

Quantum & Classical Algorithms for Parton Showers



Masahito Yamazaki



CCP2023, Kobe; August 8, 2023

So Chigusa (Berkeley) + MY, arXiv: 2204.12500 [hep-ph]

Christian W. Bauer, So Chigusa + MY [In Progress]

Quantum in HEP?



- # qubits \gg 30 ~ 40
quantum advantage?

- rapid progress
on hardware



- Noisy

- Hard to prove
quantum advantage

- Not enough qubits?

Wish List

- * quantum effects important
(e.g. interference)
- * small-scale problem \subset full-scale problem
- * simplified model + extra layers

Collider Physics

$\sim \text{TeV}$

$\sim \text{GeV}$

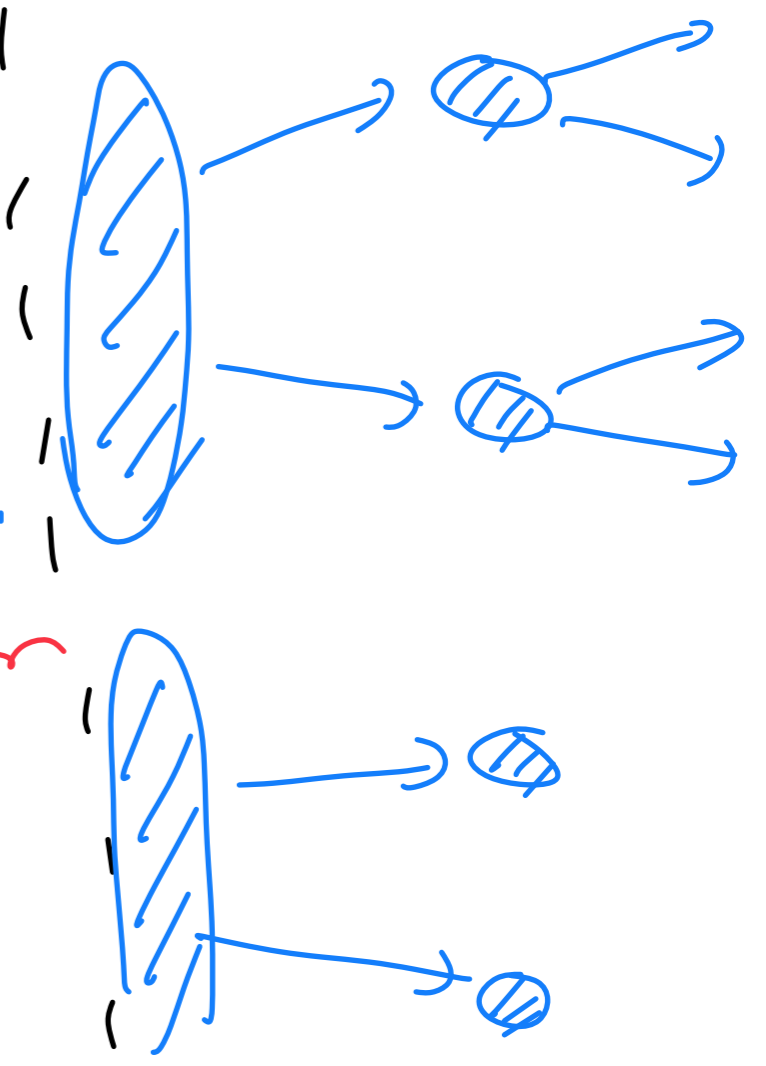
$\sim \text{MeV}$



Matrix
Element

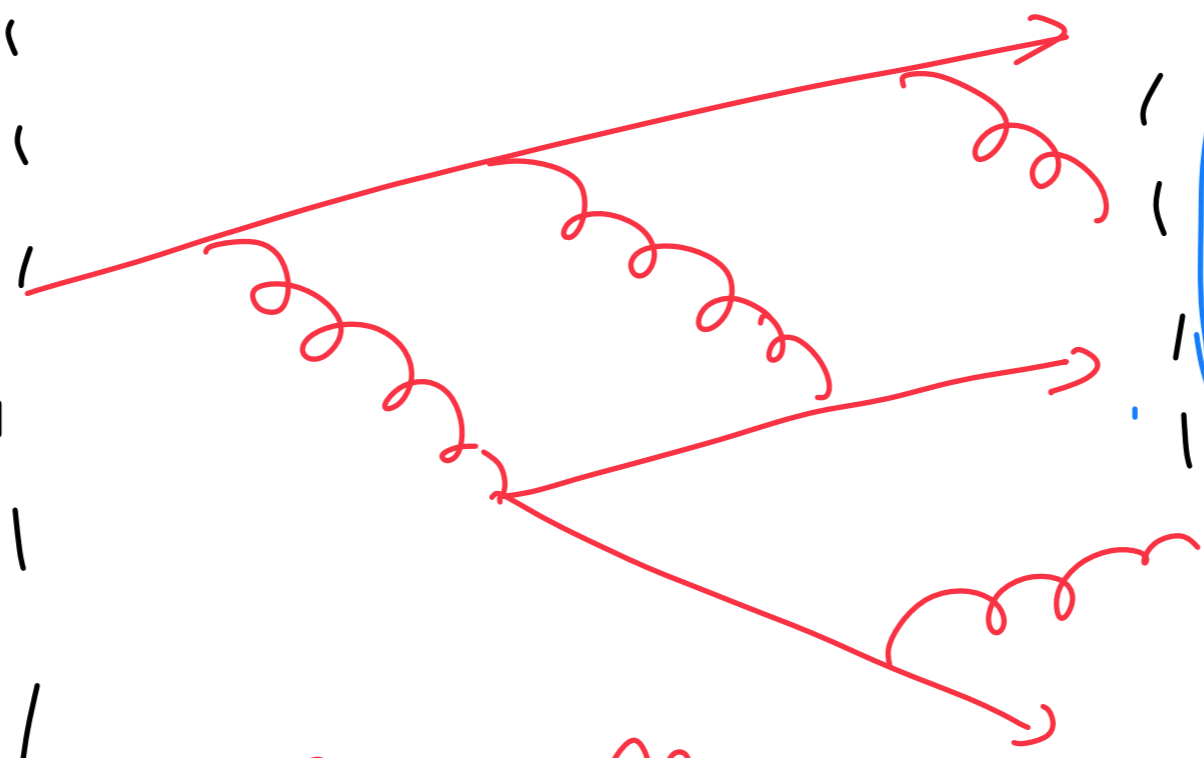


Hadronization



Beyond
SM

Perturbation
theory



Soft-collinear
enhancement

Simplified Model

fermion $\chi_{i=1 \sim N_f}$ (N_f flavors)

photon $U(1) A'_\mu$

$$\mathcal{L}_{\text{dark}} = \sum_i \bar{\chi}_i (i\not{\partial} - m_{\chi_i}) \chi_i + \sum_{ij} g'_{ij} \bar{\chi}_i A'_\mu \chi_j \\ - \frac{1}{4} F'_{\mu\nu} F'^{\mu\nu} - \frac{1}{2} m_A'^2 A'_\mu A'^\mu$$

Simplified Model

dark fermion $\chi_{i=1 \sim N_f}$ (N_f flavors)

dark photon $U(1) A'_{\mu}$

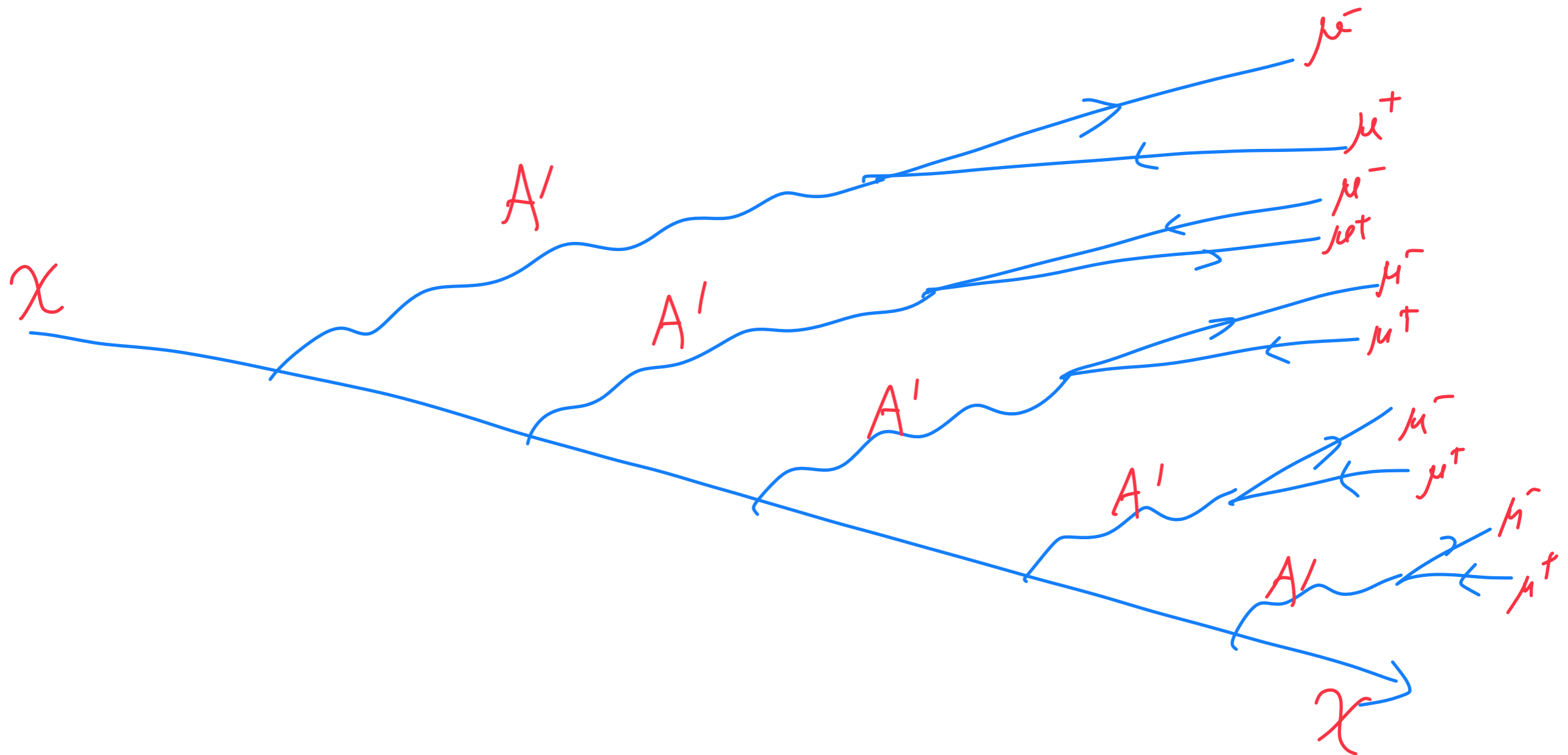
$$\mathcal{L}_{\text{dark}} = \sum_i \bar{\chi}_i (i\not{\partial} - m_{\chi_i}) \chi_i + \sum_{i,j} g'_{ij} \bar{\chi}_i A' \chi_j \\ - \frac{1}{4} F'_{\mu\nu} F'^{\mu\nu} - \frac{1}{2} M_A^2 A'_{\mu} A'^{\mu}$$

* dark sector model [many papers]

mediator for dark-matter self-interactions

↑
cosmology

Dark Sector Jets

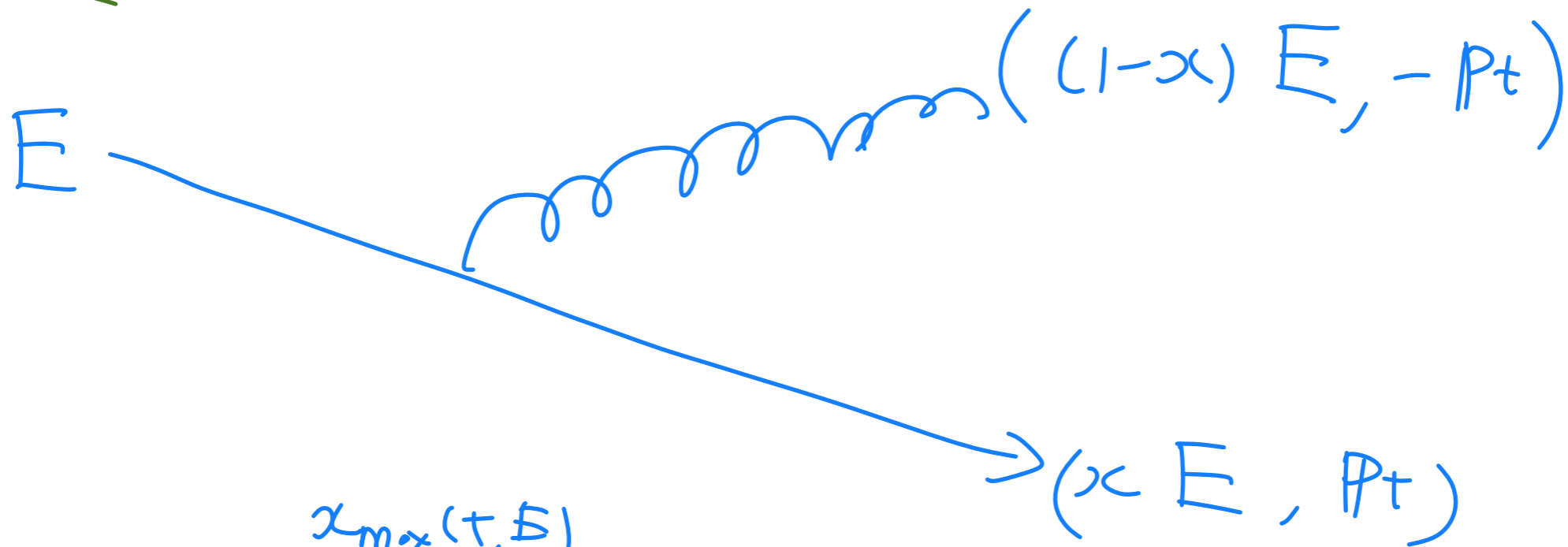


dramatic event e.g. @ HL-LHC

[many papers]

Standard : classical Monte Carlo

[many programs, e.g. Pythia, Herwig, Sherpa, ...]



$$R(t) = \int_{x_{\min}(t, E)}^{x_{\max}(t, E)} dx \frac{g^2}{8\pi} \frac{1}{t} P_{\gamma \rightarrow \chi}(x, t)$$

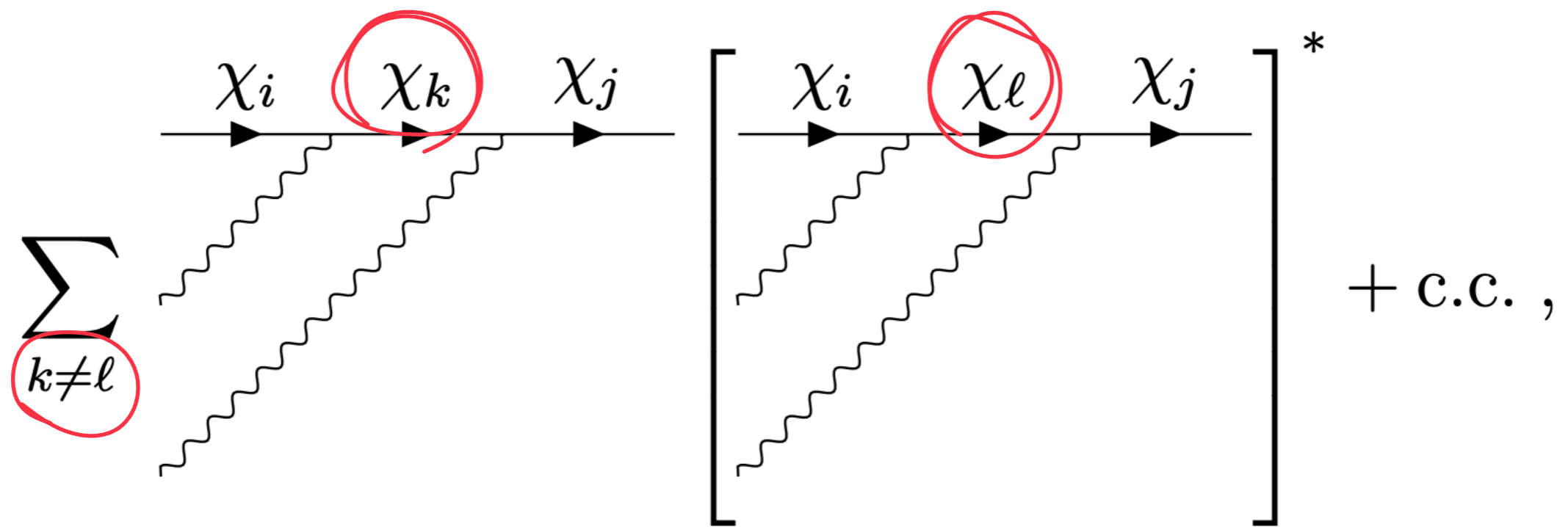
energy fraction

virtuality $\leftrightarrow P_t$

$$P_{\gamma \rightarrow \chi} = \frac{1+x^2}{1-x} - \frac{2(m_\chi^2 + m_A'^2)}{t}$$

Quantum interference between flavors

$(N_f > 1)$



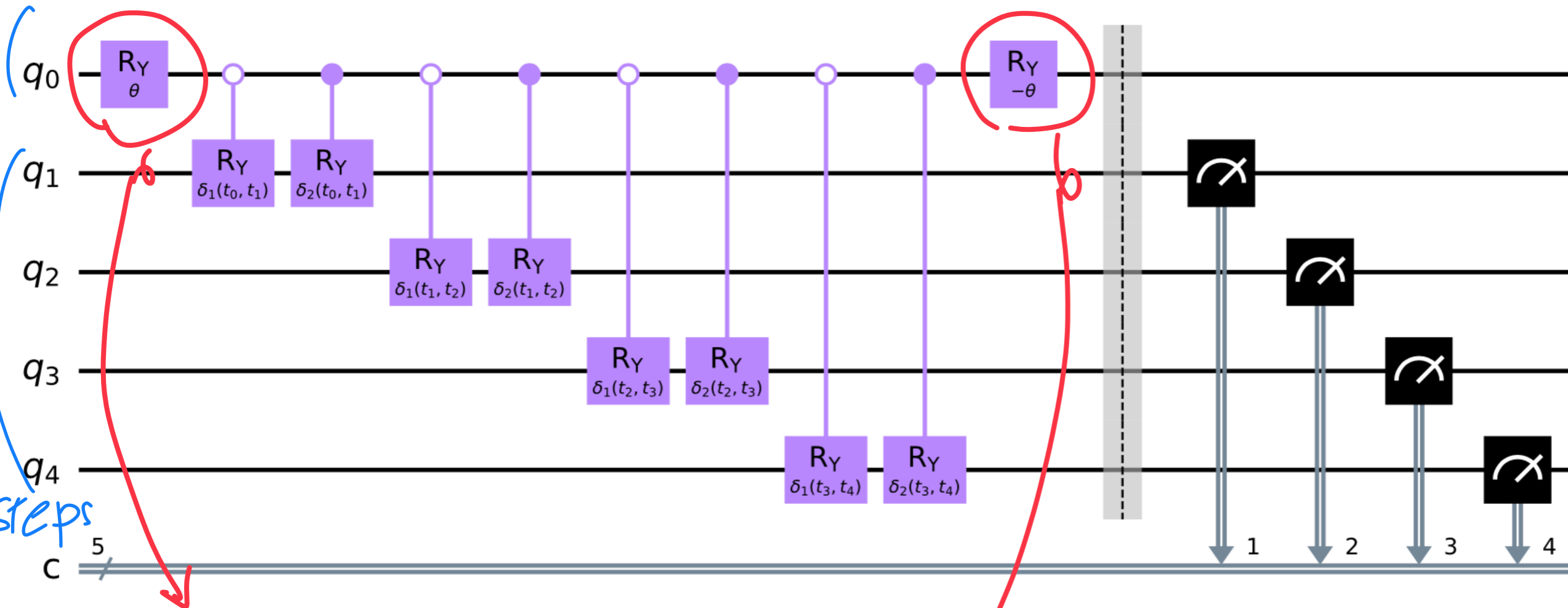
Not in classical Monte Carlo

(except in large N_c approximation)

Simplified Quantum Circuit

$$N_f = 2, \quad N_{\text{step}} = 4$$

flavor

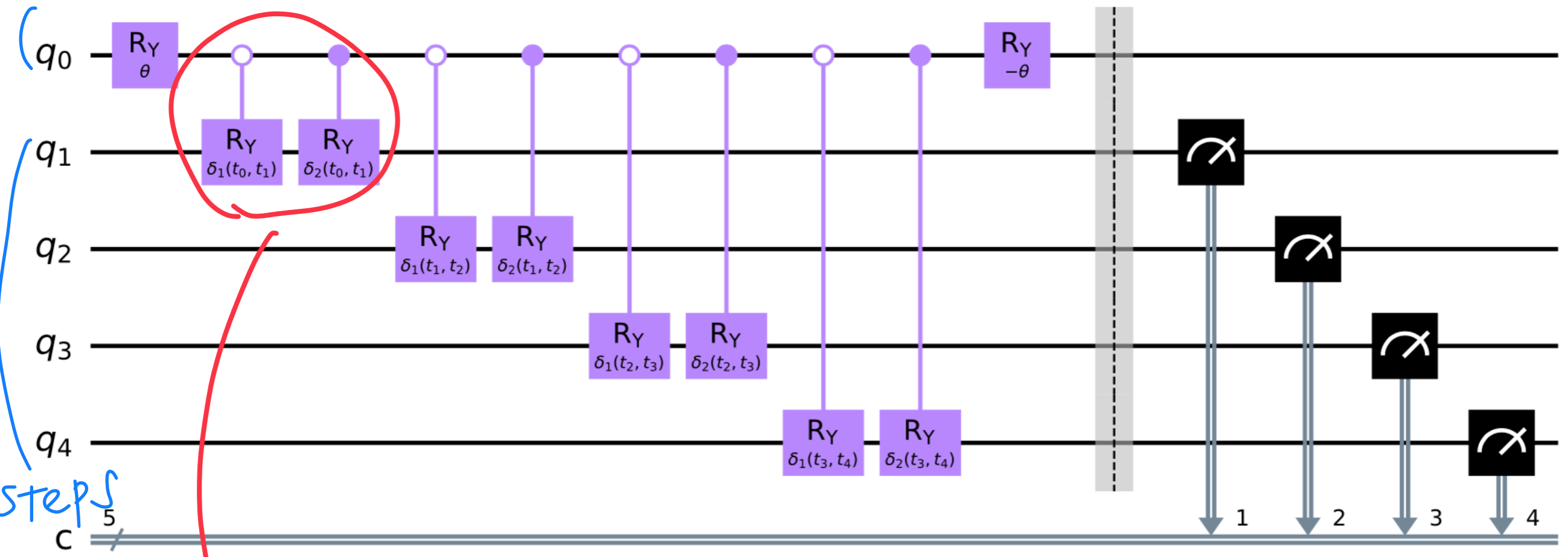


rotate states into
gauge - diagonal basis

$$\begin{pmatrix} g_{11} & g_{12} \\ g_{21} & g_{22} \end{pmatrix} = R_Y(\theta)^\dagger \begin{pmatrix} g'_1 & 0 \\ 0 & g'_2 \end{pmatrix} R_Y(\theta)$$

flavor

$$N_f = 2, \quad N_{step} = 4$$

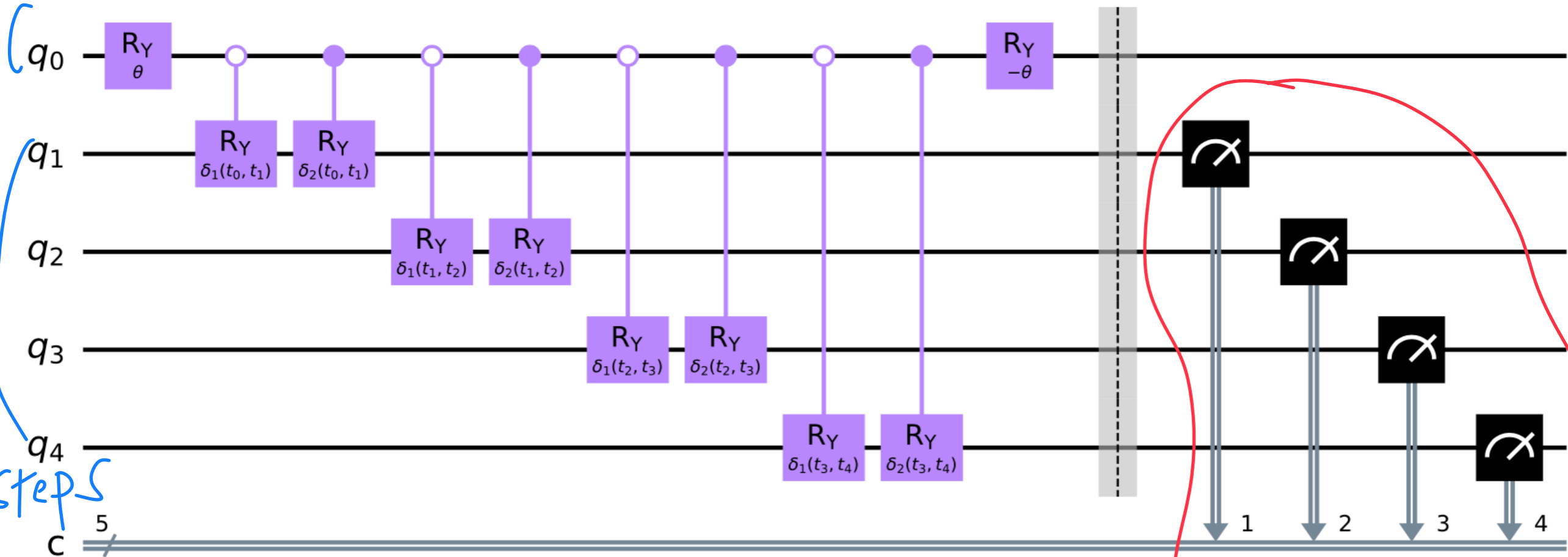


steps
C

flavor-dependent
emission probabilities

$N_f = 2$. $N_{step} = 4$

flavor

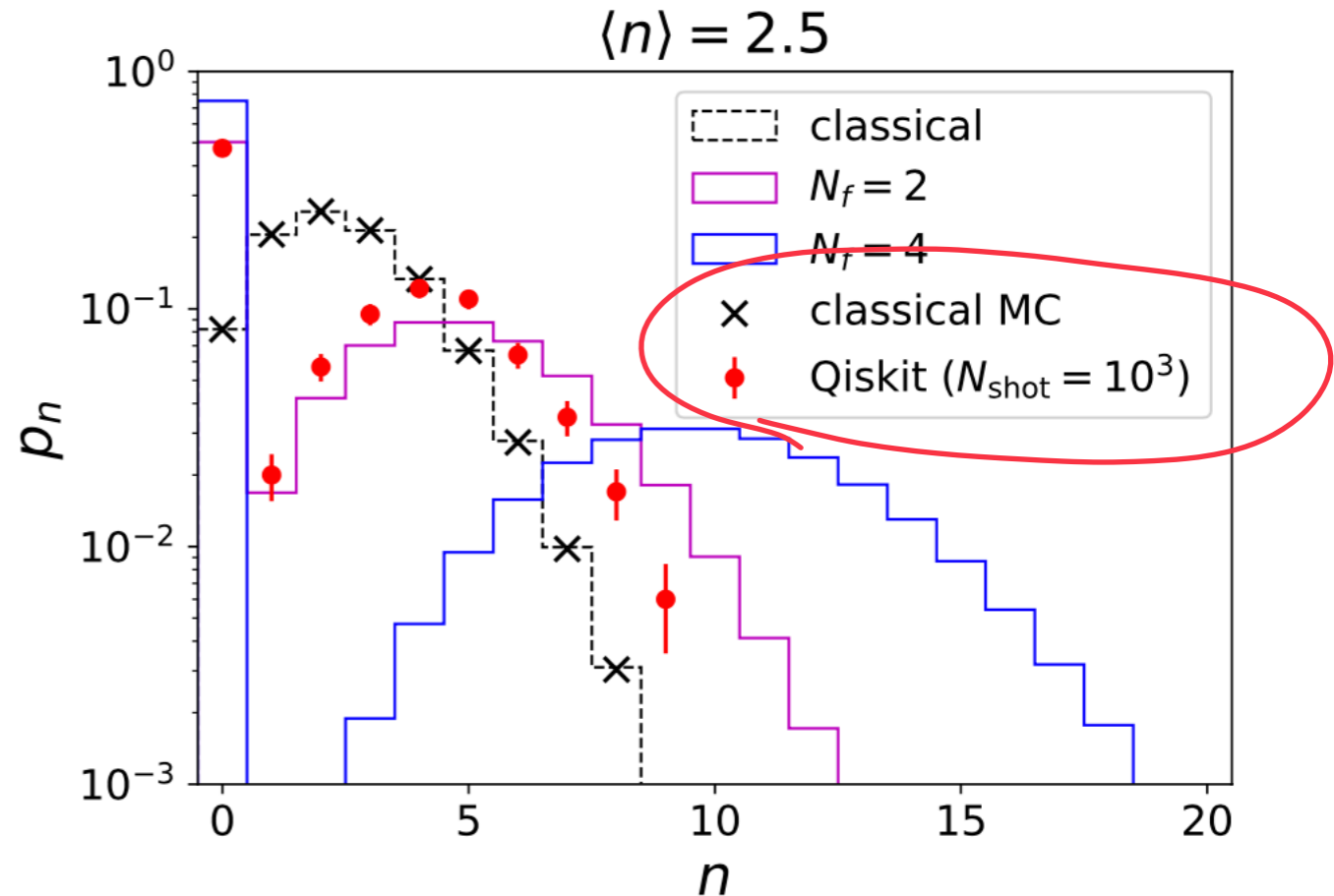
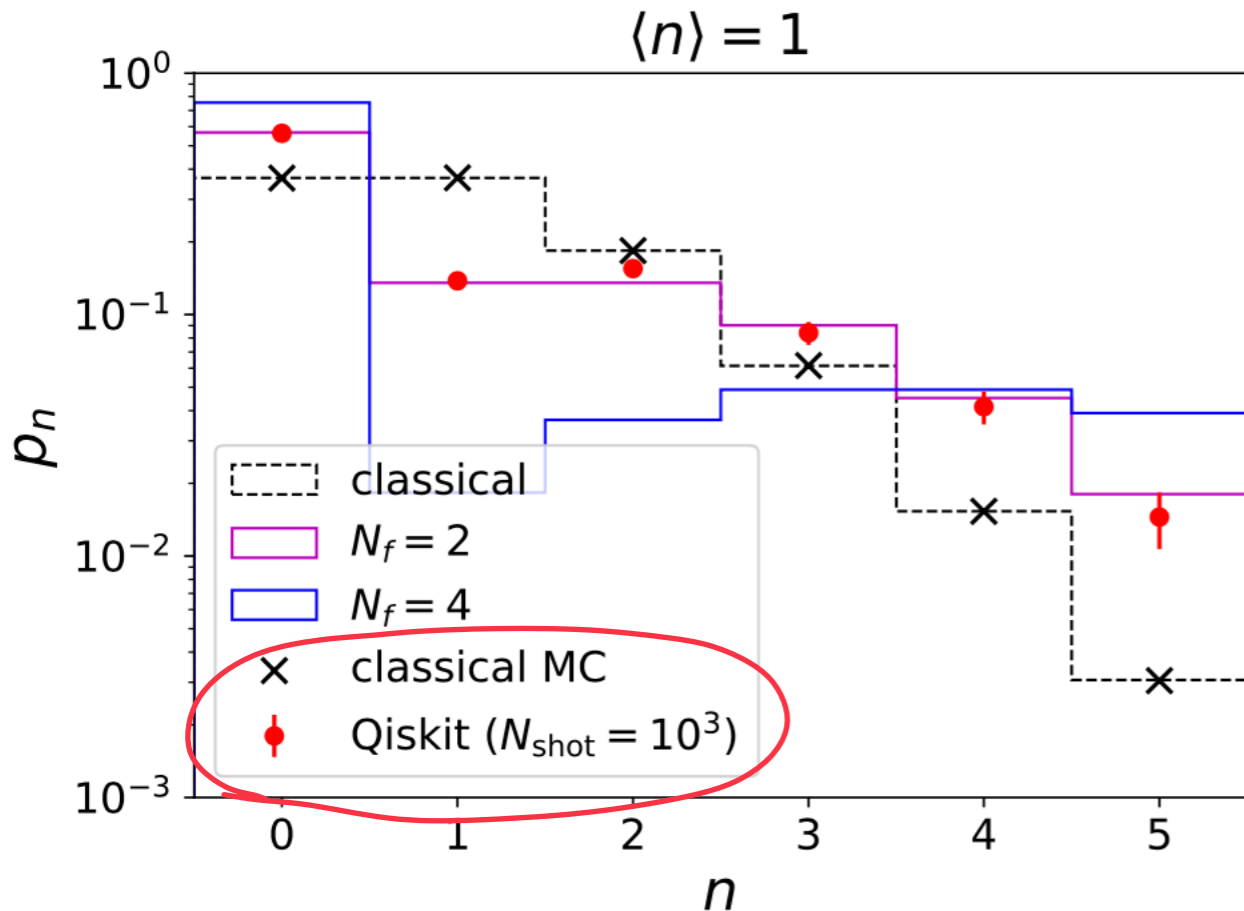


steps

measure # of γ'

Results (in simplified analysis)

[Chigusa-MY '22]



huge enhancement

for n (# emissions) large!!

In Progress

- incorporate kinematics, RG-flow
↑
quantum-classical hybrid
[Bauer-Chigusa-MY]
↓
- incorporate veto algorithm
mid-circuit measurement

Quantum Monte Carlo in general?