

Transplanckian axion field ranges and string theory



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IFT-UAM/CSIC, Madrid



M. Montero, A.U, I. Valenzuela, arXiv:1503.03886

A. Retolaza, A.U, A. Westphal, arXiv:1504.02103

Strings 2015, Bangalore

Plan



Motivation

Plan



Motivation



Transplanckian axion decay constants...
... and the weak gravity conjecture

Plan



Motivation



Transplanckian axion decay constants...
... and the weak gravity conjecture



Transplanckian field ranges in axion monodromy ...
... and a late twist on an early model

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Conclusions

Motivation

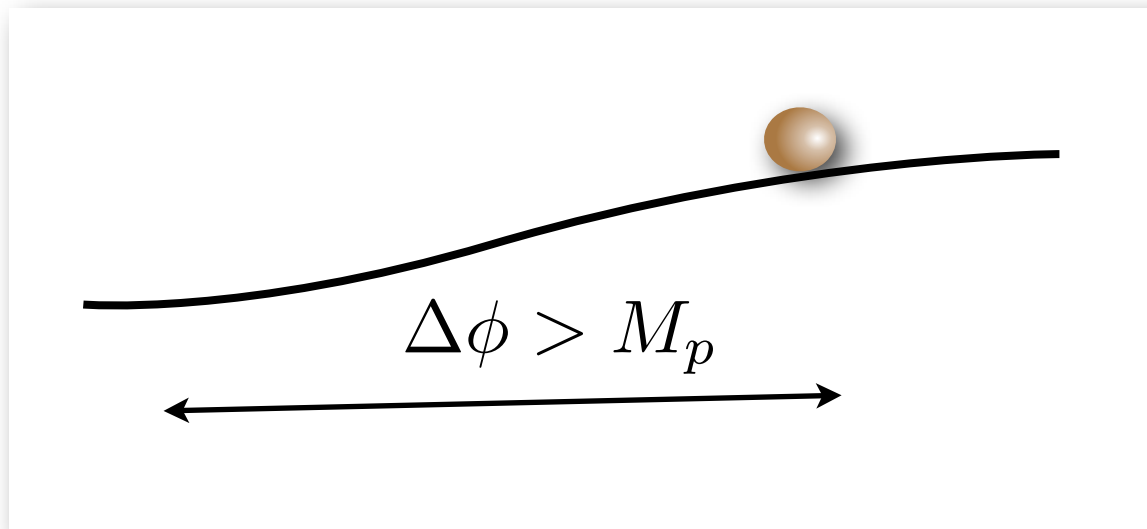
 Great interest in scalar rolling through transPlanckian field range

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Single field inflation with sizable ratio r of tensor to scalar perturbations

Lyth

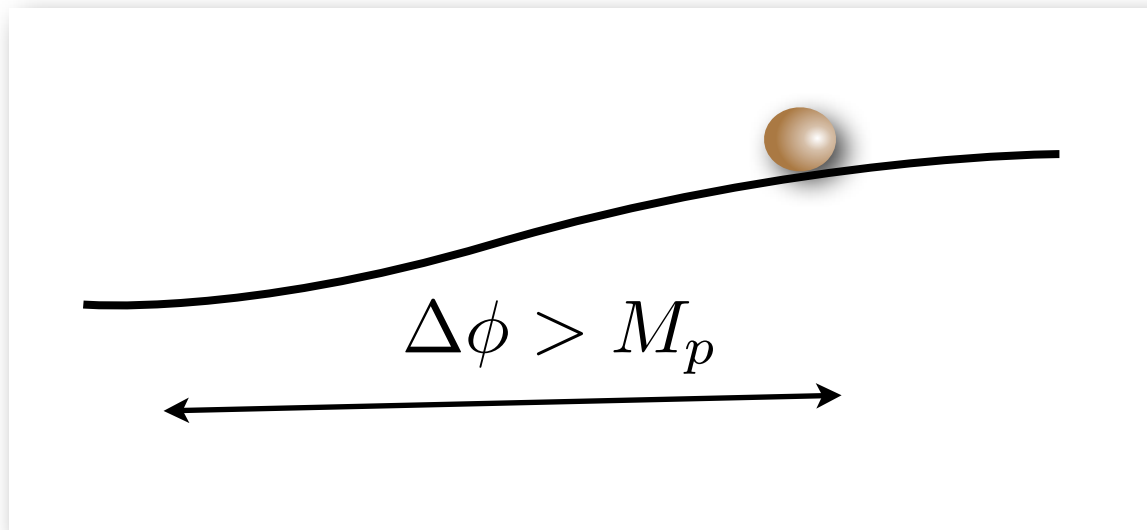


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General question of consistency in quantum gravity

Axions



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 Need scalars with sub-Planckian potential through possibly super-Planckian field range

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Axions: Periodic scalars with (perturbative) shift symmetry

$$\phi \rightarrow \phi + \lambda$$

broken to discrete periodicity by:

- Non-perturbative effects \Rightarrow natural inflation
- Monodromic effects \Rightarrow axion monodromy

Natural inflation

-  Single axion with 1-instanton generated potential
Freese, Frieman, Olinto

$$V(\phi) = \Lambda^4 [1 - \cos(\phi/f)]$$

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- Proposals to avoid, in multiple axion models
 - N-flation Dimopoulos, Kachru, McGreevy, Wacker
 - Kinetic alignment McAllister et al
 - Lattice alignment Kim, Nilles, Peloso

Gravitational instantons & axion potential

Montero, AU, Valenzuela

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Consider solutions of GR+axion with instanton charge n

$$S \sim \frac{nM_P}{f}$$

(in strings, can regard as effective description of D-brane instantons)

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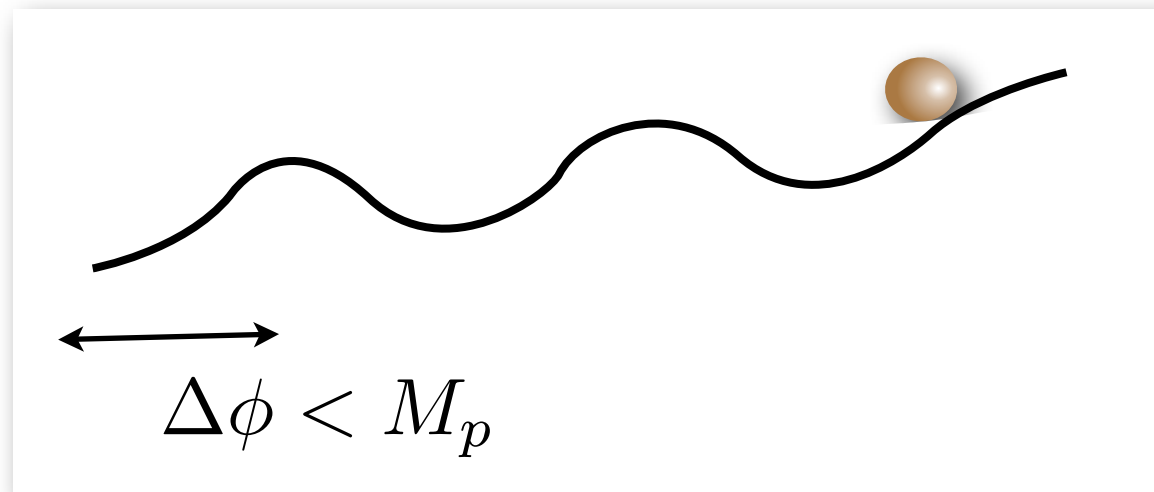
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\Rightarrow higher harmonics reduce the rolling range $< M_p$



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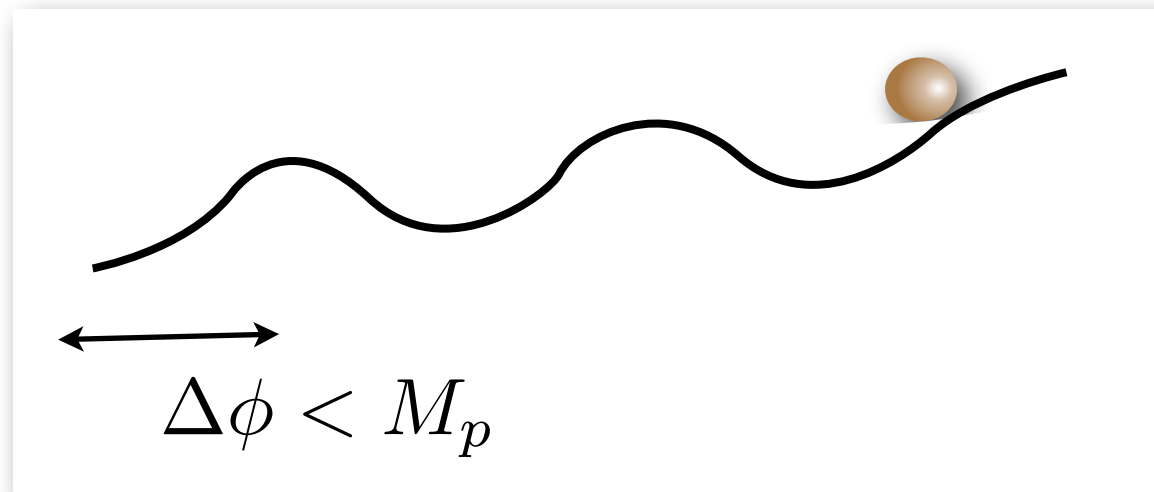
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- Consistent with Weak Gravity Conjecture

Arkani-Hamed, Motl, Nicolis, Vafa

Gravitational instantons & multiple axions

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Solutions of GR+multi-axions with charge vector \mathbf{n}

$$S \sim M_p \sqrt{\mathbf{n} \cdot \mathcal{G}^{-1} \cdot \mathbf{n}} \text{ , with } \mathcal{G} \text{ the axion kinetic matrix}$$

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 Higher harmonic check: points \mathbf{n} inside ellipse $S < 1$?

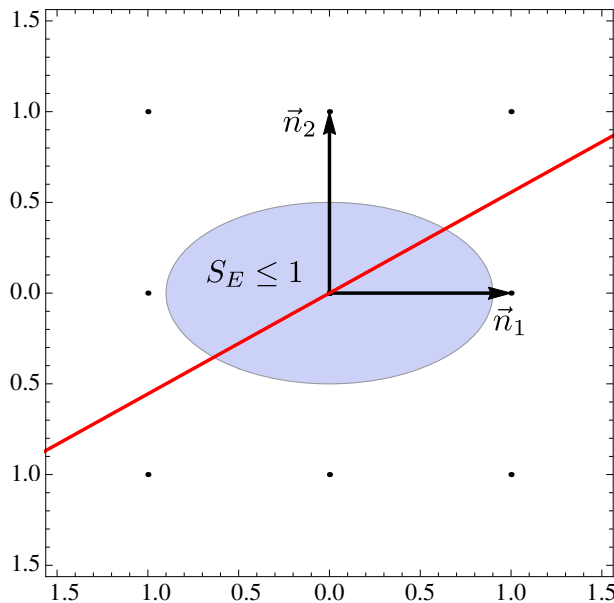
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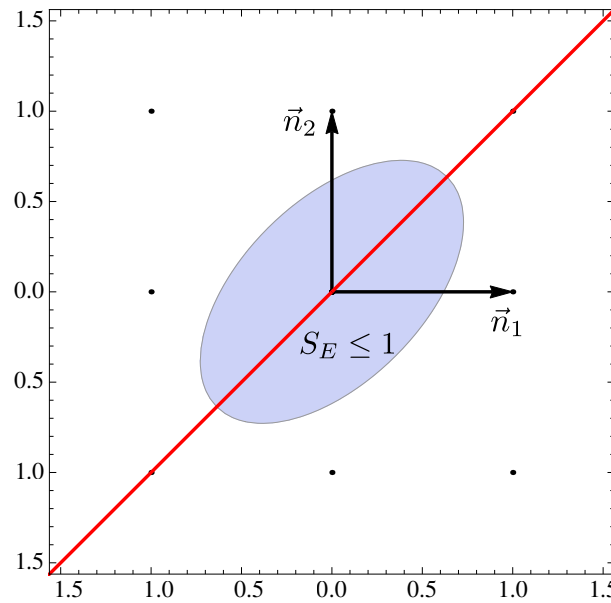
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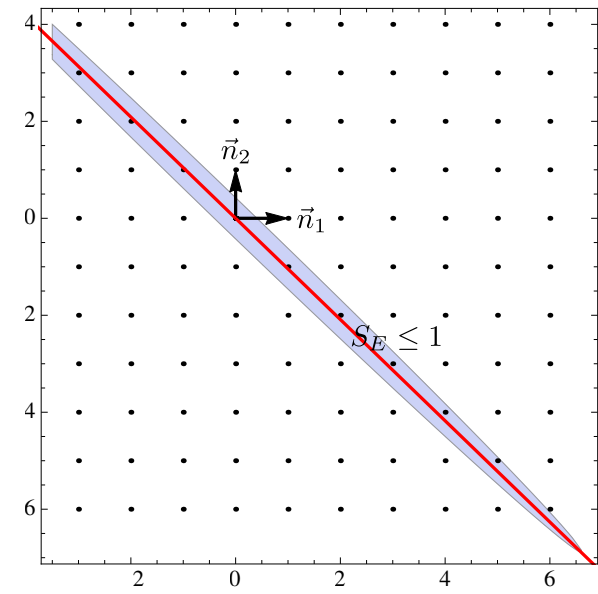
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N-flation



kinetic alignment



lattice alignment

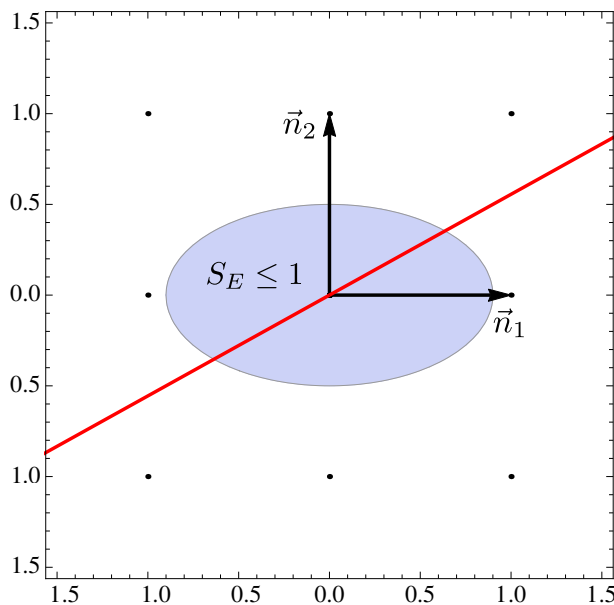
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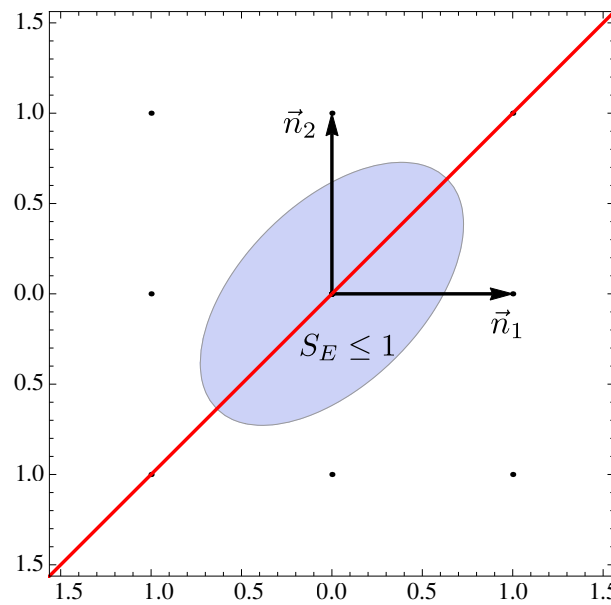
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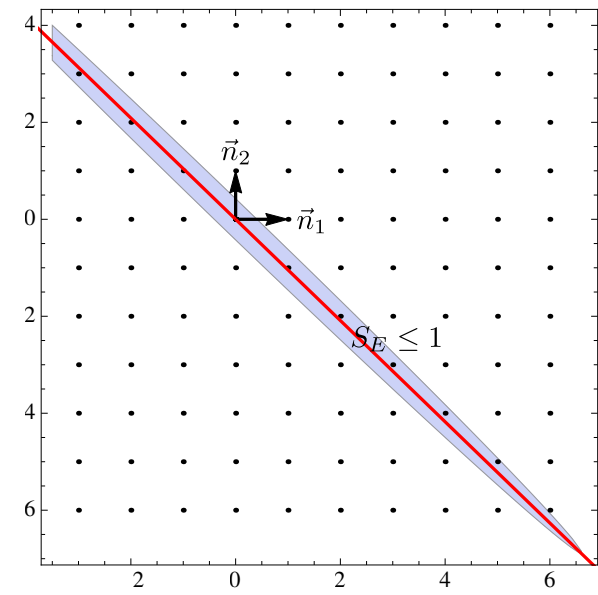
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 Absence of wormholes necessary, not sufficient

Weak gravity conjecture

Arkani-Hamed, Motl, Nicolis, Vafa

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Landscape vs Swampland

In theories with quantum gravity with $U(1)$, there must exist a particle in spectrum with $m/q < M_p$

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Strong form	Lightest particle has larger q/m
Mild form	Not necessarily so

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Generalize to arbitrary p -form field, e.g. axions (0-forms)

In quantum gravity with single axion, there exists an instantons with $S \lesssim M_p/f$

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Strong form very stringent for multi-axion models

WGC and multi-axions

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 Vigorous activity (and in interplay with strings)

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- 📌 WGC: Convex hull of vectors \mathbf{n}/S contains unit ball

Cheung, Remmen

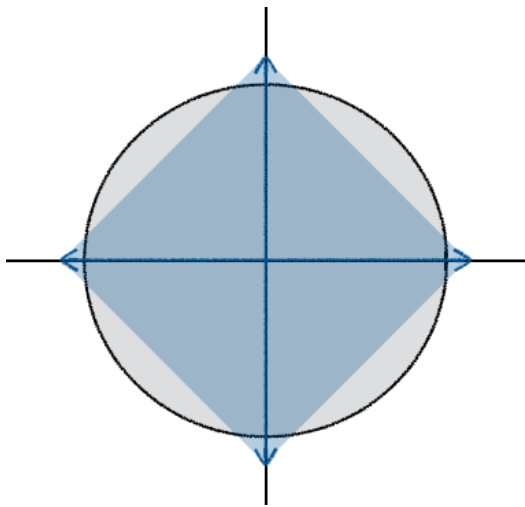
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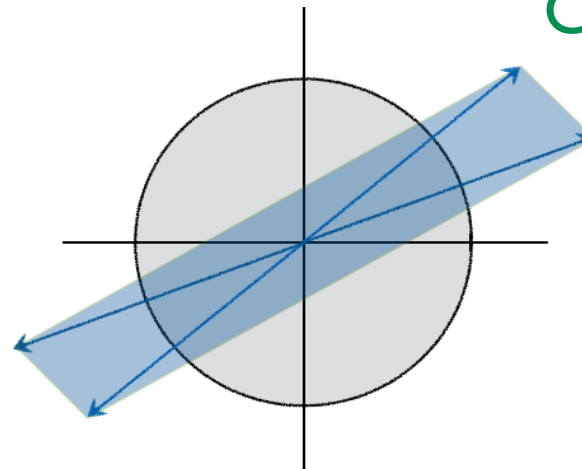
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lattice alignment

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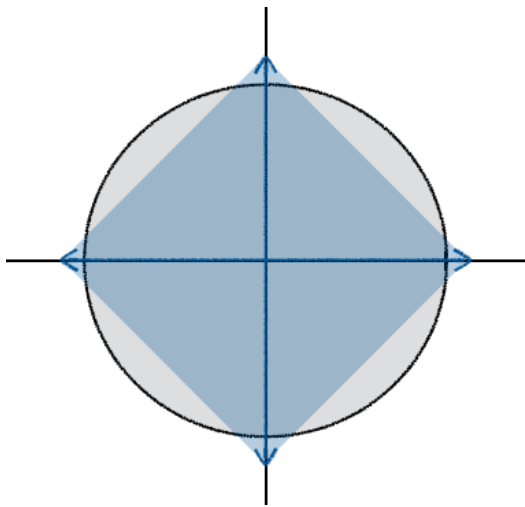
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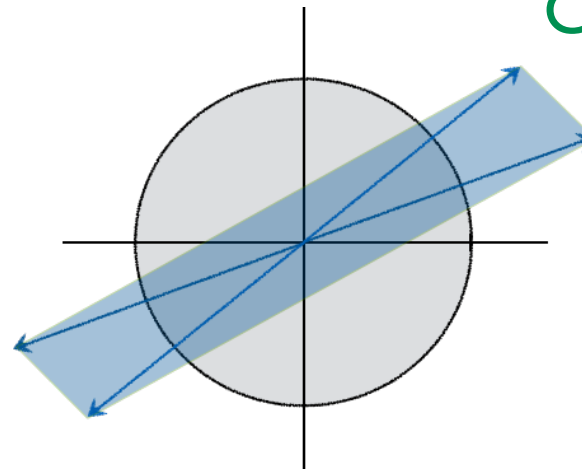
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- 📌 Strings seems to satisfy strong version \Rightarrow constraining

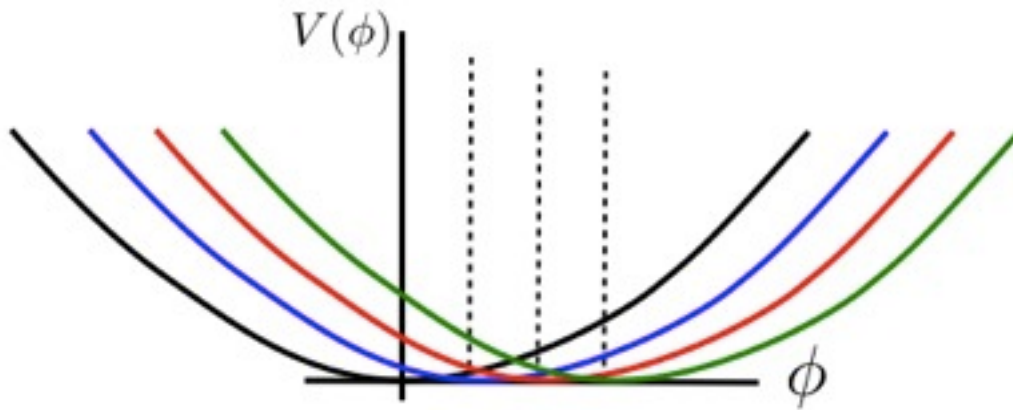
- 📌 Open challenge to show otherwise

& realize transplanckian natural inflation

Axion monodromy

 Alternative: Transplanckian field range with subplanckian periodicity, through multivalued potential

Silverstein, Westphal

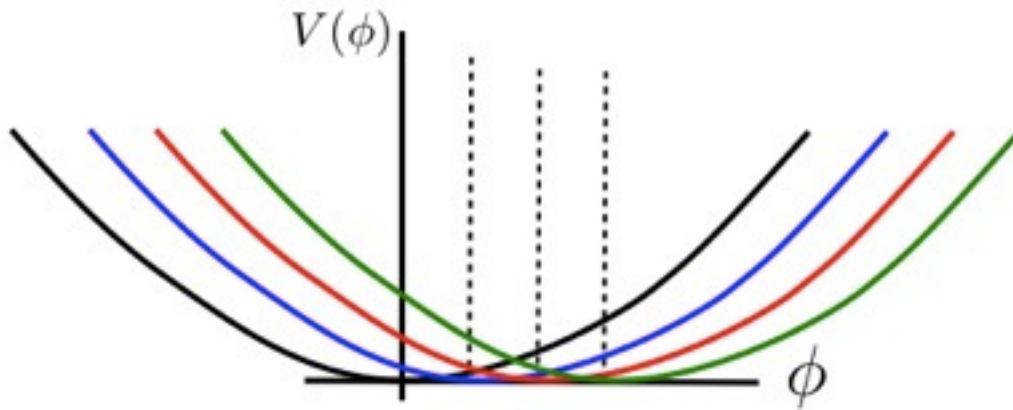


cf Witten's θ angle
in large N pure YM

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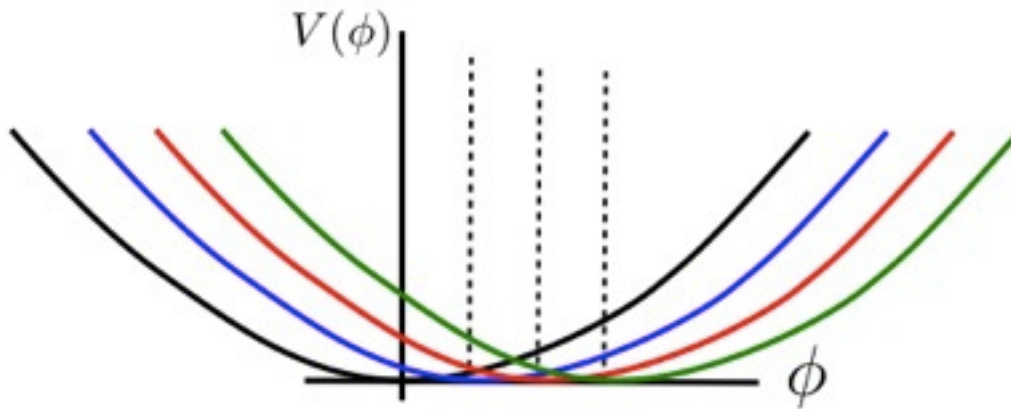
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- Potential protected by dual 3-form gauge invariance

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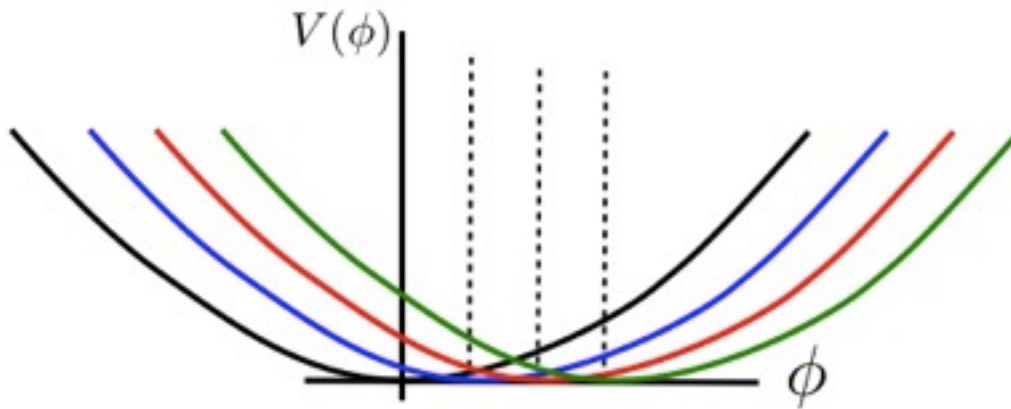
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$$|F_4|^2 + |dC_2 - nC_3|^2 \quad C_3 \rightarrow C_3 + d\Lambda_2 \quad ; \quad C_2 \rightarrow C_2 + n\Lambda_2$$

$$|F_4|^2 + n\phi F_4 + |d\phi|^2$$

Kaloper, Sorbo+Lawrence

$$|d\phi|^2 + \phi^2$$

An early model



McAllister, Silverstein, Westphal



Axion from IIB RR 2-form over 2-cycle

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McAllister, Silverstein, Westphal

-  Axion from IIB RR 2-form over 2-cycle
-  Monodromy from (NS)5-brane-antibranes on two homologous 2-cycles on separate throats

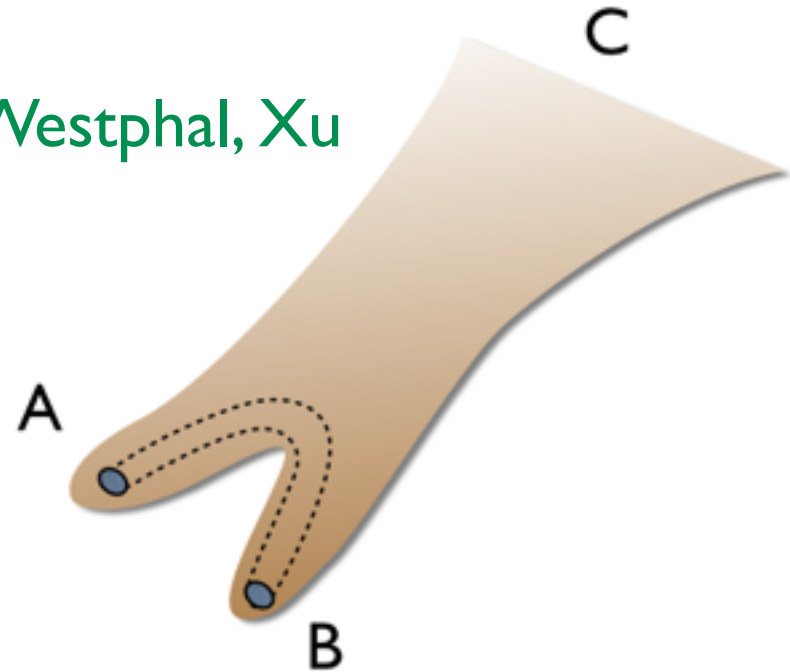
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Flauger, McAllister, Pajer, Westphal, Xu



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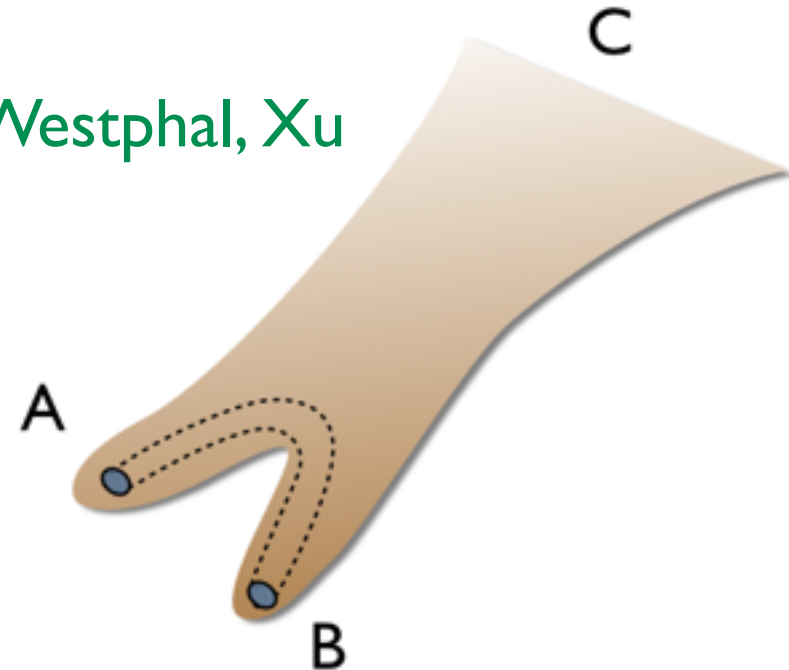
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- 📌 Bifid throat looks “ugly”, but
 - hosted by simple geometries
 - has tractable holographic dual

Retolaza, A.U, Westphal

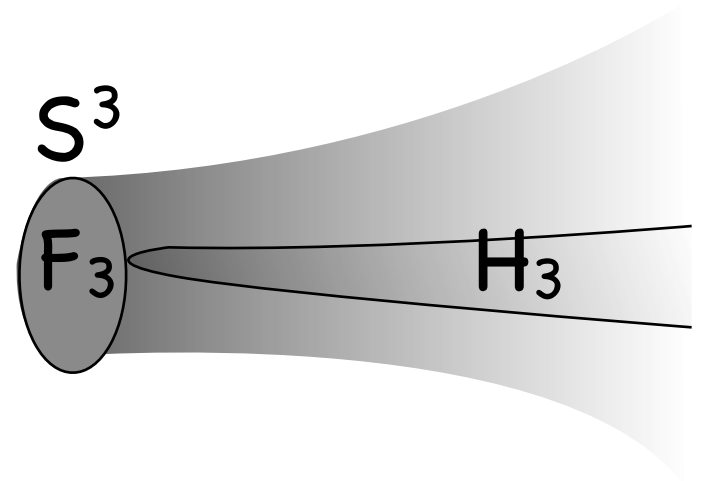
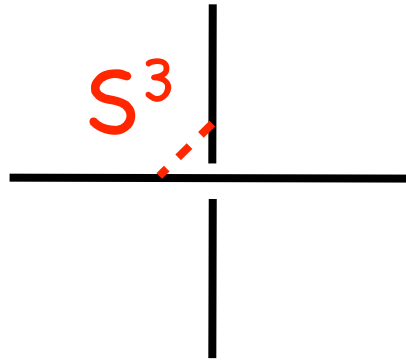
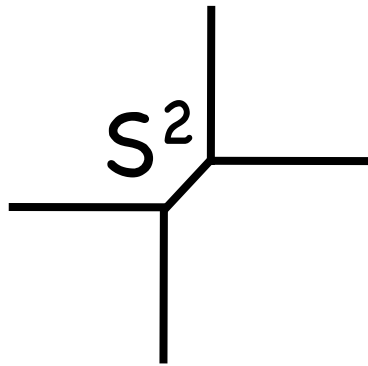


Simple geometries hosting bifid throat

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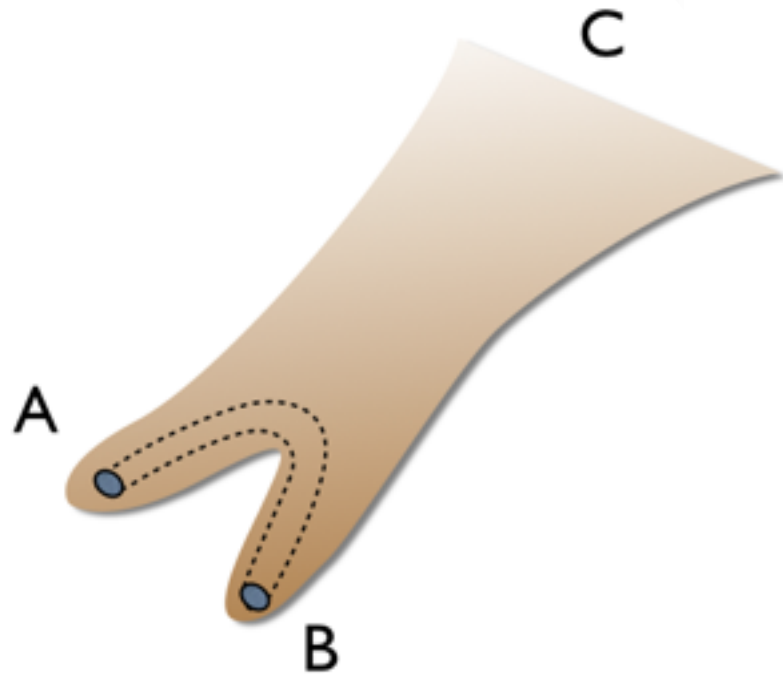
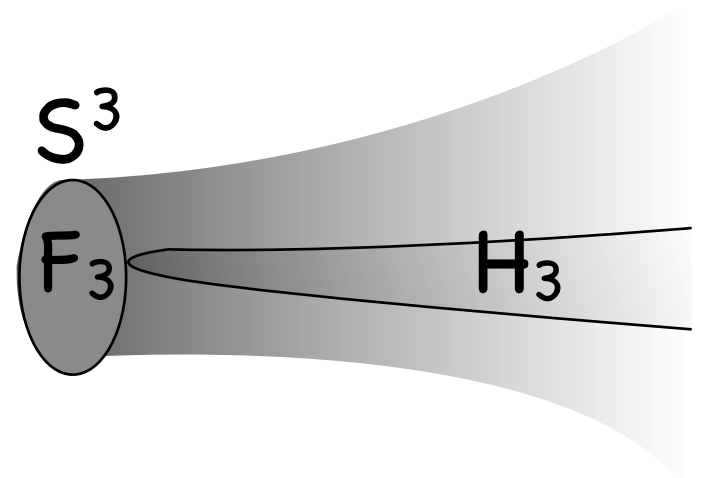
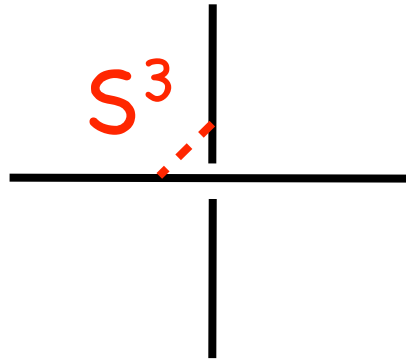
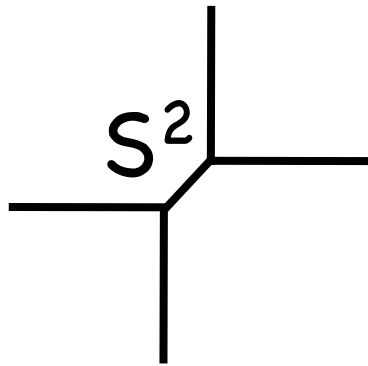
Recall warped deformed conifold throat Klebanov, Strassler



Simple geometries hosting bifid throat

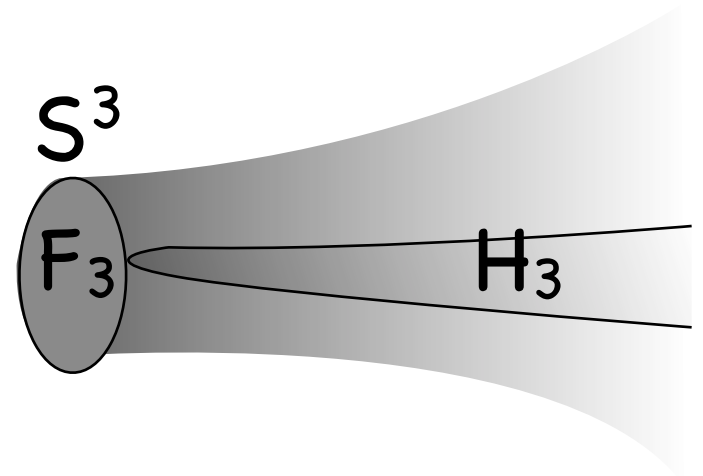
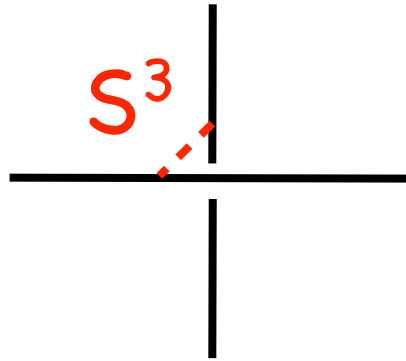
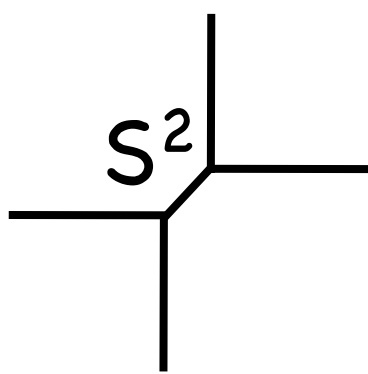


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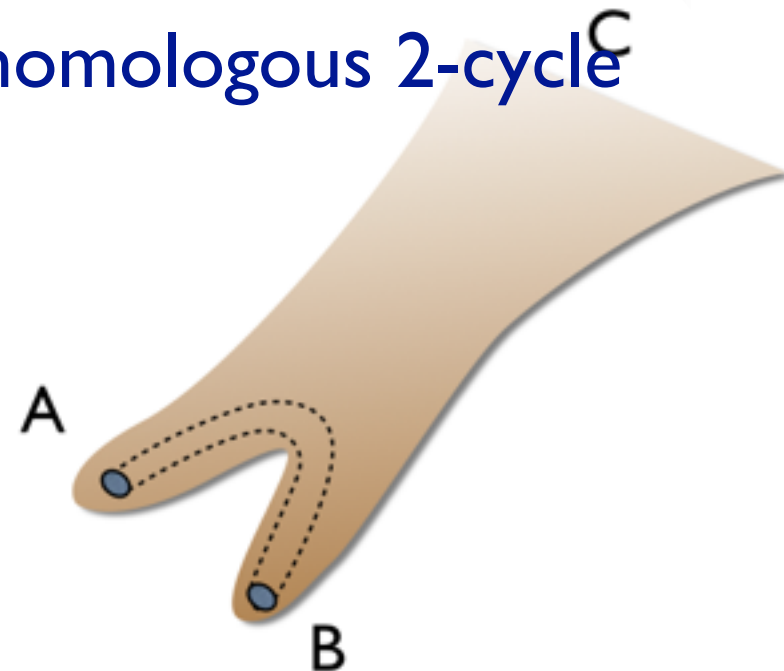
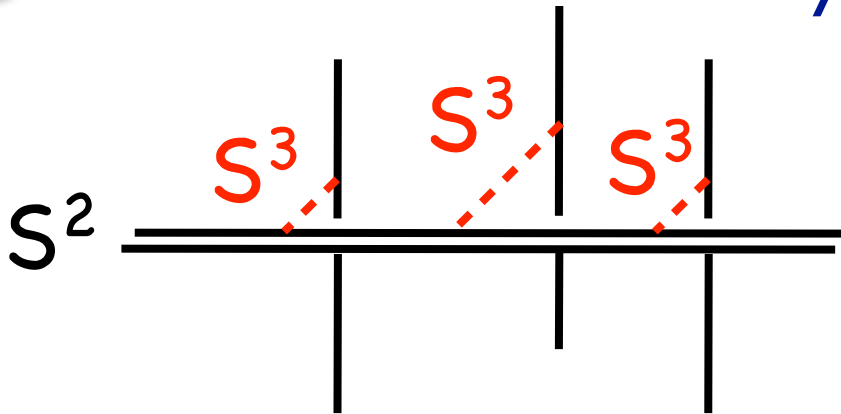


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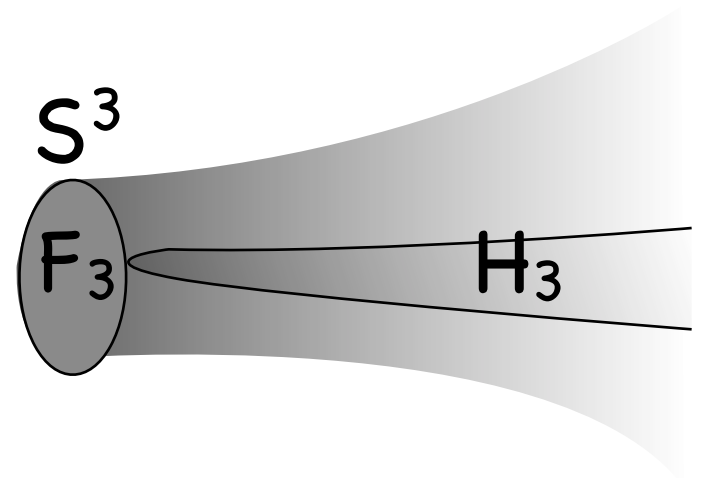
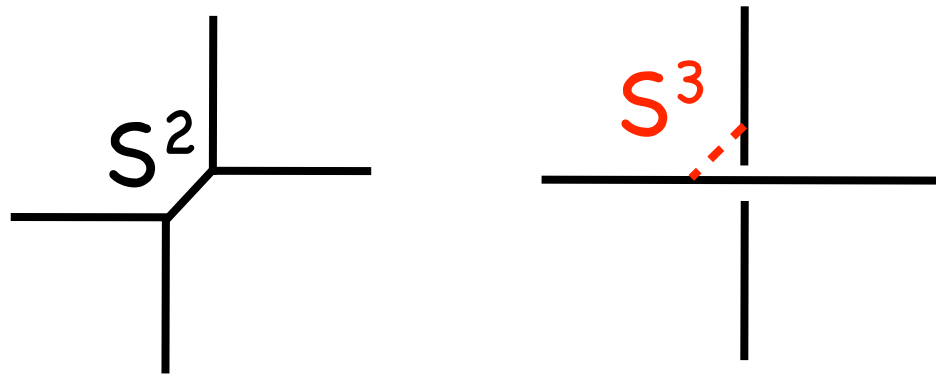


Throats with three 3-cycles and homologous 2-cycle

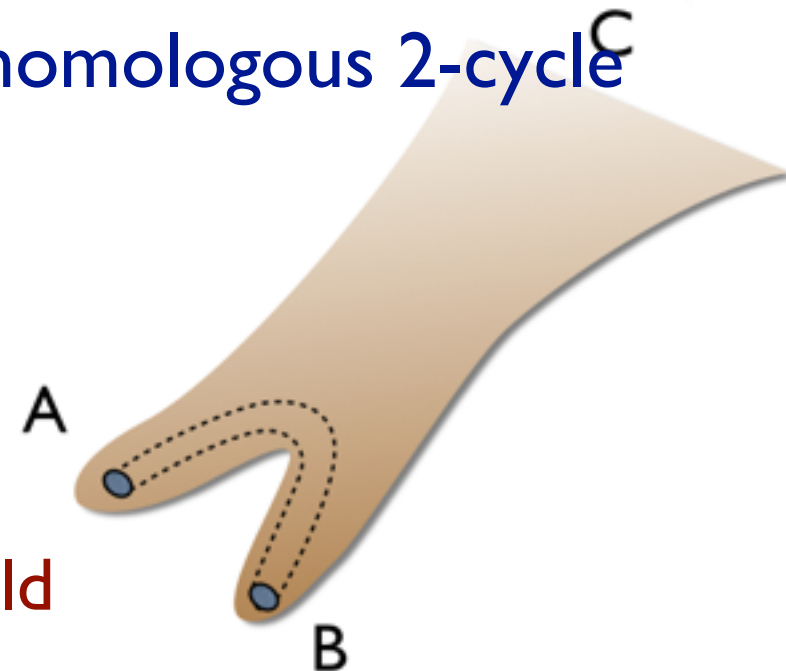
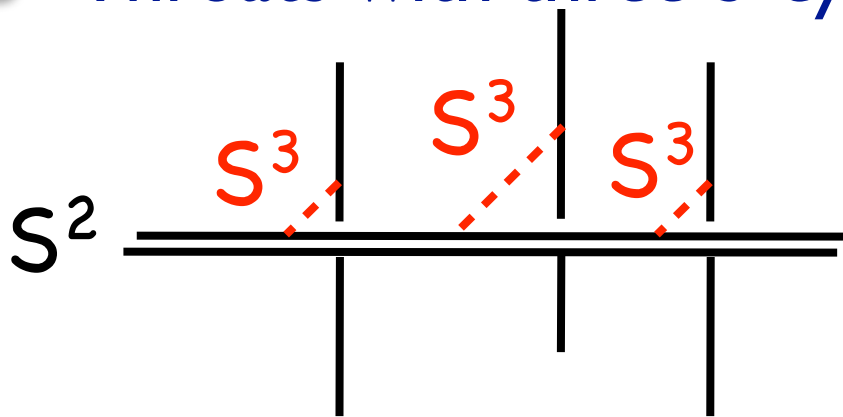


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Just a $Z_2 \times Z_3$ orbifold of the conifold

Holographic dual of bifid throat

Holographic dual of bifid throat



D3 at toric singularities: use dimer diagram techniques

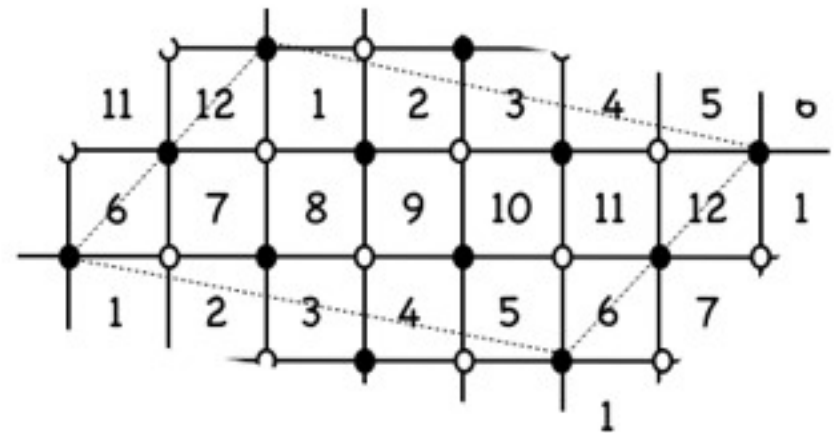
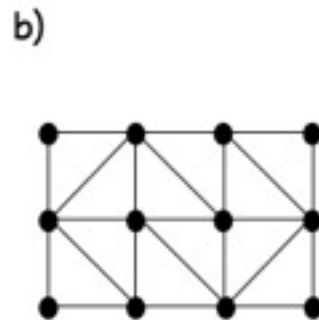
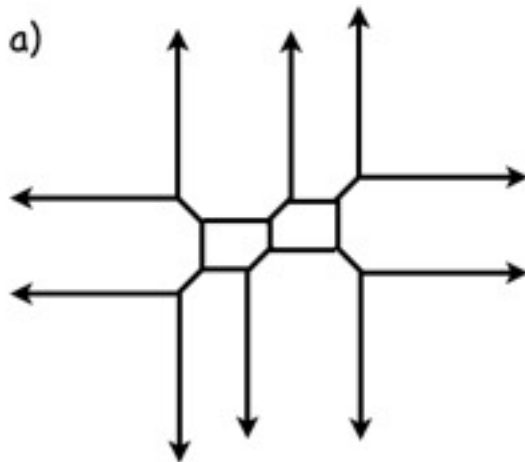
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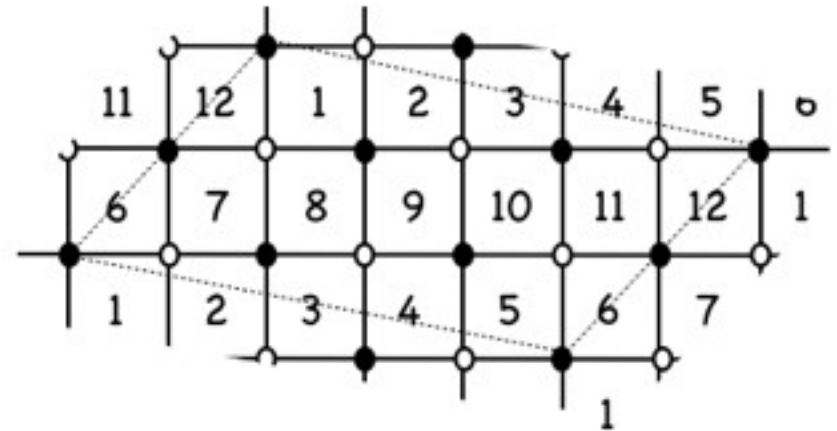
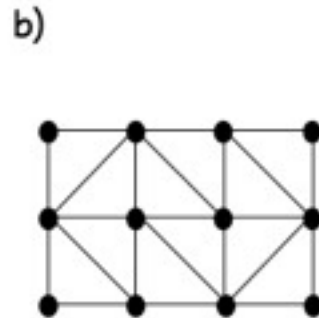
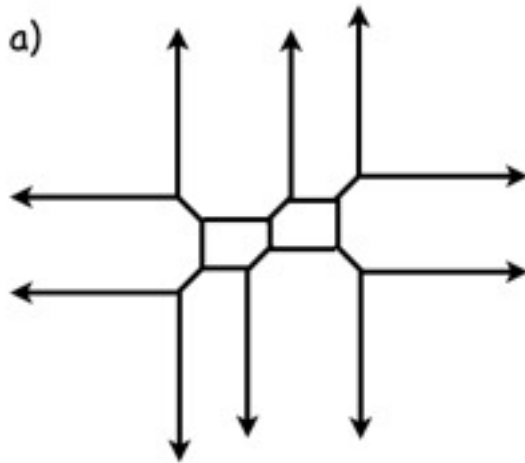


Holographic dual of bifid throat



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Allows for completely explicit choice of fractional branes triggering an RG flow dual to the bifid throat

Give a sketch of the main steps

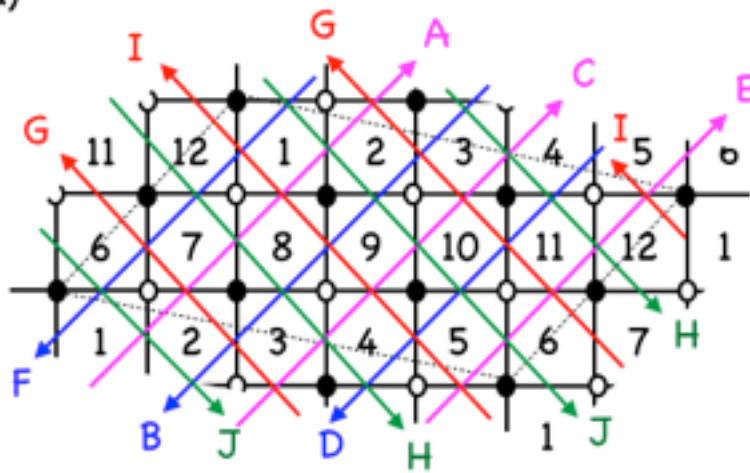
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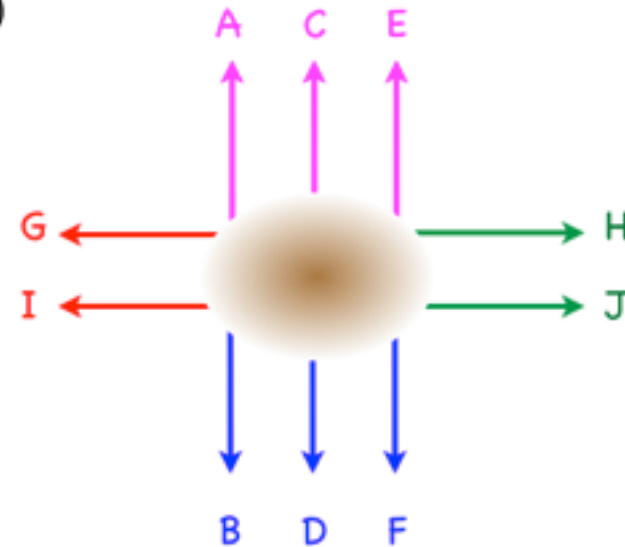


UV of overall throat: Duality cascade on conifold/ $(Z_2 \times Z_3)$

a)

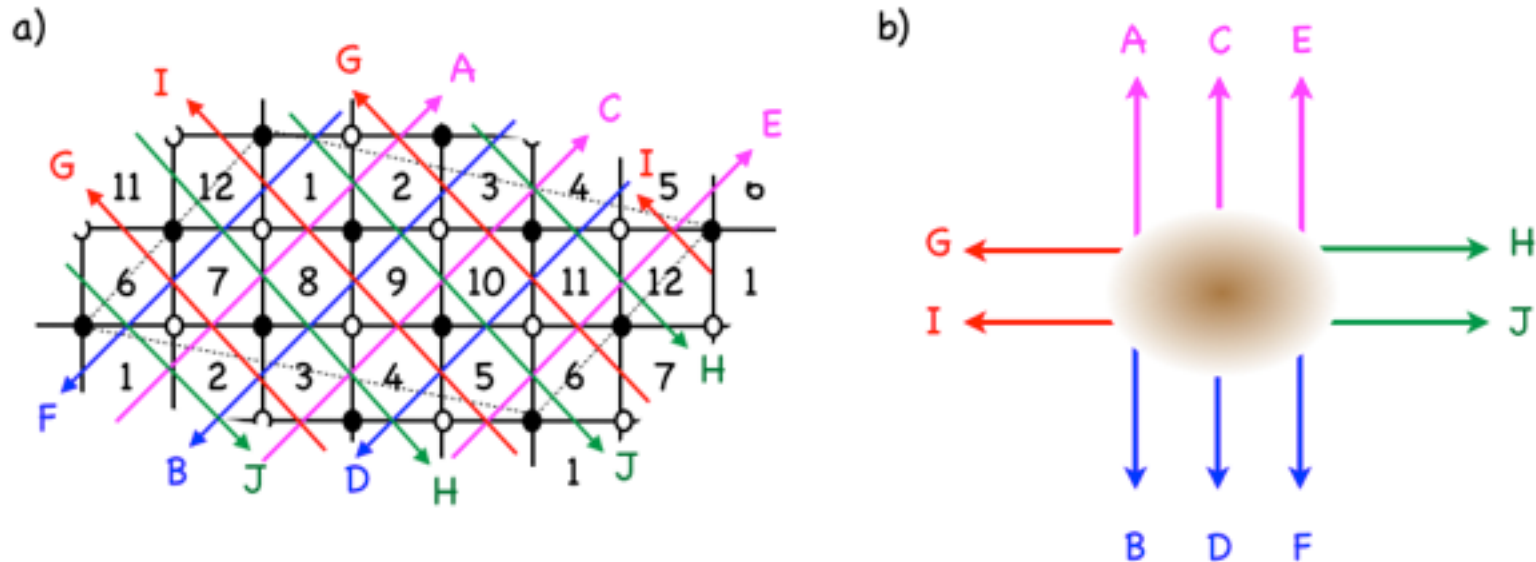


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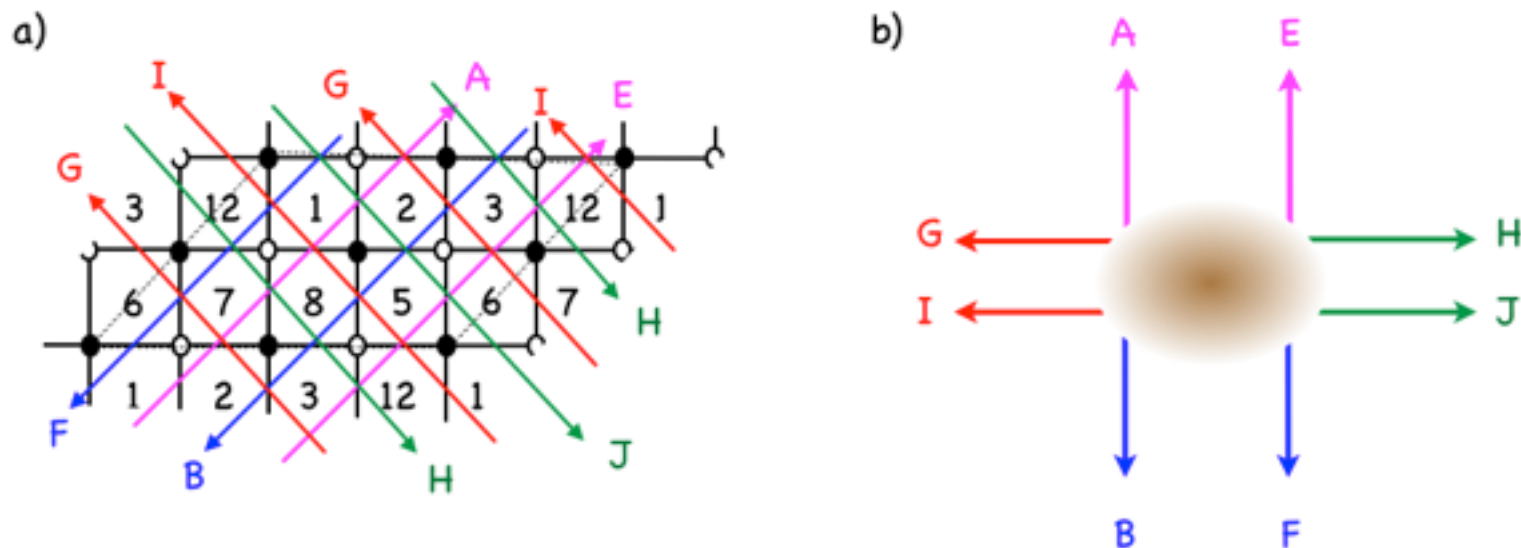


Holographic dual of bifid throat

UV of overall throat: Duality cascade on conifold/ $(Z_2 \times Z_3)$



IR of overall throat: Deformation to conifold/ $(Z_2 \times Z_2)$

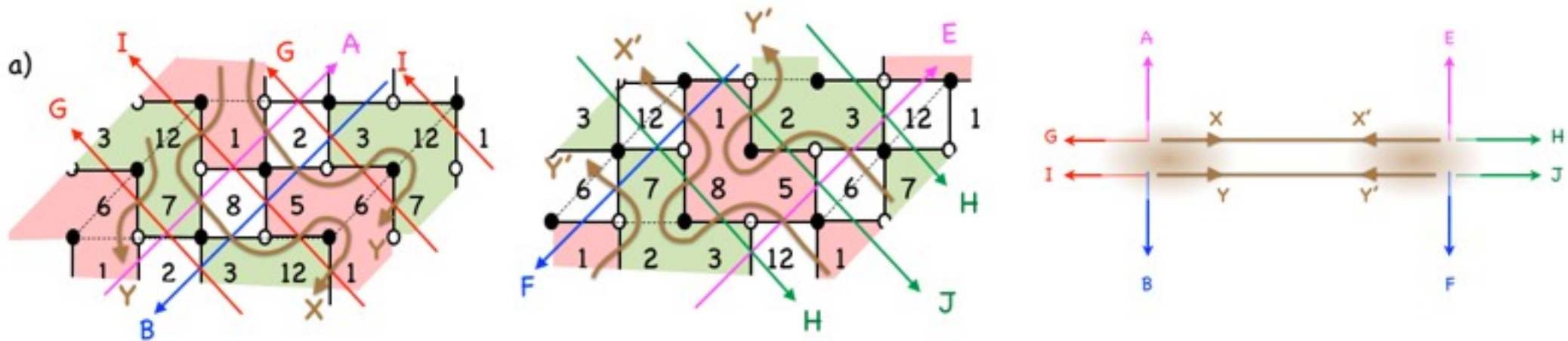


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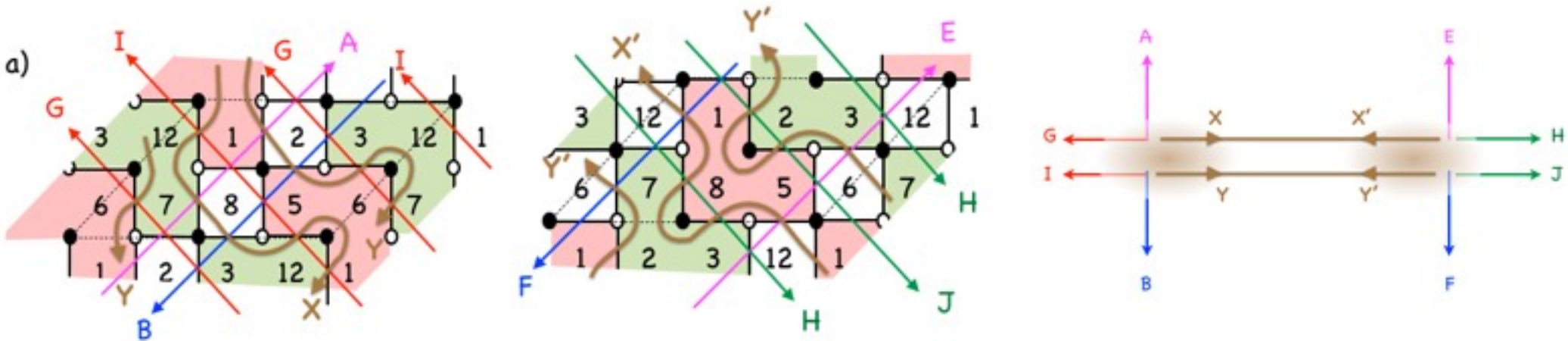
Daughter throats: baryonic Higgsing to two conifold/ Z_2



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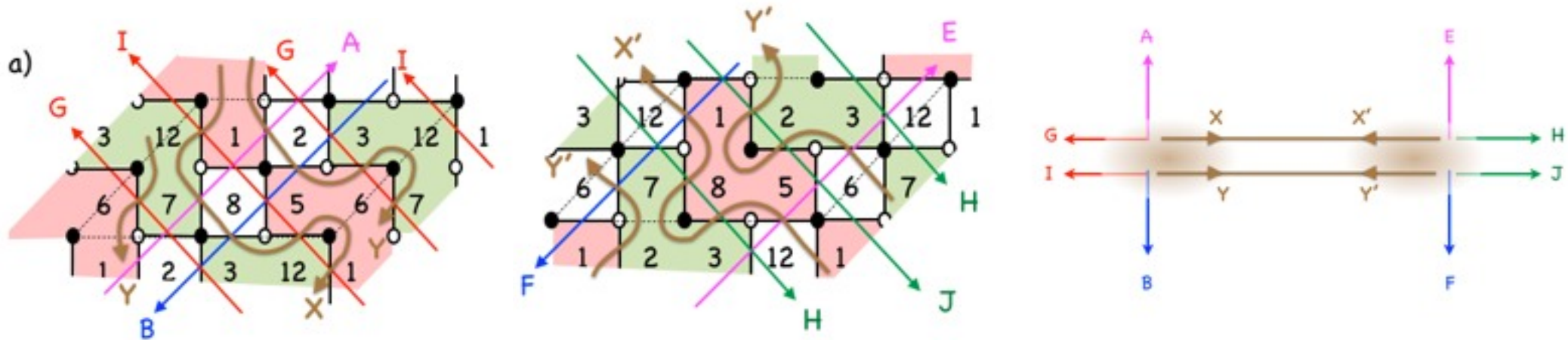


IR of daughters: Deformation to complex curve of C^2/\mathbb{Z}_2
Just a \mathbb{Z}_2 orbifold of Klebanov-Strassler

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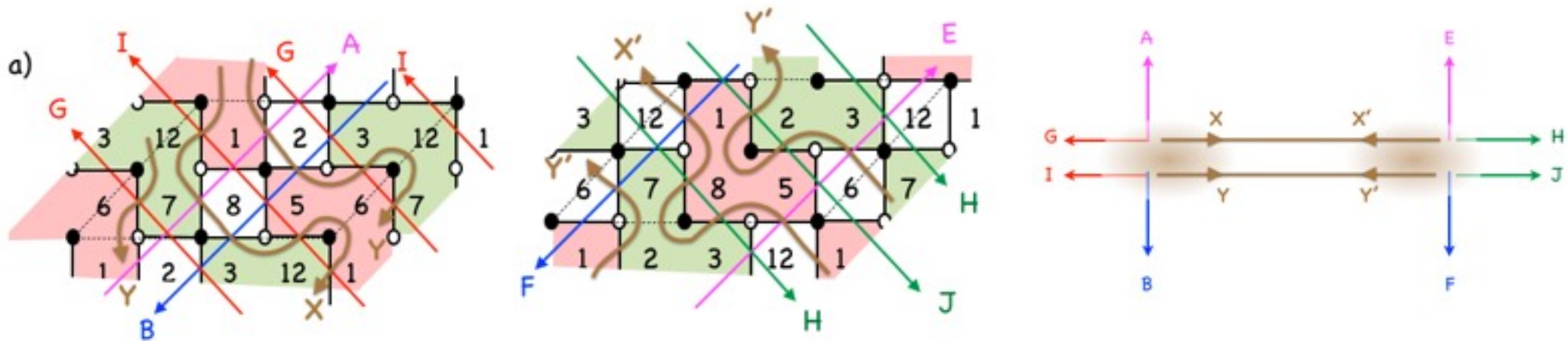


Log backreaction of branes is RG evolution of gauge couplings

Already studied in $N=2$ fractional branes by Graña, Polchinski

Holographic dual of bifid throat

- Daughter throats: baryonic Higgsing to two conifold/ \mathbb{Z}_2





- IR of daughters: Deformation to complex curve of C^2/\mathbb{Z}_2
Just a \mathbb{Z}_2 orbifold of Klebanov-Strassler

- Log backreaction of branes is RG evolution of gauge couplings

Already studied in $N=2$ fractional branes by Graña, Polchinski

- Induced D3 charge still subject to antibrane controversy

Conclusions

-  Transplanckian axion decay constants...
-  Transplanckian field ranges in axion monodromy ...

Conclusions



Transplanckian axion decay constants...

Seem pretty constrained by quantum gravity
(gravitational instantons, weak gravity conjecture)

Edge of parametric control

Challenge to realize models with mild version of WGC



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More work needed...

Important from first-principles perspective
but hopefully relevant to new cosmo data

Thank you!