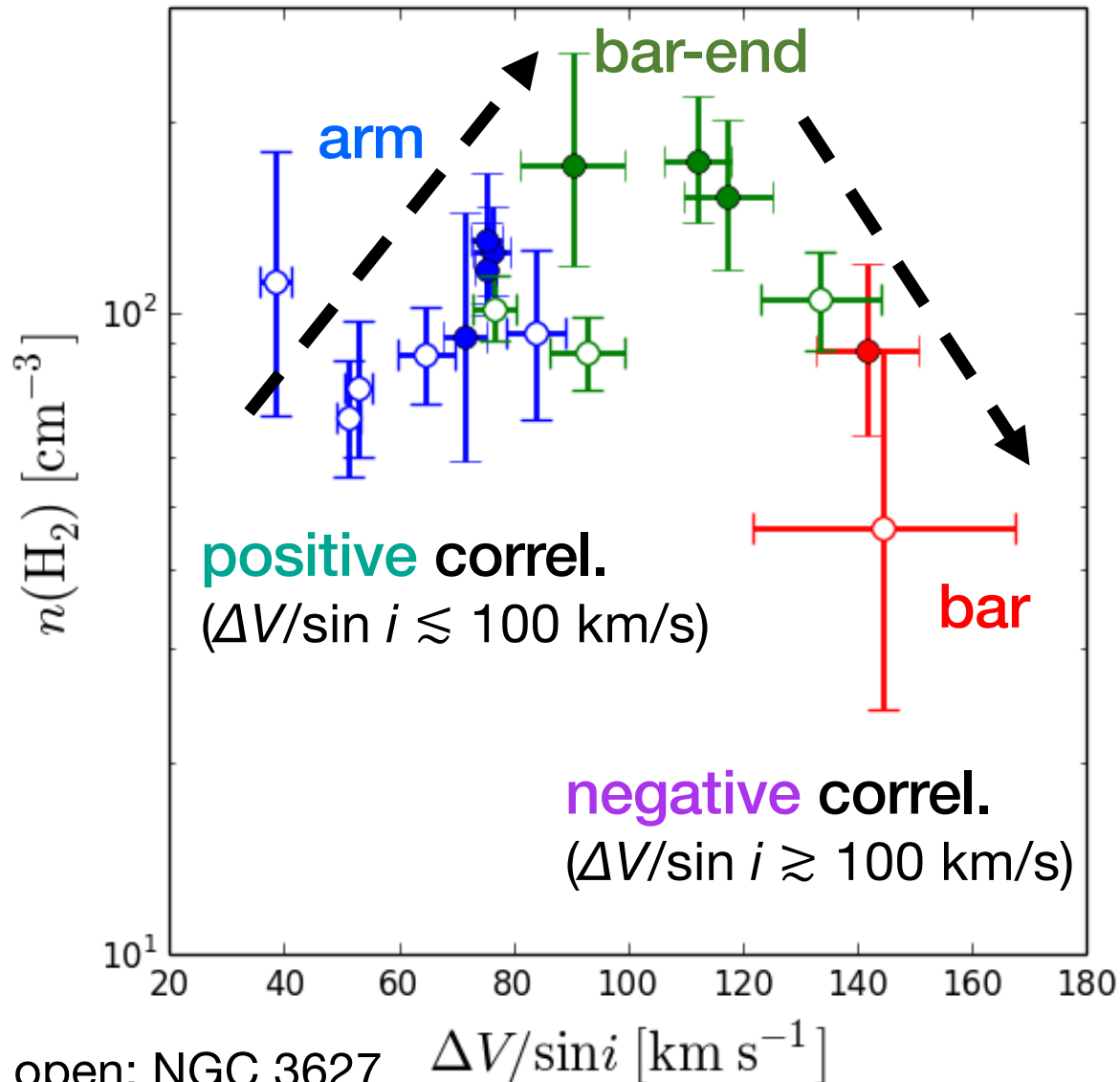


$\Delta V / \sin i$   
 $\sigma_{\text{inter-cloud}}$  projected  
 galactic plane

( $\Delta V$ : FWHM of stacked spectrum)



# Gas Density & Inter-cloud Velocity Dispersion



open: NGC 3627  
filled: NGC 4303

In **positive** correl. phase  
(from arms to bar-ends)

due to moderate  $\sigma_{\text{inter-cloud}}$

- cloud-cloud collision is promoted?

In **negative** correl. phase  
(from bar-ends to the bar)

by too large  $\sigma_{\text{inter-cloud}}$

- shear becomes effective?
- internal cloud's motion is enhanced?
- clouds are broken?
- cores can't grow?

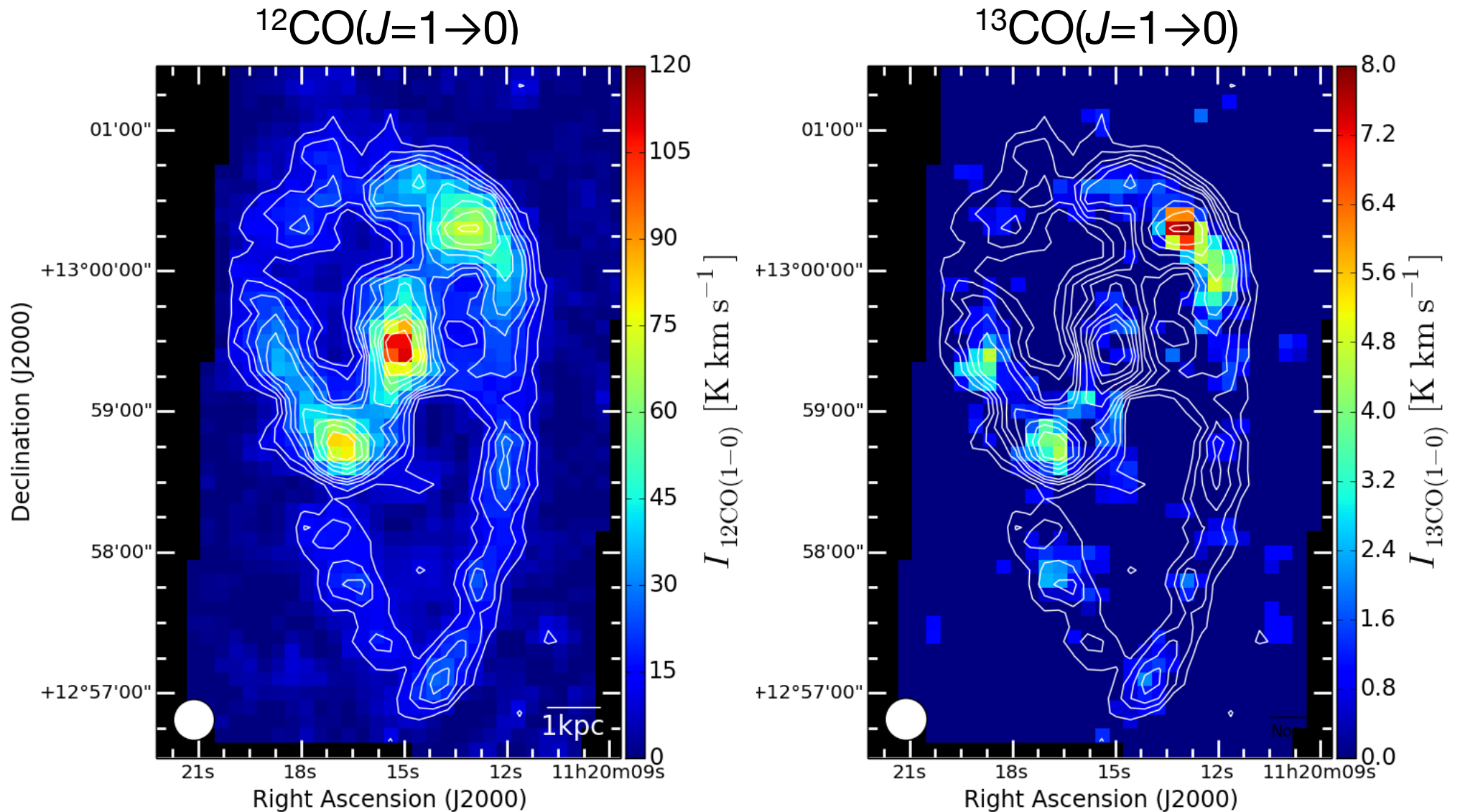
# Summary & Conclusions

- Barred spiral galaxies often show that it is difficult to form stars in the bar
- We study about physical properties of molecular gas in barred spiral galaxies NGC 3627, 4303
- Beam dilution correction method is developed for deriving physical properties of molecular gas
- There is positive correlation between SFE &  $n(\text{H}_2)$
- The relationships between  $n(\text{H}_2)$  &  $\sigma_{\text{inter-cloud}}$  is changing at the boundary  $\Delta V/\sin i \approx 100 \text{ km/s}$
- Star formation in the bar is suppressed by **lower density** of molecular gas & lower density is caused due to **strong motion of gas**

# Appendix

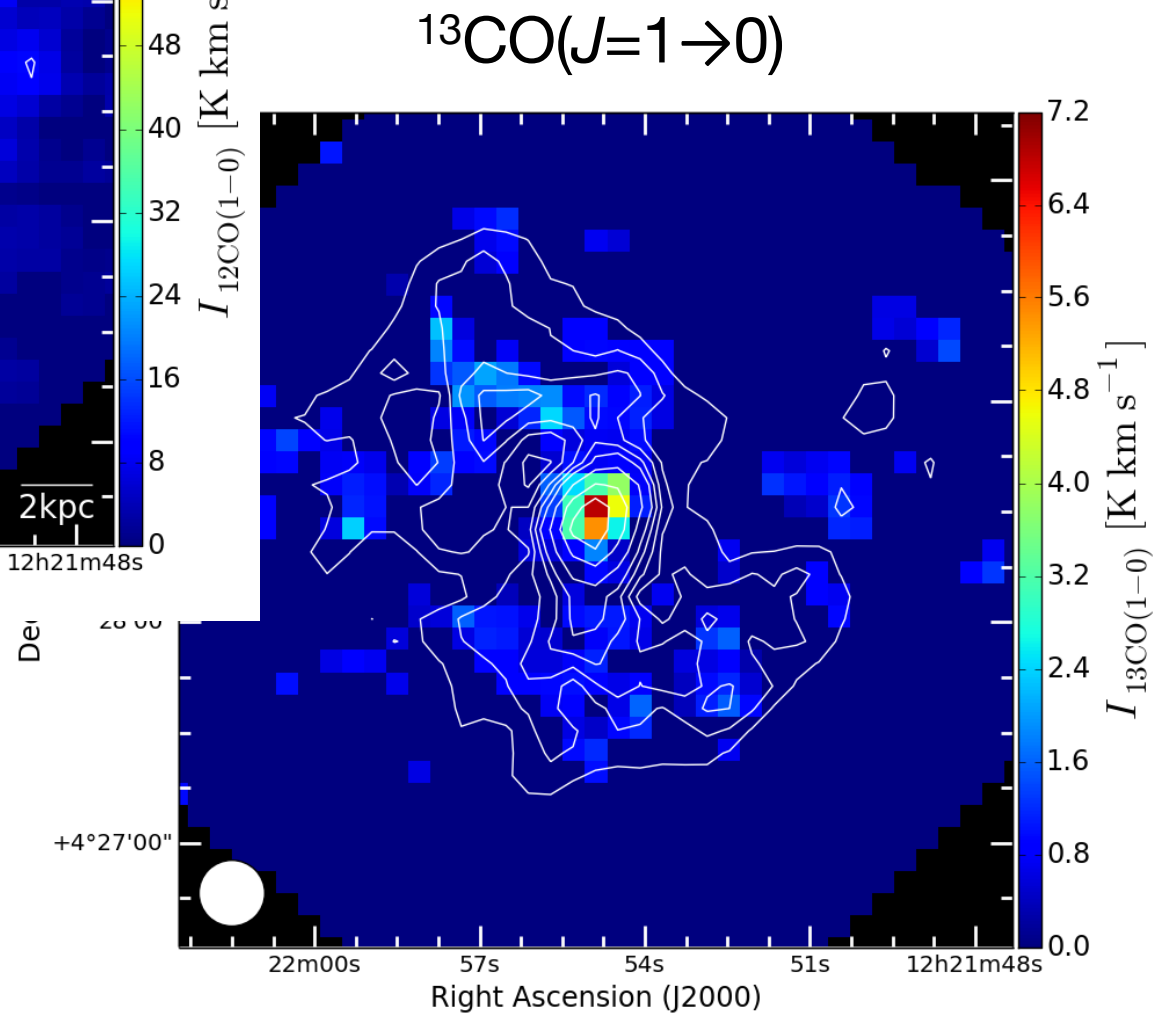
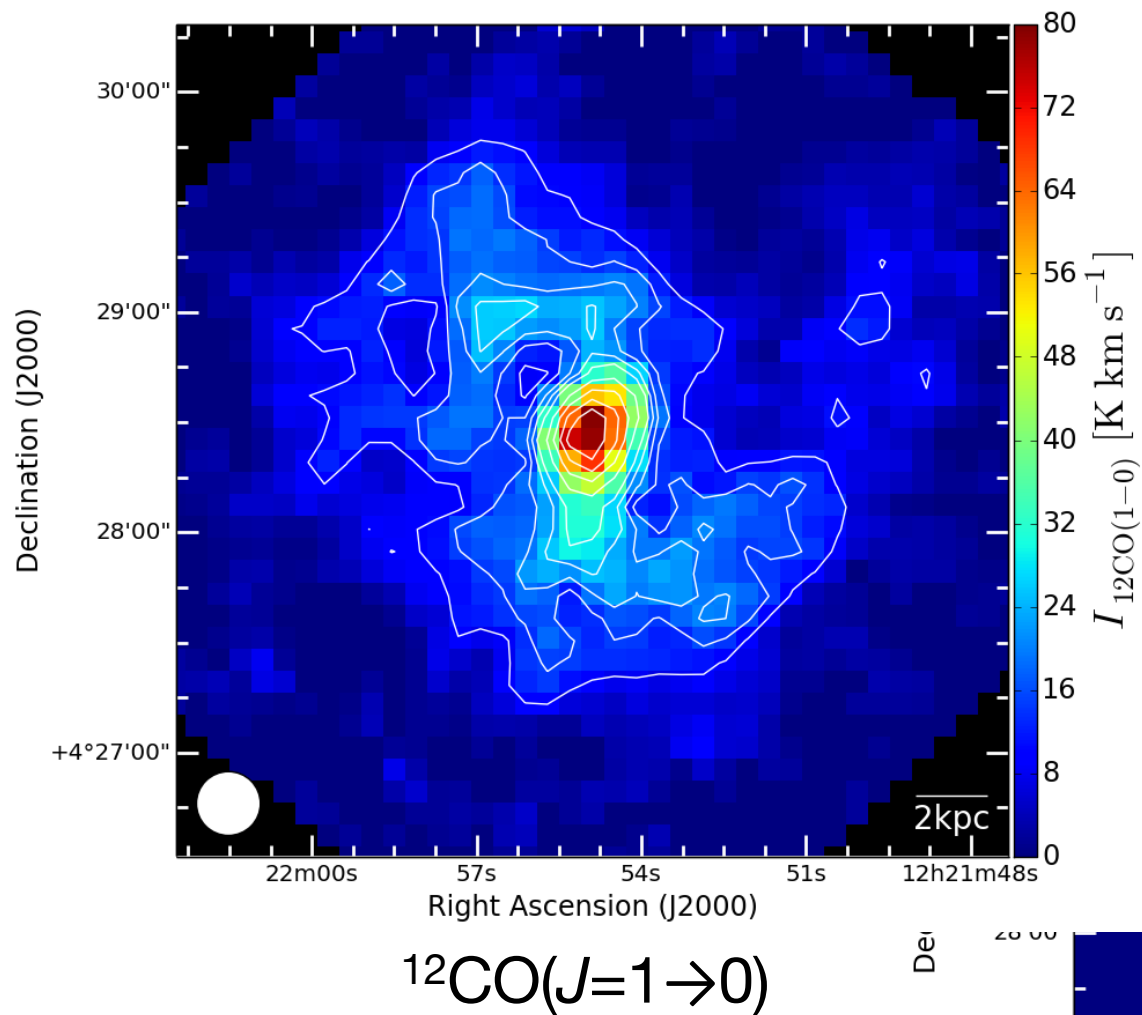
# CO observation results (NGC 3627)

velocity-integrated intensity map

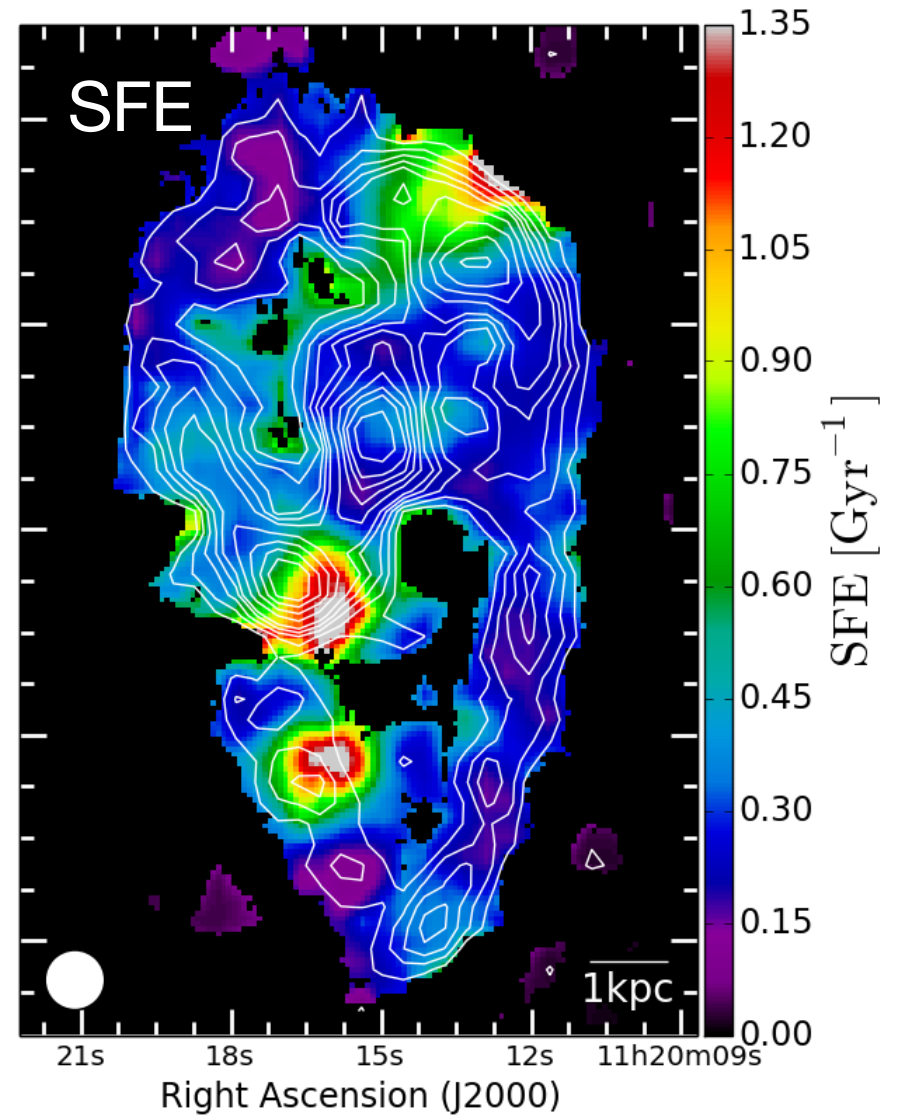
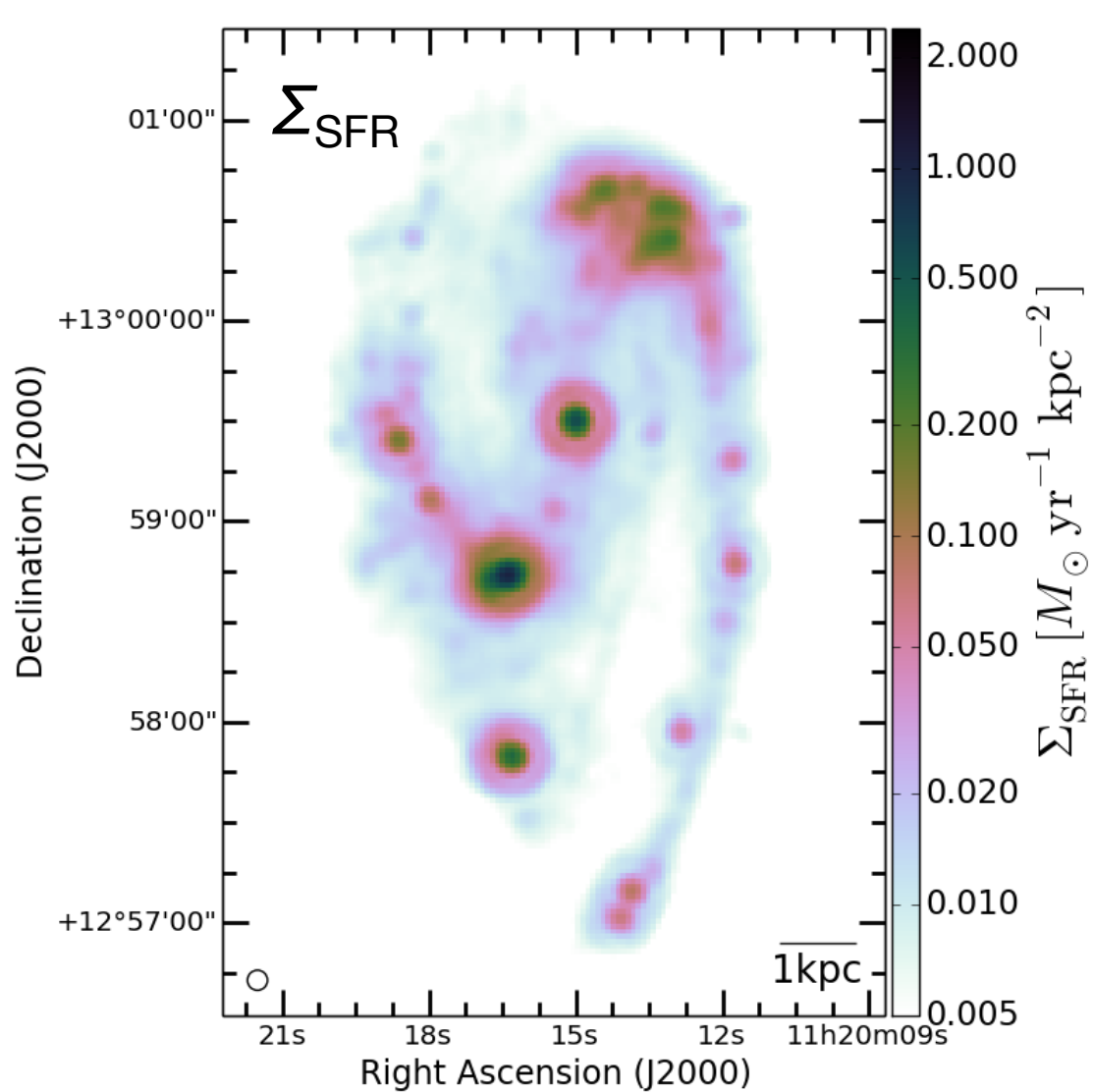




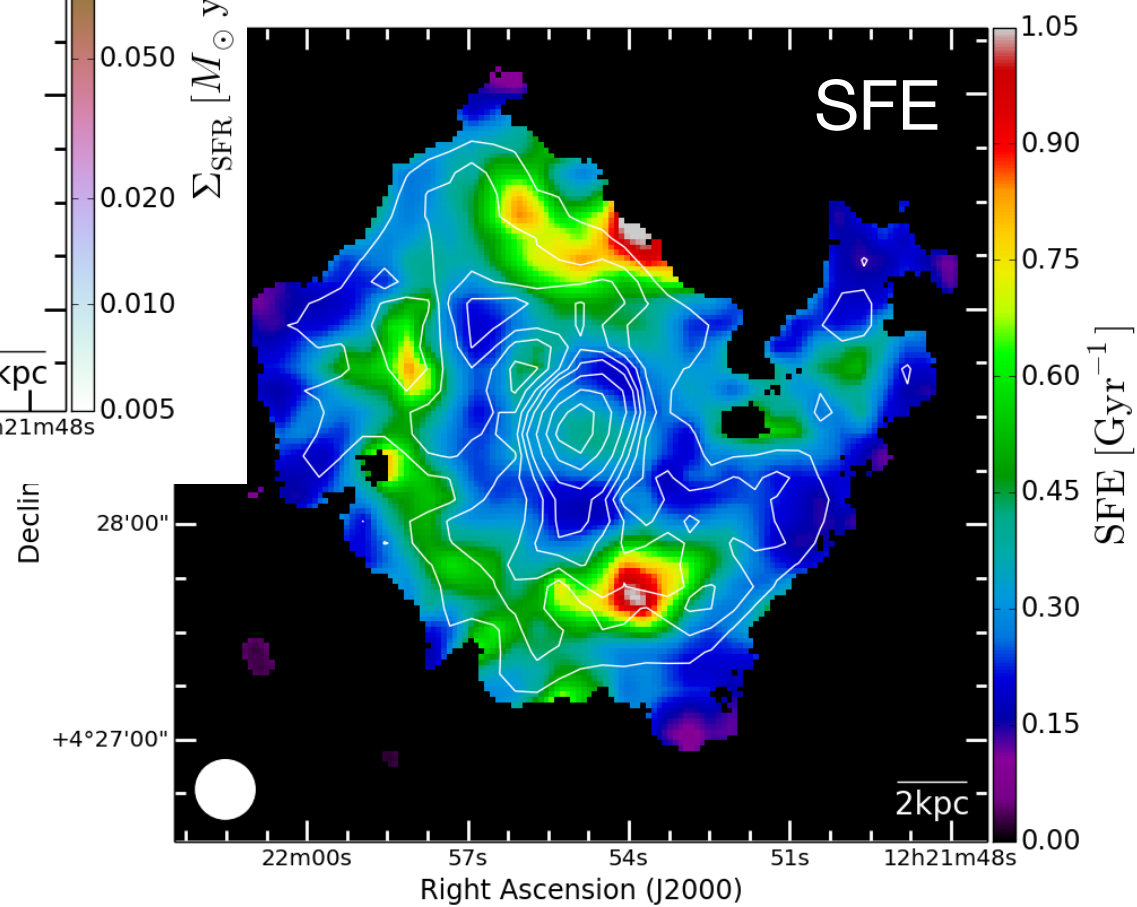
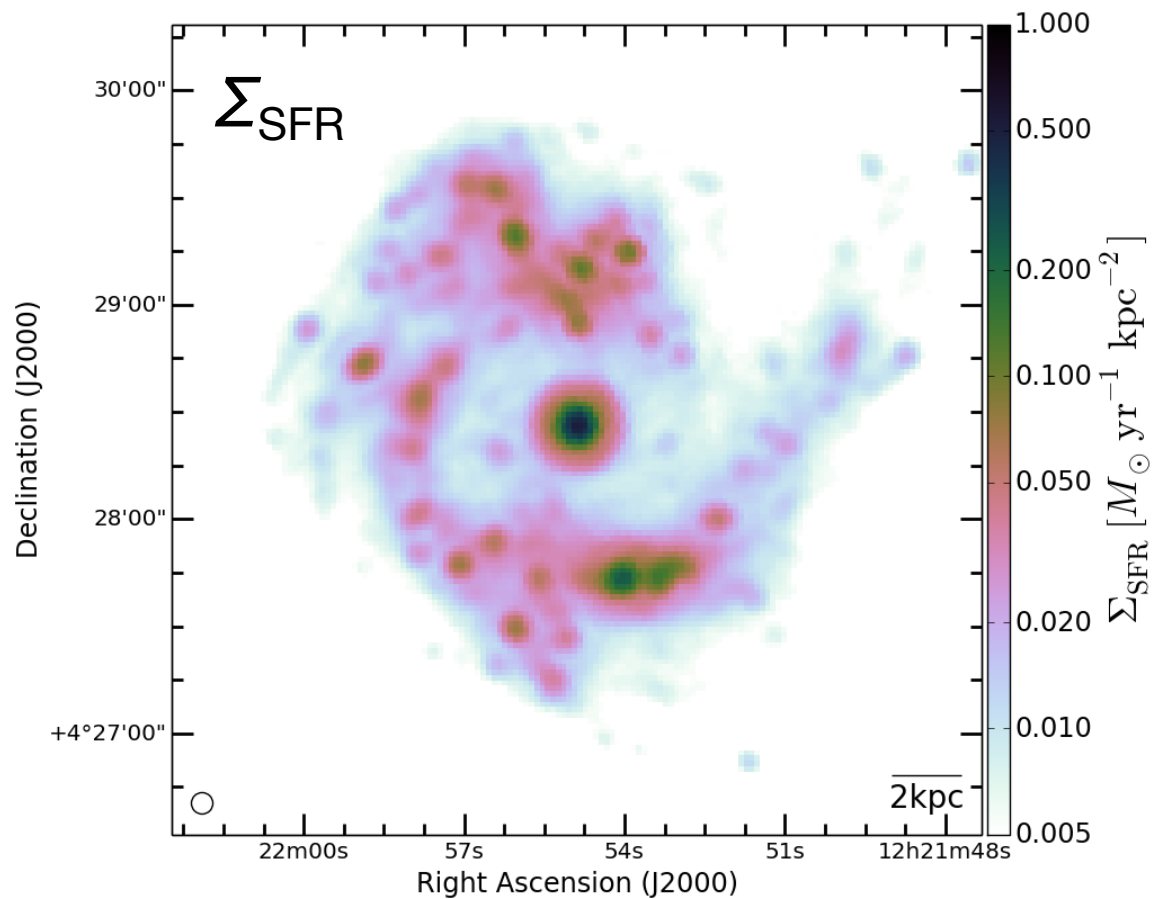
# CO observation results (NGC 4303)



# SFR & SFE (NGC 3627)



# SFR & SFE (NGC 4303)



# NGC 3627 as an interaction galaxy

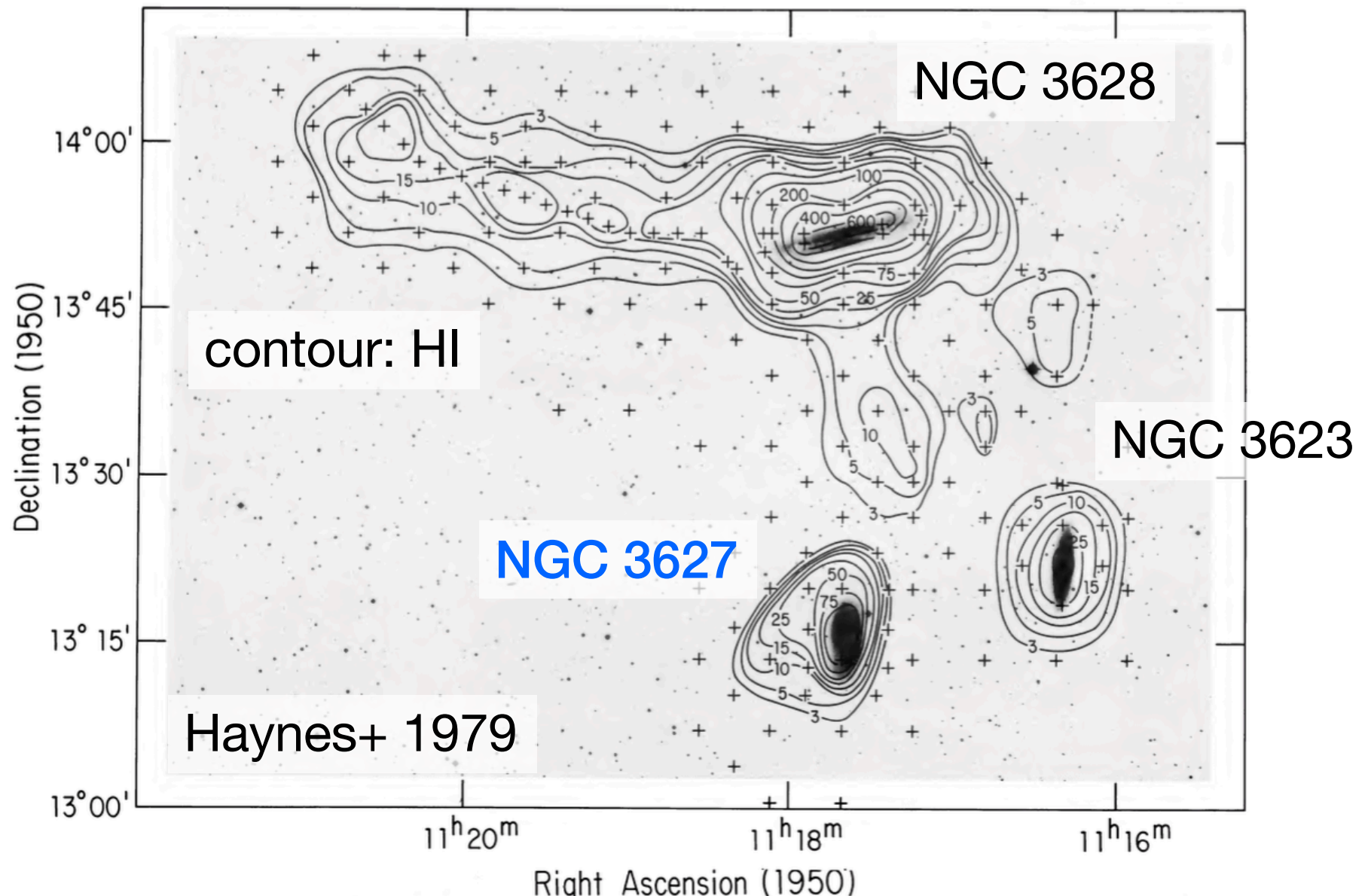


FIG. 1.—Neutral hydrogen contours of  $\int T_d dV$  superposed on an enlargement of the Palomar Sky Survey print of the Leo triplet. The northernmost galaxy is NGC 3628; the southernmost is NGC 3627; the westernmost is NGC 3623. Crosses mark the sampling points of the Arecibo observations. The long appendage extending eastward from NGC 3628 is referred to as the plume; the extension in the region between the three galaxies is the bridge.



# Input parameters for 'RADEX' code

## input parameters

- $I_{12\text{CO}(1-0)} / I_{13\text{CO}(1-0)} \equiv R_{12/13}$
- $I_{12\text{CO}(3-2)} / I_{12\text{CO}(1-0)} \equiv R_{3/1}$
- $^{12}\text{CO}$  column density of a cloud  $N_{12\text{CO}}$
- $^{13}\text{CO}$  column density of a cloud  $N_{13\text{CO}}$
- FWHM of one cloud's spectrum  $dv$

## output parameters

- number density of a molecular cloud  $n(\text{H}_2)$
- kinetic temperature of a molecular cloud  $T_{\text{kin}}$

# Setting of input parameters for 'RADEX' code

- column density of  $^{12}\text{CO}$ ,  $^{13}\text{CO}$

$$\left( \frac{\mathcal{N}_{^{12}\text{CO}}}{\text{cm}^{-2}} \right) = \left( \frac{I_{^{12}\text{CO}(1-0),\text{obs}}}{\text{K km s}^{-1}} \right) \cos i \times \frac{1}{\eta_f} \times \left\{ \frac{X_{\text{CO}}}{\text{cm}^{-2} (\text{K km s}^{-1})^{-1}} \right\} \times \frac{[^{12}\text{CO}]}{[\text{H}_2]}$$

$$\left( \frac{\mathcal{N}_{^{13}\text{CO}}}{\text{cm}^{-2}} \right) = \left( \frac{\mathcal{N}_{^{12}\text{CO}}}{\text{cm}^{-2}} \right) \times \frac{[^{13}\text{CO}]}{[^{12}\text{CO}]}$$

introducing

$$\left. \begin{aligned} [^{12}\text{CO}]/[\text{H}_2] &= 8.0 \times 10^{-5} \text{ (Langer \& Penzias 1993)} \\ [^{12}\text{CO}]/[^{13}\text{CO}] &= 70 \text{ (Milam+ 2005)} \end{aligned} \right\} \text{ local ISM value in MW}$$

- FWHM of one cloud's spectrum  $dv$

$dv = 5 \text{ km/s}$  for entire arms region as a standard

For other regions,

$$dv = 5 \text{ km/s} \times \frac{\Delta V}{\Delta V(\text{entire arms})}$$

# Calculation of non-LTE analysis

At first, assuming optical thin case  $\rightarrow$  excitation is produced by only CMB

$$\bar{J} = \frac{1}{4\pi} \int_{4\pi} d\Omega \int_0^\infty d\nu I_\nu(\theta, \varphi) \phi_\nu(\Delta\nu)$$

Solve the eq. of statistical equilibrium

$$\frac{dn_l}{dt} = -n_l(B_{lu}\bar{J} + C_{lu}) + n_u(A_{ul} + B_{ul}\bar{J} + C_{ul})$$

$$\frac{dn_u}{dt} = n_l(B_{lu}\bar{J} + C_{lu}) - n_u(A_{ul} + B_{ul}\bar{J} + C_{ul})$$

$$\rightarrow \tau_\nu = \frac{A_{ul}}{8\pi k_{ul}^3} \frac{\mathcal{N}}{\Delta\nu} \left( n_l \frac{g_u}{g_l} - n_u \right)$$

$$\bar{J}_\nu = S_\nu(1 - \beta)$$

$\beta$ : escape probability

iteration

Solve the eq. of radiative transfer

$$S_\nu = \frac{n_u A_{ul}}{n_l B_{lu} - n_u B_{ul}}$$

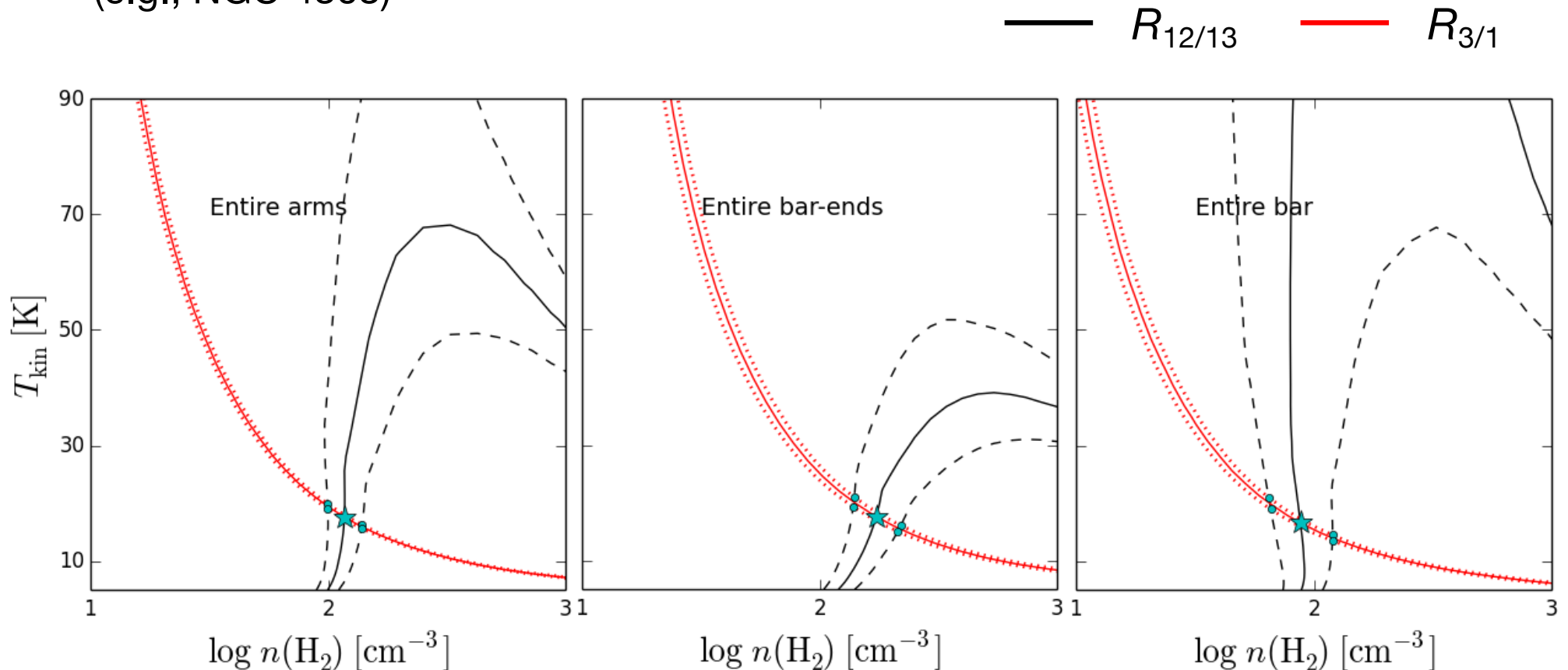
$$\rightarrow I_\nu = S_\nu(1 - e^{-\tau_\nu}) + I_\nu^{\text{inc}} e^{-\tau_\nu}$$

if  $\Delta\tau_\nu < 10^{-6}$

We get  $I_\nu$

# Example results of 'RADEX' calculation

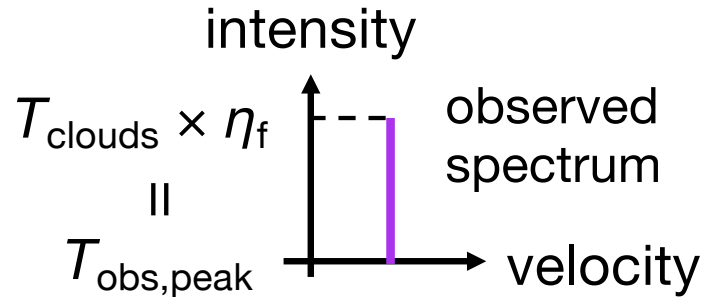
(e.g., NGC 4303)



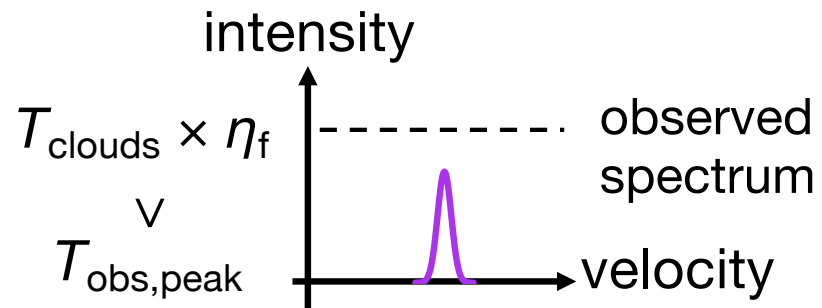
the intersection of black & red lines corresponds to physical properties of molecular gas

# How to estimate beam filling factor $\eta_f$

If  $\sigma_{\text{inter-cloud}} = 0$



However,  $\sigma_{\text{inter-cloud}} \sim$  a few 10 km/s



- ✓ observed peak intensity is **no longer available** for estimating  $\eta_f$
- ✓ observed integrated intensity  $I_{12\text{CO}(1-0),\text{obs}}$  **can be an alternative** to  $T_{\text{peak,obs}}$  w/o depending on  $\sigma_{\text{inter-cloud}}$

$$\Delta\eta_f \equiv \frac{I_{12\text{CO}(1-0),\text{obs}}}{I_{12\text{CO}(1-0),\text{cloud}}} \times \cos i - \eta_f$$

$I$  by ensemble of clouds  
on galactic plane in the beam  
(observed value)

$I$  of a cloud  
calculated by RADEX  
(theoretical value)

the best  $\eta_f$  value  $\rightarrow \Delta\eta_f = 0$

we evaluate the best  $\eta_f$  value to 2 significant figures

# Gas orbit in the bar

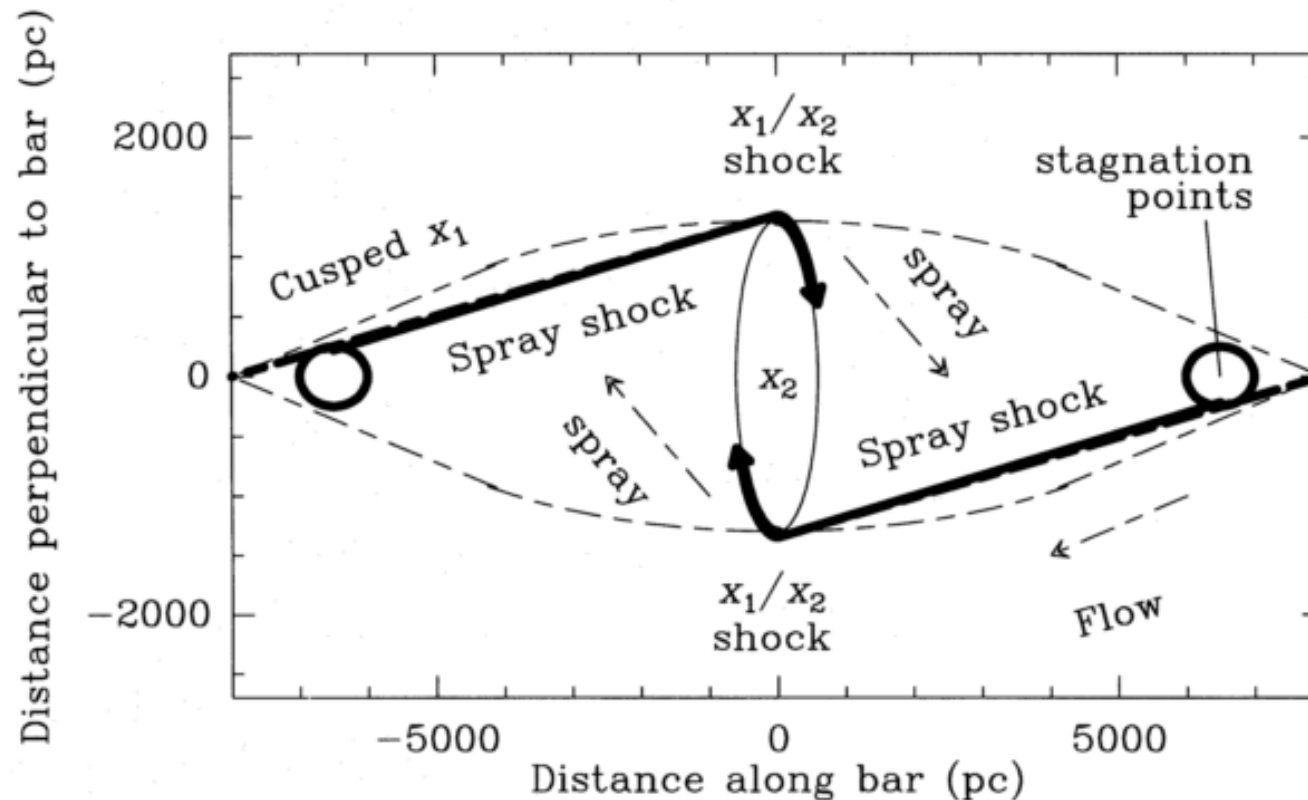


FIG. 10.—Model for gas motions in the bar of NGC 1530. The nuclear ring traces the  $x_2$  orbit. The strong head-tail peaks north and south of the nucleus are standing shocks at the intersections of the  $x_1$  and  $x_2$  orbits. Material emerges from these shocks in a spray, traverses the interior of the bar, and rejoins the  $x_1$  flow at the extended, straight shock fronts. Interior to the cusped orbit, the  $x_1$  orbit family is self-intersecting and forms stagnation points that trap molecular gas near the ends of the bar. In this diagram, the horizontal scale is compressed by  $\cos i$  to match the galaxy's inclination.