

# Dust properties from cosmological simulation

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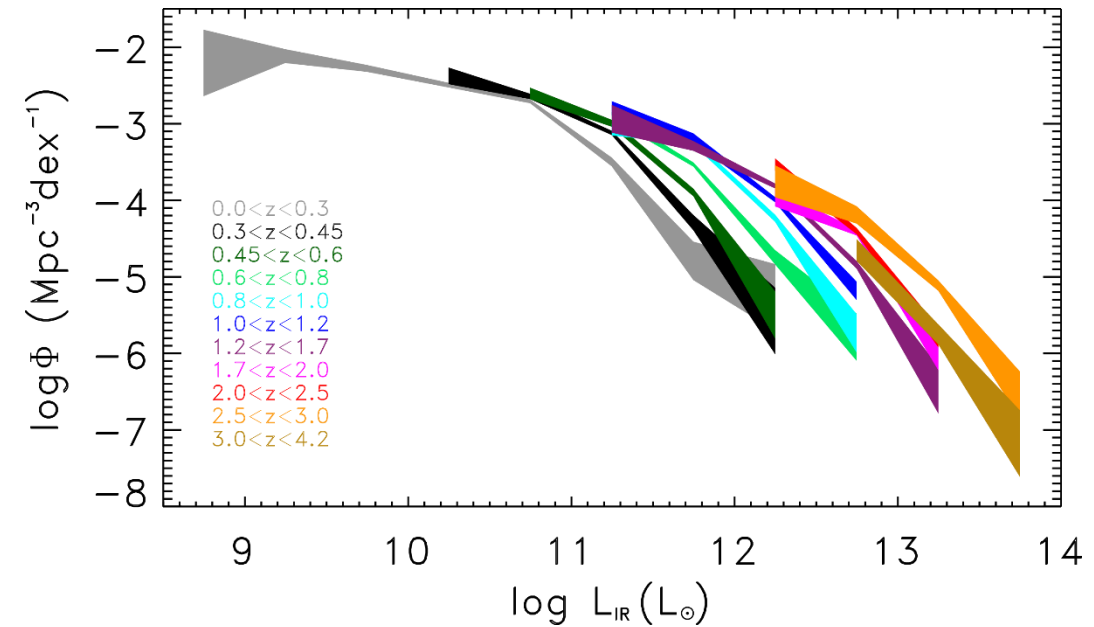
Hiroiyuki Hirashita, Wei-Hao Wang,  
Chen-Fatt Lim, Kuan-Chou Hou (ASIAA),

Kentaro Nagamine, Ikkoh Shimizu (Osaka University)

Aoyama et al. in preparation.

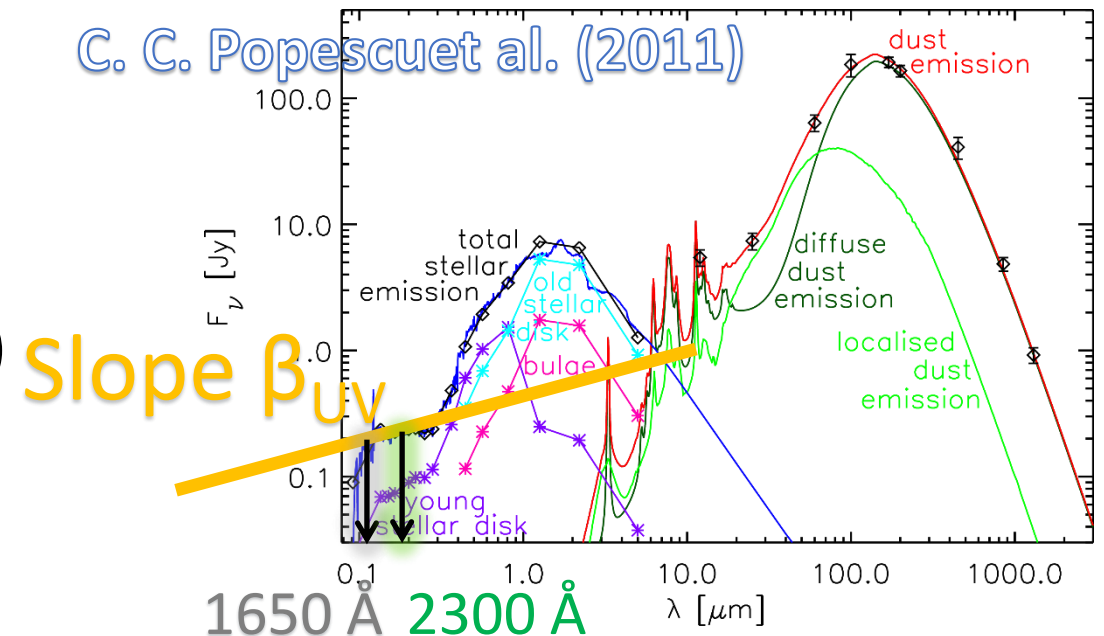
# Introduction

- Dust absorbs UV-optical light and reprocess it into the IR.
- IR luminosity function,  $T_{\text{dust}}$  and  $\text{IRX-}\beta_{\text{UV}}$  indicate the dust abundance, distribution and the interstellar radiation field.
- They are observationally obtained with many ground observatory (e.g. JCMT) and satellites (e.g. *Herschel*, *Spitzer*, *IRAS*) at various redshift ( $0 < z < 4$ ).
- Recently, STUDIES (JCMT/PI: Wei-Hao Wang) revealed the property of optically-faint, IR-luminous and high- $z$  objects.



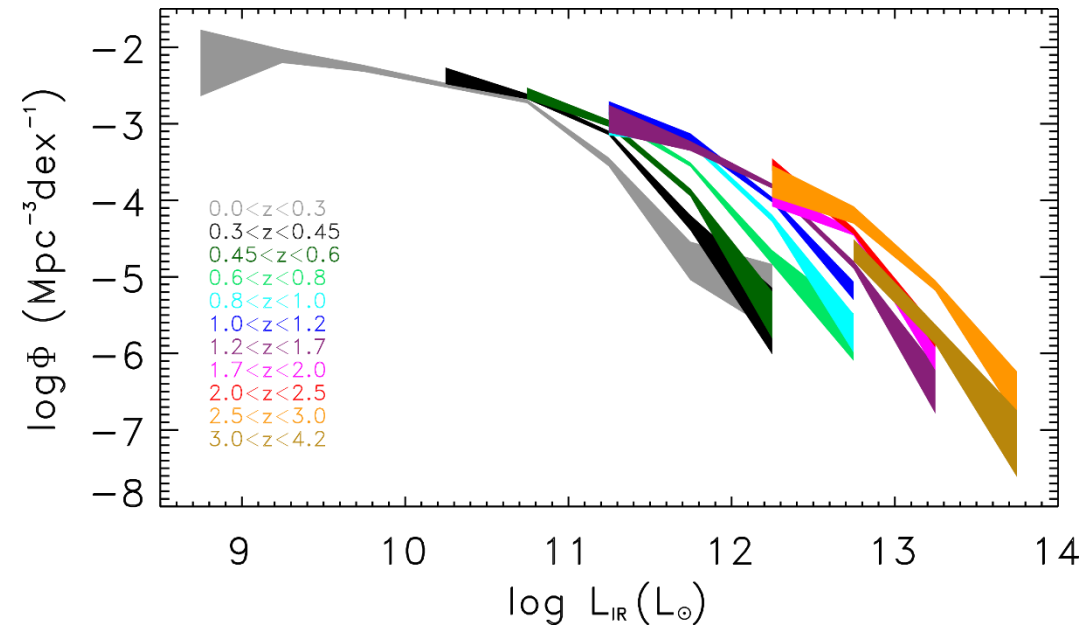
C. Gruppioni et al.(2013)[1302.5209]

C. C. Popescu et al. (2011)

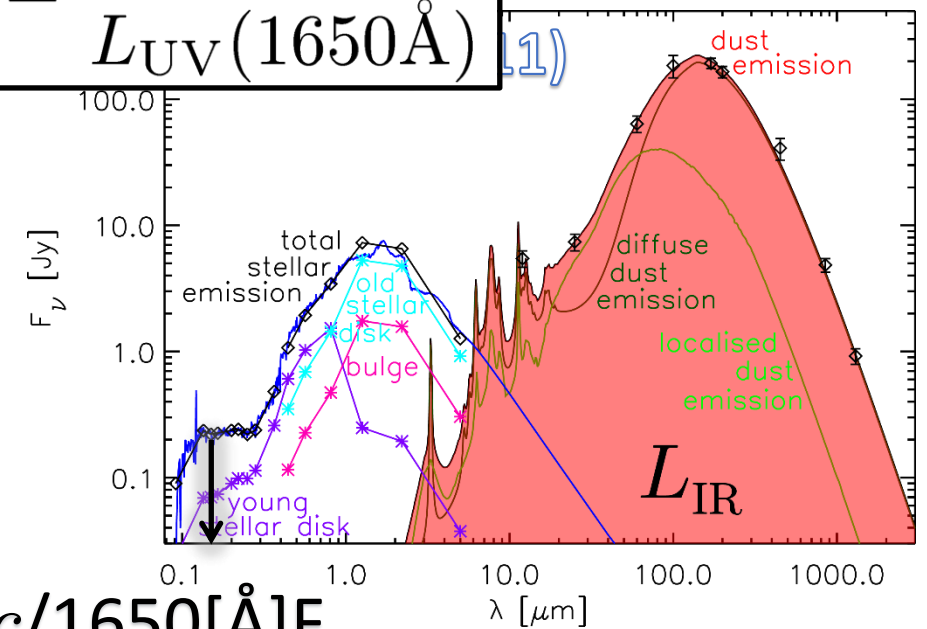


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$$\text{IRX} = \frac{L_{\text{IR}}}{L_{\text{UV}}(1650\text{\AA})} \quad (2013)[1302.5209]$$

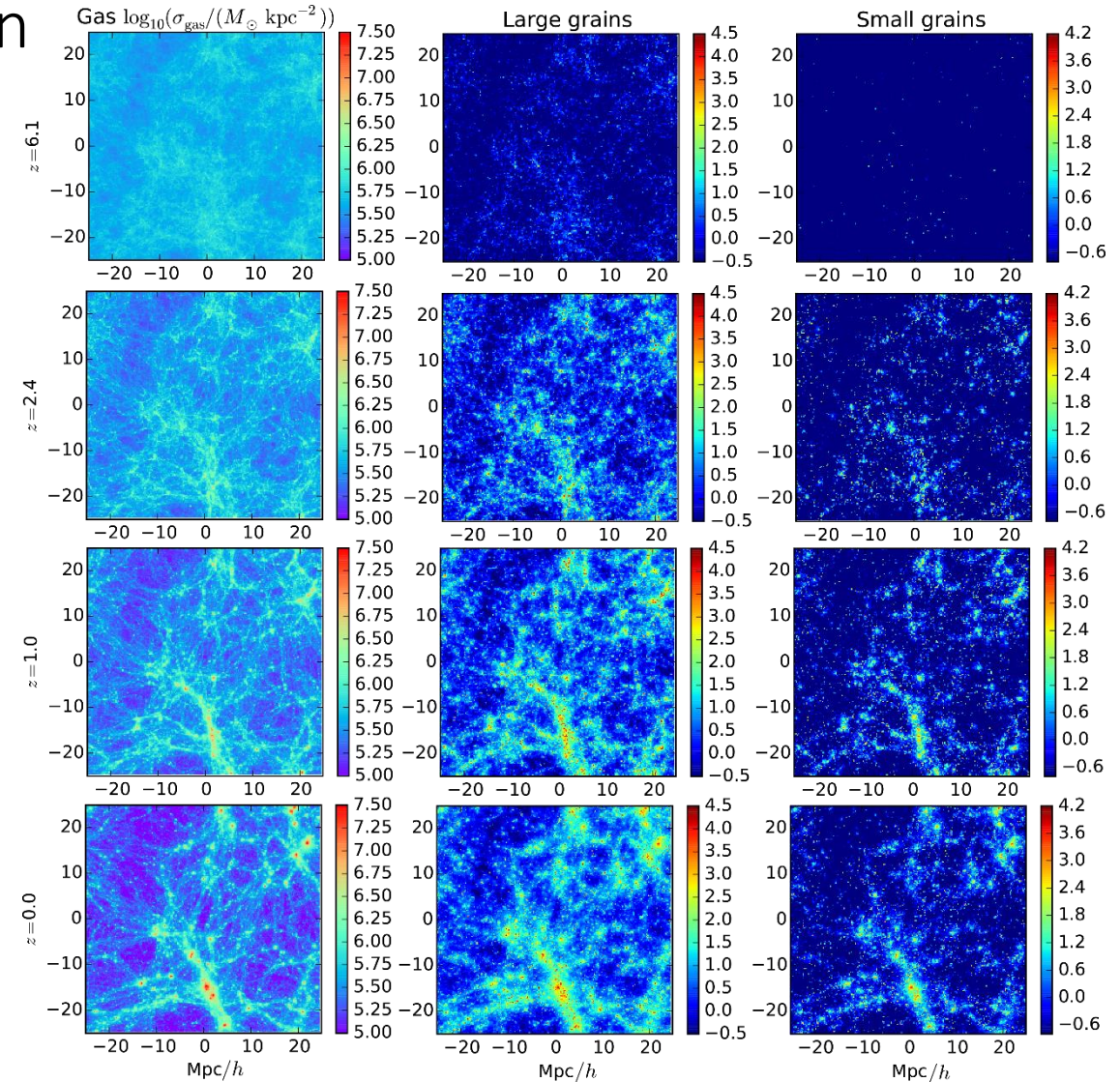


$$L_{\text{UV}}(1650) = c/1650[\text{\AA}]F_{\nu}$$

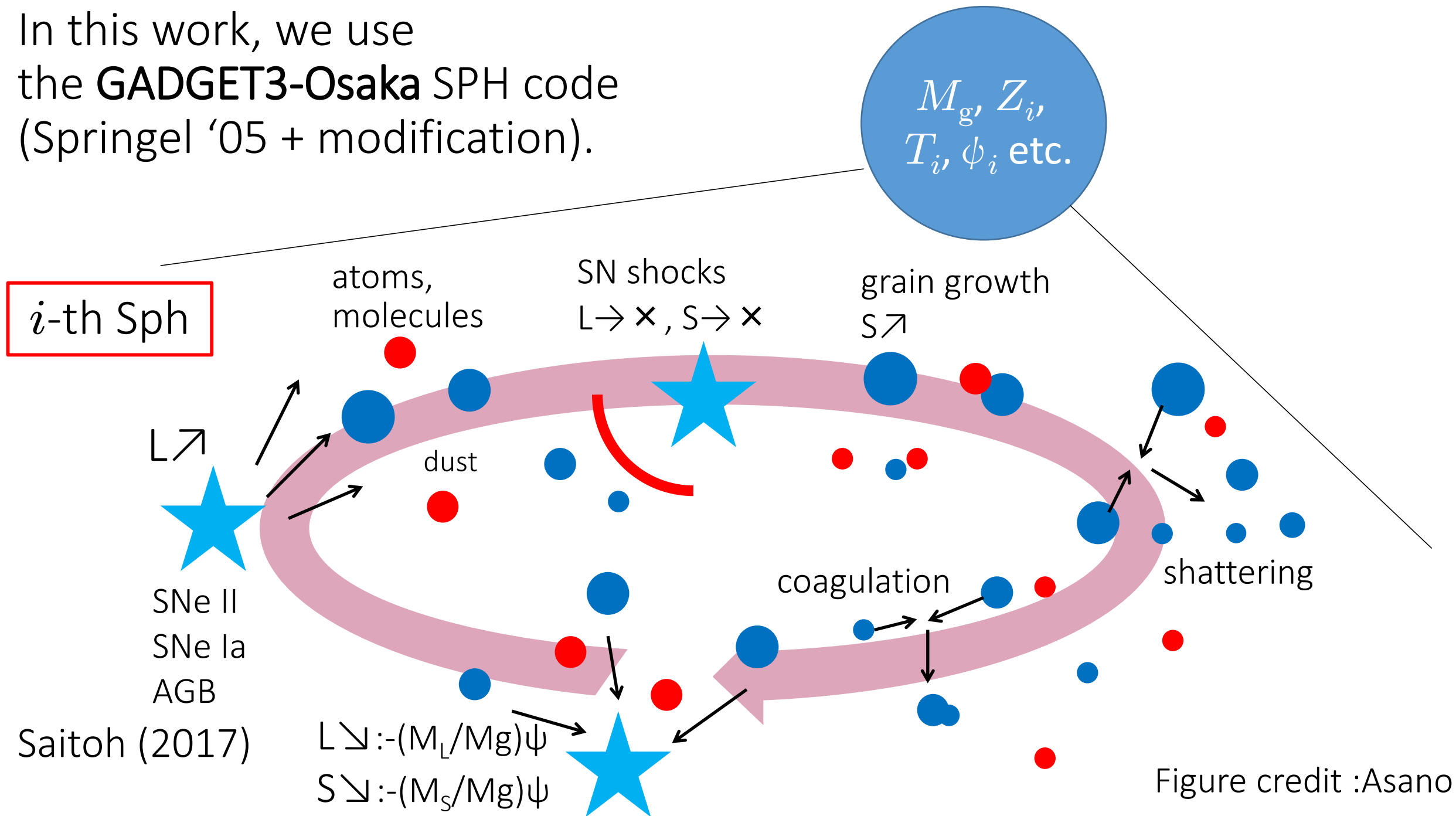
# Simulation (Aoyama et al. 2018 MNRAS accepted)

## [1802.04027]

- Cosmological hydro-dynamical simulation with dust evolution is performed by GADGET3-Osaka.
- Boxsize: 50 Mpc/h
- Resolution: 3 ckpc ( $2 \times 512^3$ )
- Dust size distribution is represented as Hirashita (2015).
- Not only dust production and growth (accretion) but also dust-dust interaction (coagulation and shattering).



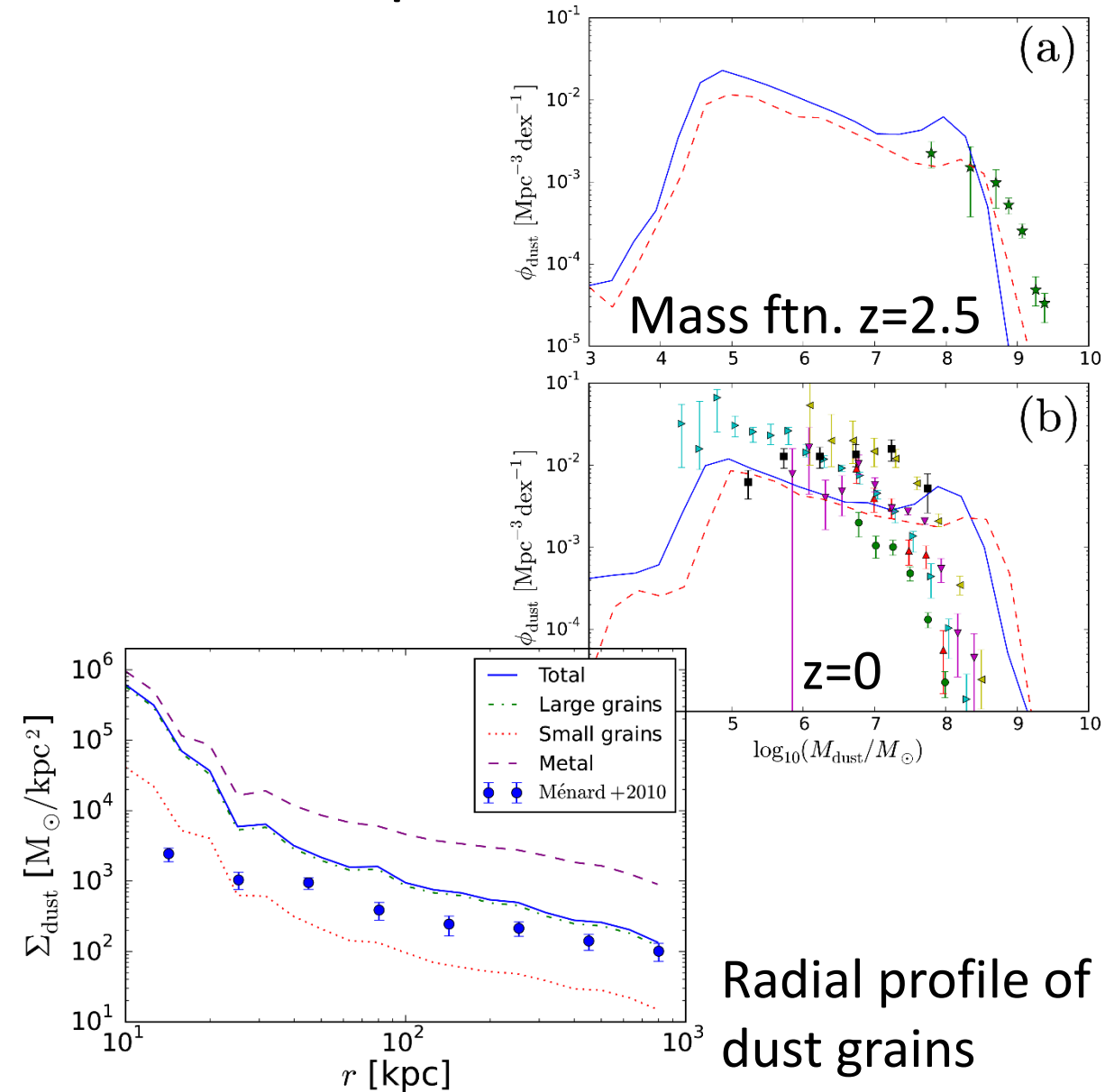
In this work, we use  
the **GADGET3-Osaka** SPH code  
(Springel '05 + modification).



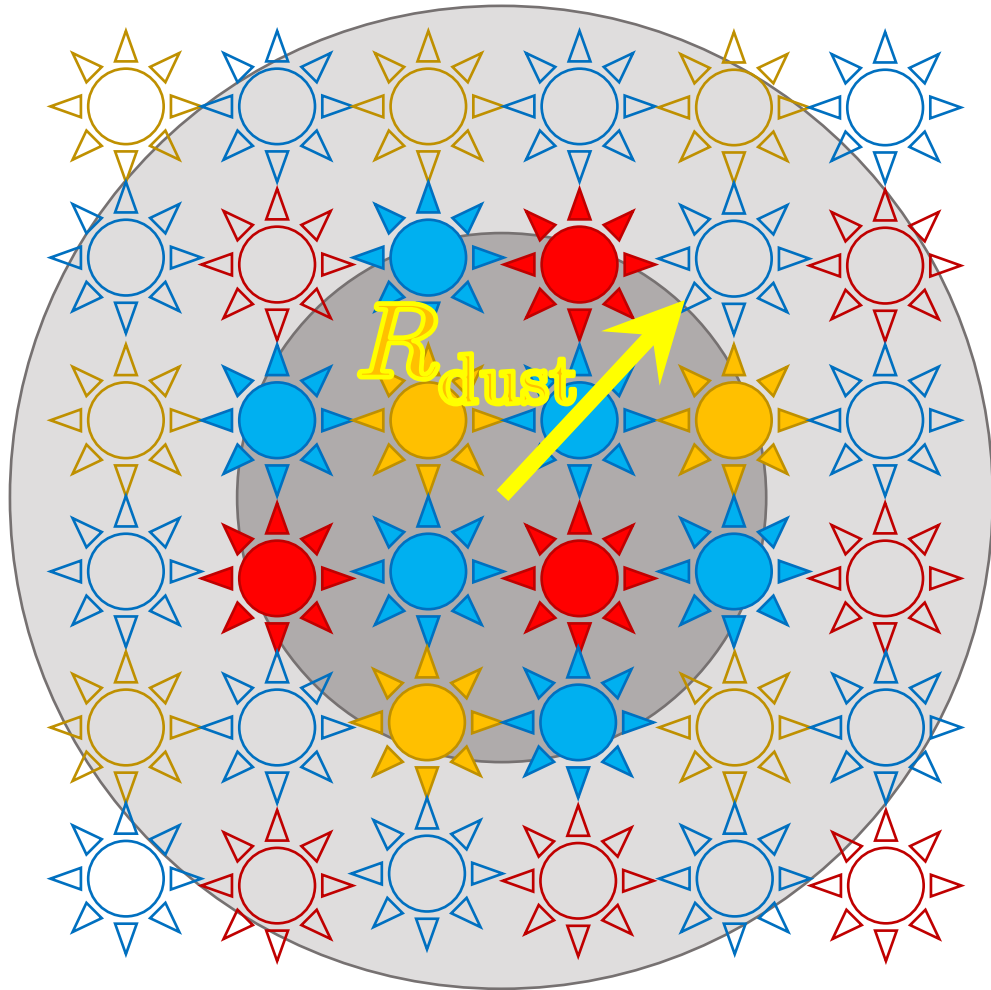


# Mass Fcn and dust radial profile

- Hydro-dynamical simulation with dust evolution is performed by GADGET3-Osaka.
- Dust size distribution is represented as Hirashita (2015) and not only dust production and growth (accretion) but also dust-dust interaction (coagulation and shattering).
- We successfully reproduce the dust mass function and radial profile of dust etc.



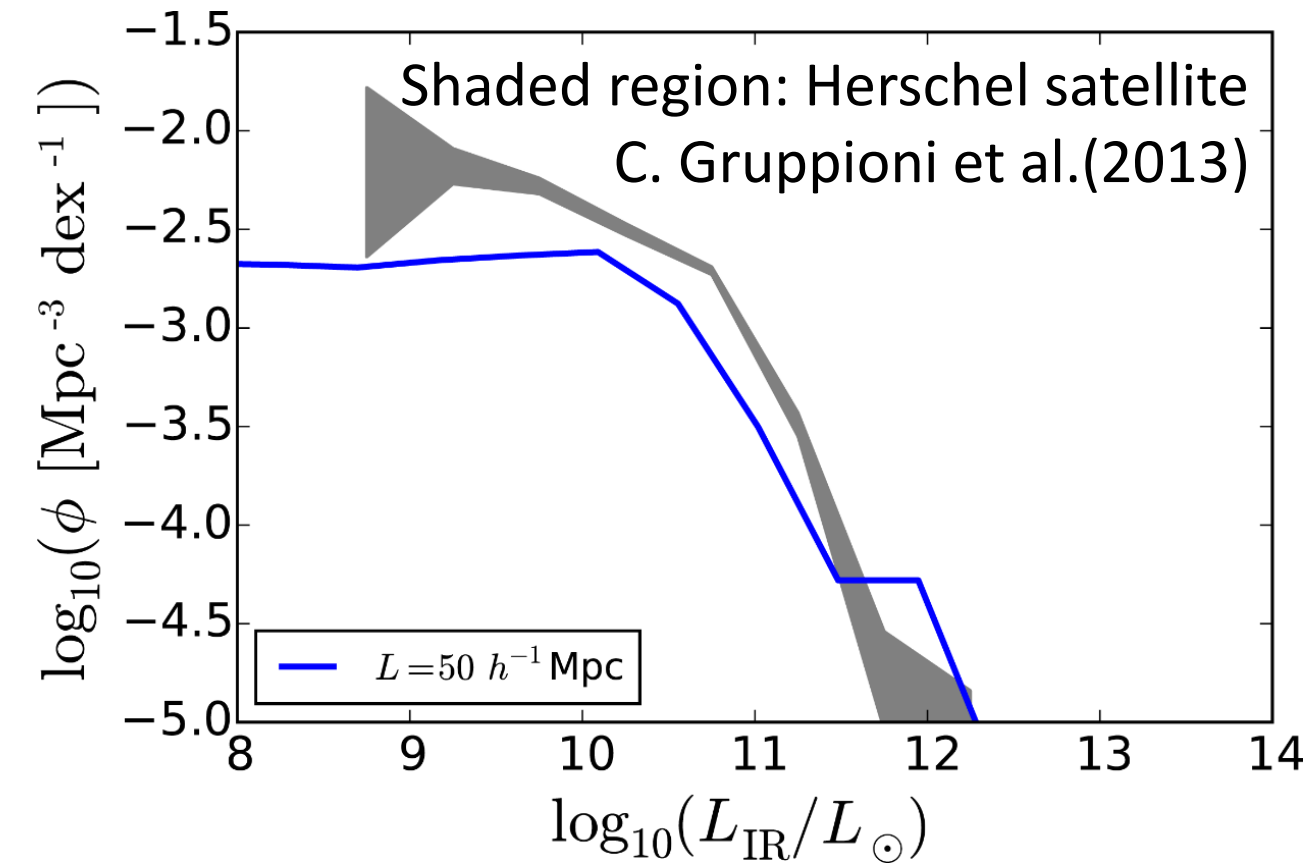
# Modeling of dust absorption and emission



- We estimate the radius of IR emitting region  $R_{\text{dust}}$  by performing the exponential fitting of radial profile of dust mass density.
- We take into account stars and dust grains at  $0 < R < R_{\text{dust}}$ .
- The intrinsic SEDs of stars are estimated by their age and metallicity based on Bruzual & Charlot (2003).
- The extinction is estimated based on the mixed geometry.

$$f_{\text{esc}}(\lambda) = \frac{1 - \exp(-\tau(\lambda))}{\tau(\lambda)}$$

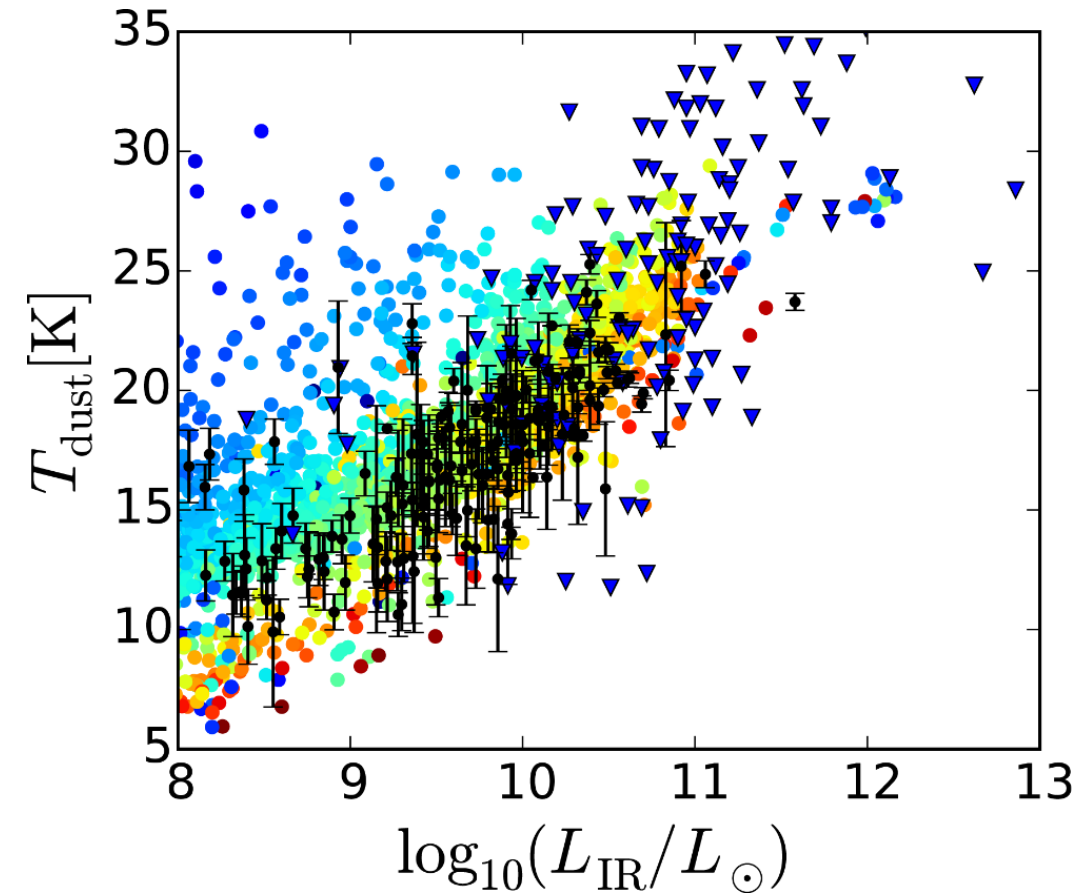
# Luminosity function at $z=0$



- We compare the LF with observation result with *Herschel*.
- Overall statistics is consistent with observation.
- From the LF, we cannot say anything about individual galaxies, so this statement is irrelevant.



# $T_{\text{dust}} - L_{\text{IR}}$ at $z=0$



- Dust temperature is estimated by

$$T_{\text{dust}} = 7.866 \left( \frac{L_{\text{IR}}/L_{\odot}}{M_{\text{dust}}/M_{\odot}} \right)^{\frac{1}{6}} \text{ K}$$

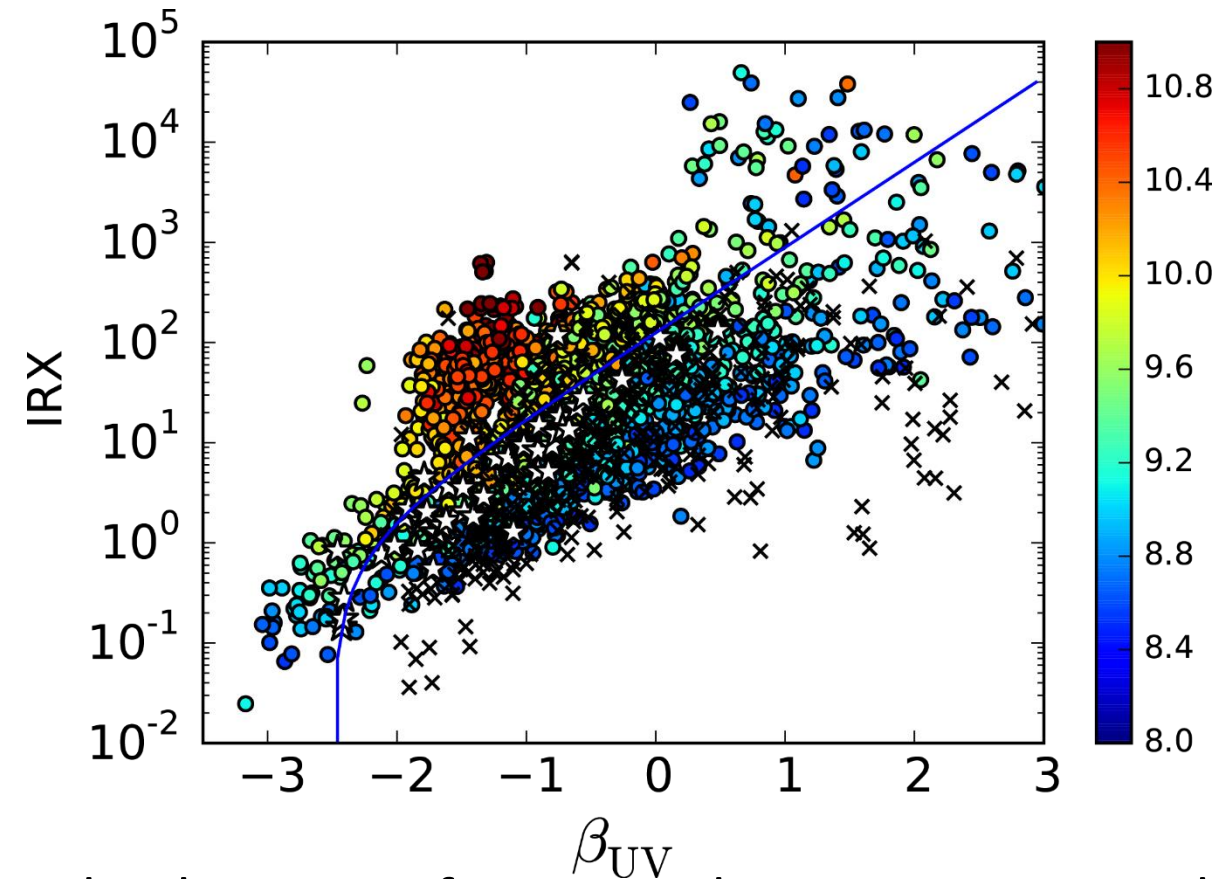
- Reproduced  $T_{\text{dust}} - L_{\text{IR}}$  relation

It indicates that our dust model describes the IR luminosity and the dust optical depth (or dust surface density) consistently.

●: M. S. Clemens et al. (2013)

▼: A. Amblard et al. (2010)

# IRX- $\beta_{UV}$ relation at $z=0$



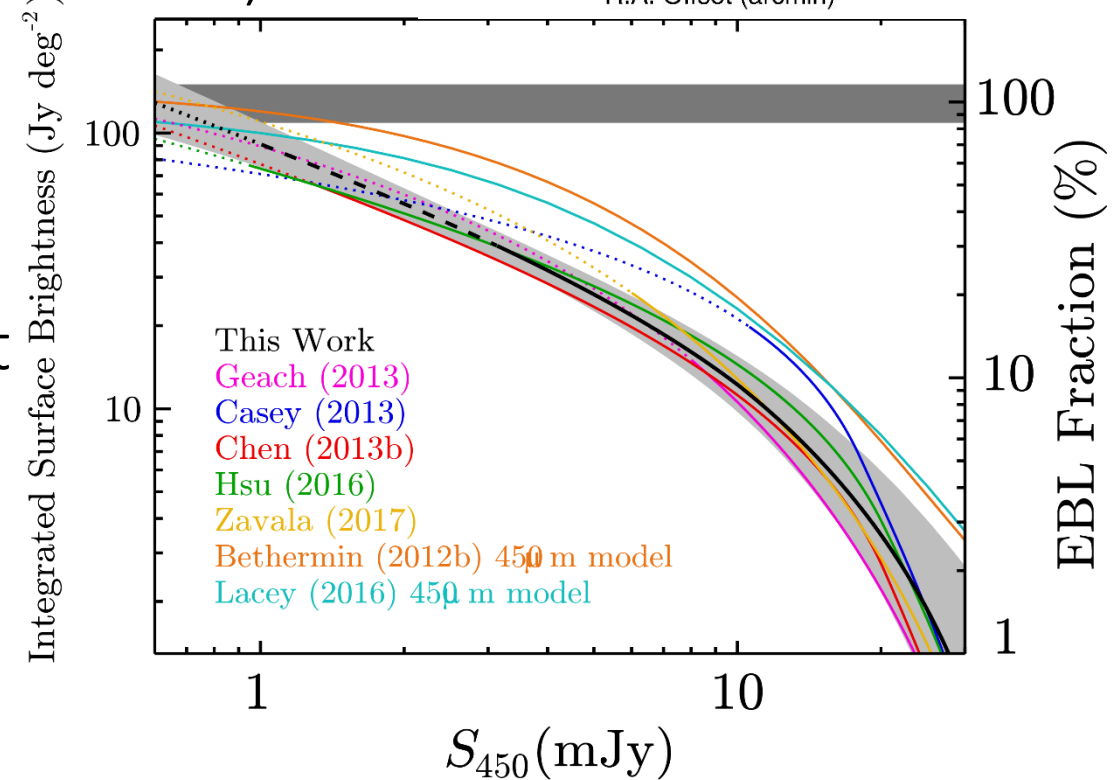
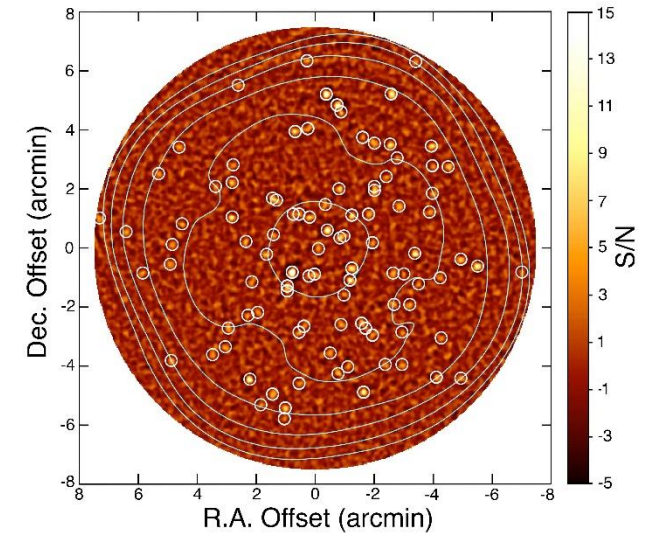
Blue line : Star forming galaxies: Meurer et al. (1999)

- Observational points are shown as stars ( $\star$ : Meurer et al. 1999) and cross ( $\times$ : C.M. Casey et al. 2014).
- We predict observational sequence and the scatter.
- Affected by the assumed geometry of dust distribution.  $\rightarrow$  screen geometry could disperse these points.

# STUDIES (SCUBA2)

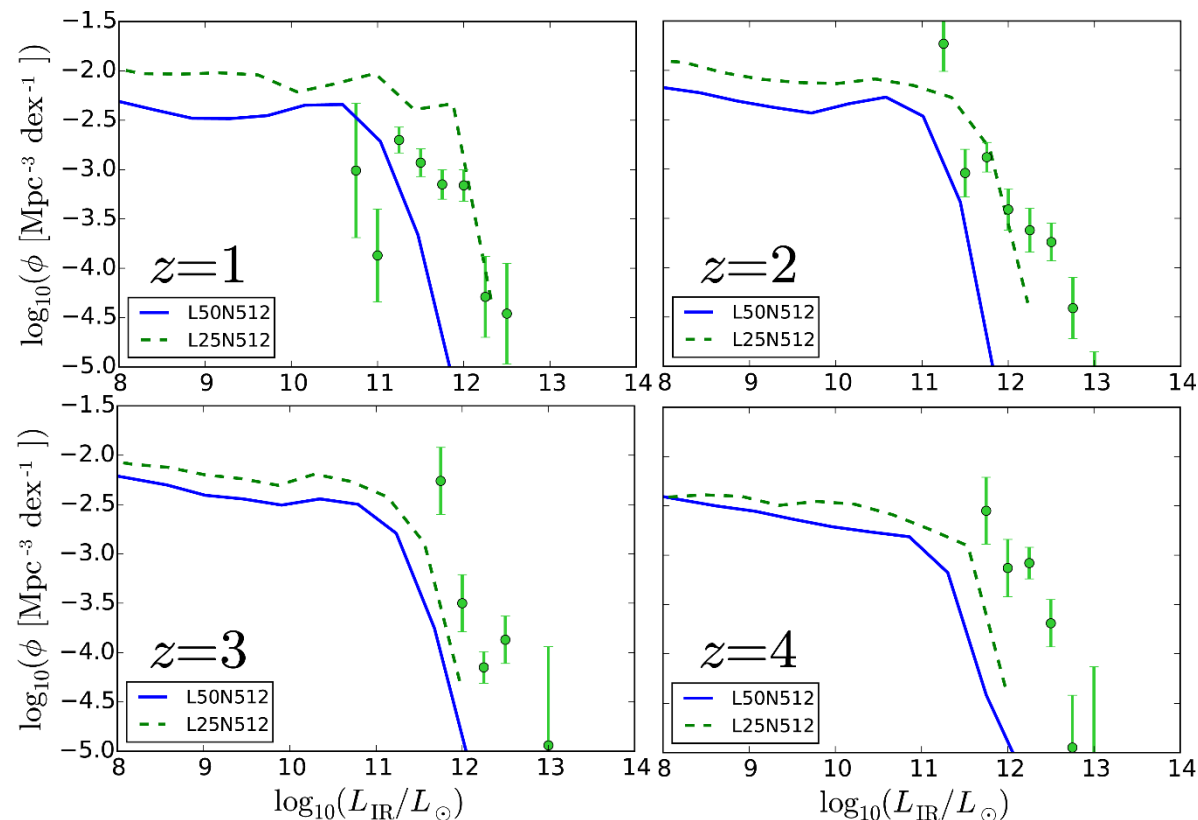
W-H. Wang et al. (2017), C-H. Lim in prep.

- $\lambda=450, 850 \mu\text{m}$
- Survey area: COSMOS-CANDELS region ( $151 \text{ arcmin}^2$ )
- Noise level  $0.91 \text{ mJy}$
- **Merit of JCMT**  
Taking advantage of the large aperture, fainter objects which *Herschel* cannot detect can be observed.
- The integrated surface brightness down to  $1 \text{ mJy}$  can account for up to  $83^{+15}_{-16} \%$  of COBE background.



W-H. Wang et al. (2017)

# Luminosity function @high-z universe

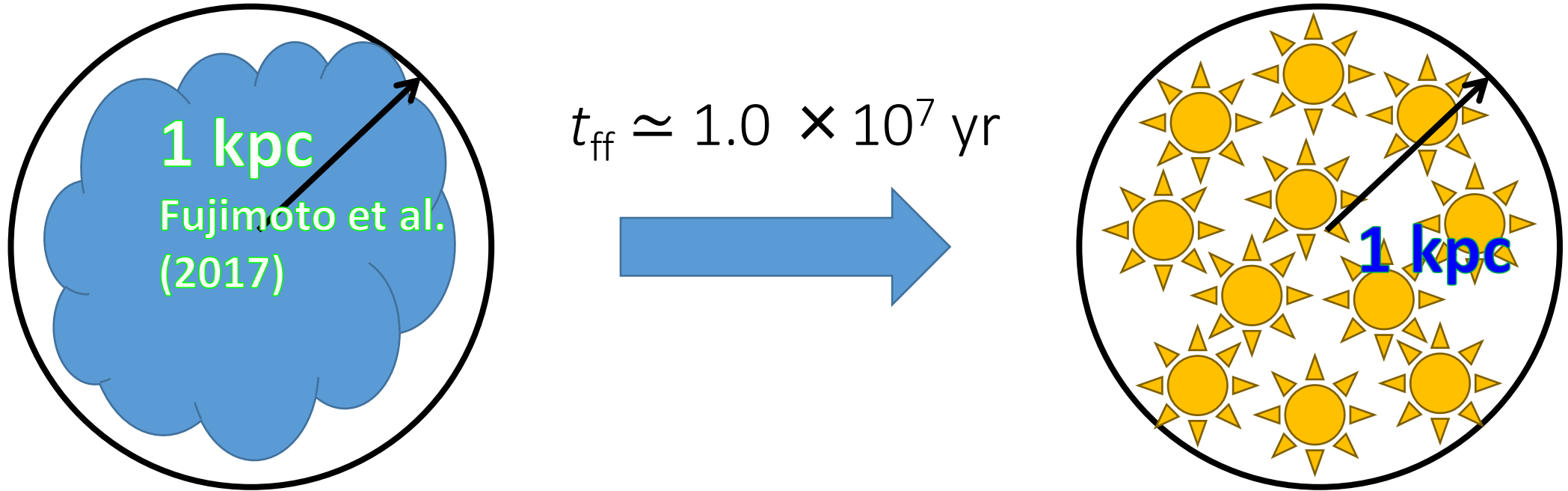


Solid L50N512 (Default)

Dashed L25N512

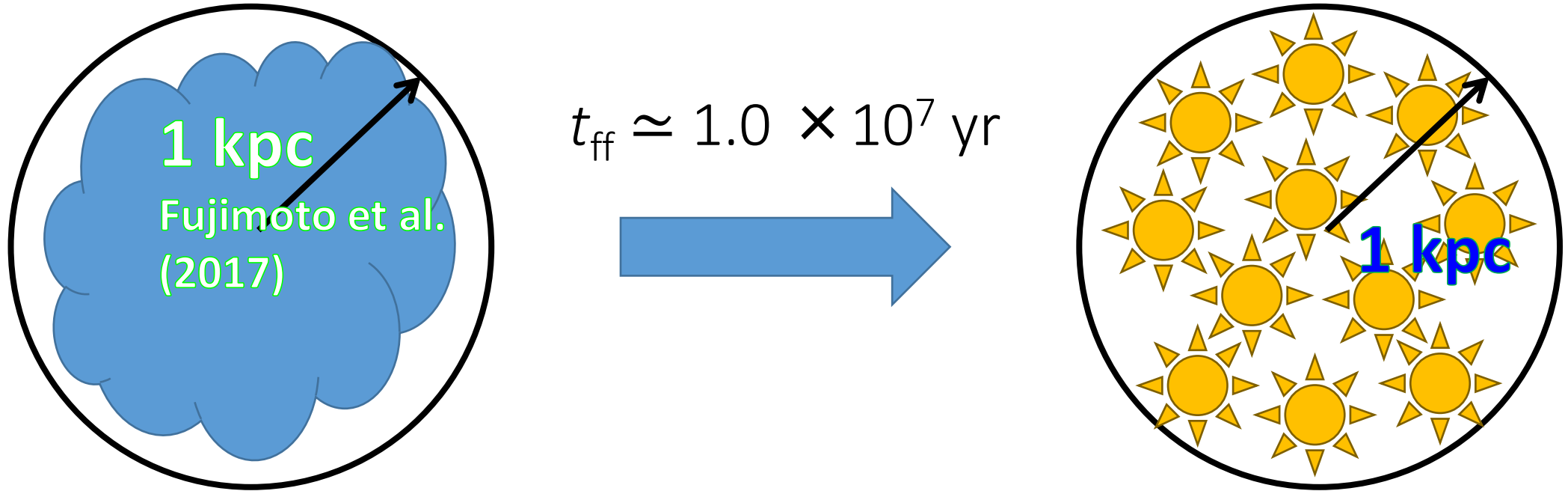
- Our snapshots are consistent with observation only at  $z \lesssim 1$ .
- When we performed a simulation whose spatial resolution is 2 times better, we can explain LF still up to  $z \simeq 2$ .
- It means that we cannot reproduce compact star burst at high- $z$ .
- Neglecting AGN heating does not make this difference.  
(e.g. Y-Y. Chang et al. 2017, C. Gruppioni et al. 2013 )

# “Maximum” stellar mass in this simulation



- When we consider a situation that all gas particles bounded in IR emitting region are converted into star particles within dynamical time scale.
- Because of the resolution ( $\simeq 0.3$  comoving kpc), only 37 particles can be packed within IR emitting region ( $\simeq 1$  kpc: S. Fujimoto 2017) at  $z=3$ . Thus created star mass becomes  $7.0 \times 10^8 M_{\odot}$  ( the age  $\simeq 1.0 \times 10^7 \text{ yr}$  ).
- According to SED table (Bruzual & Charlot 2003), the luminosity becomes  $2.5 \times 10^{11} L_{\odot}$ .

# “Maximum” stellar mass in this simulation

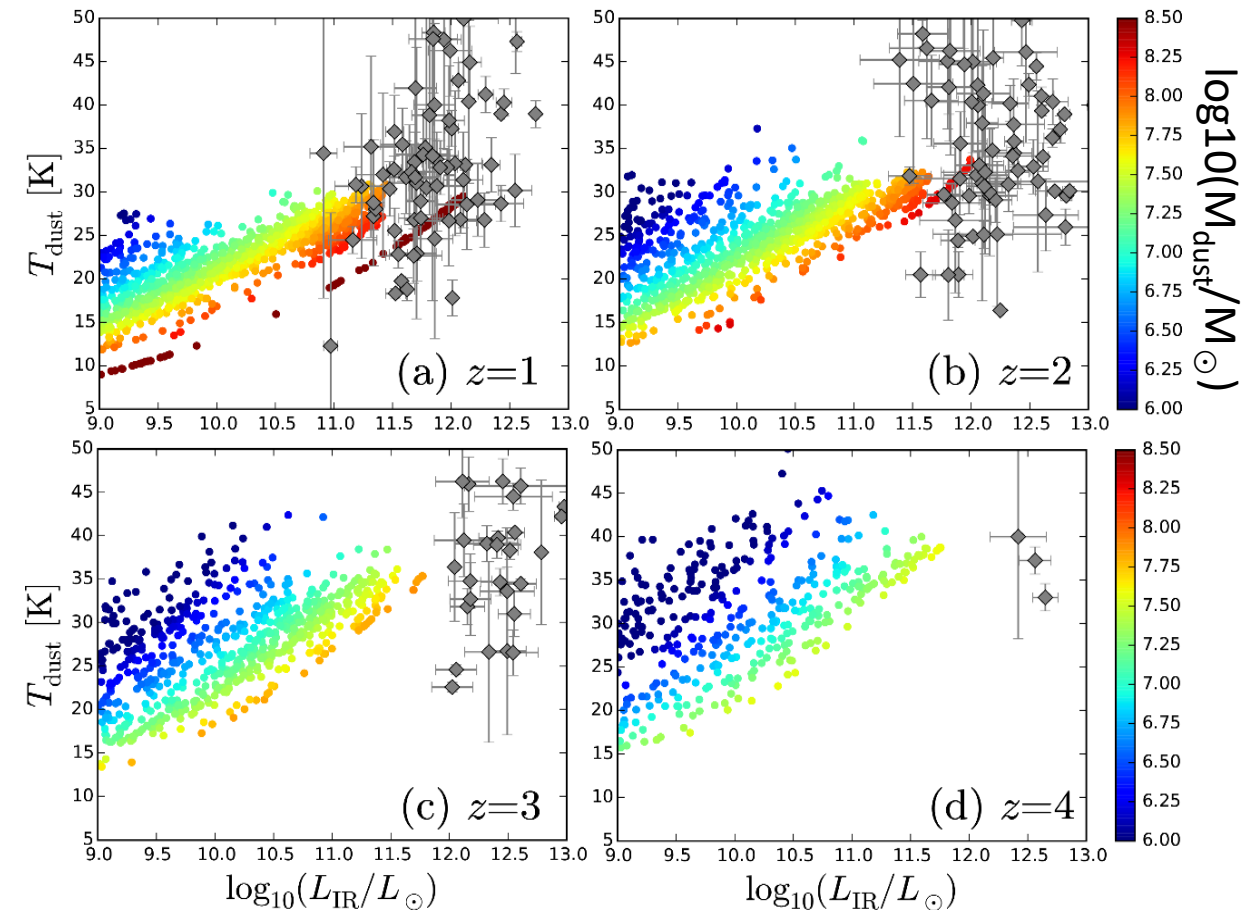


- Particle-based simulations with the finite resolution ( $0.3 \text{ ckpc}$ ) have the luminosity limit ( $2.5 \times 10^{11} L_{\odot}$ ).

Cf. a theoretical limit (Eddington limit)  $10^{13} L_{\odot} \text{ kpc}^{-2}$  (R. M. Crocker et al 2018)



# $T_{\text{dust}} - L_{\text{IR}}$ @ high-z universe

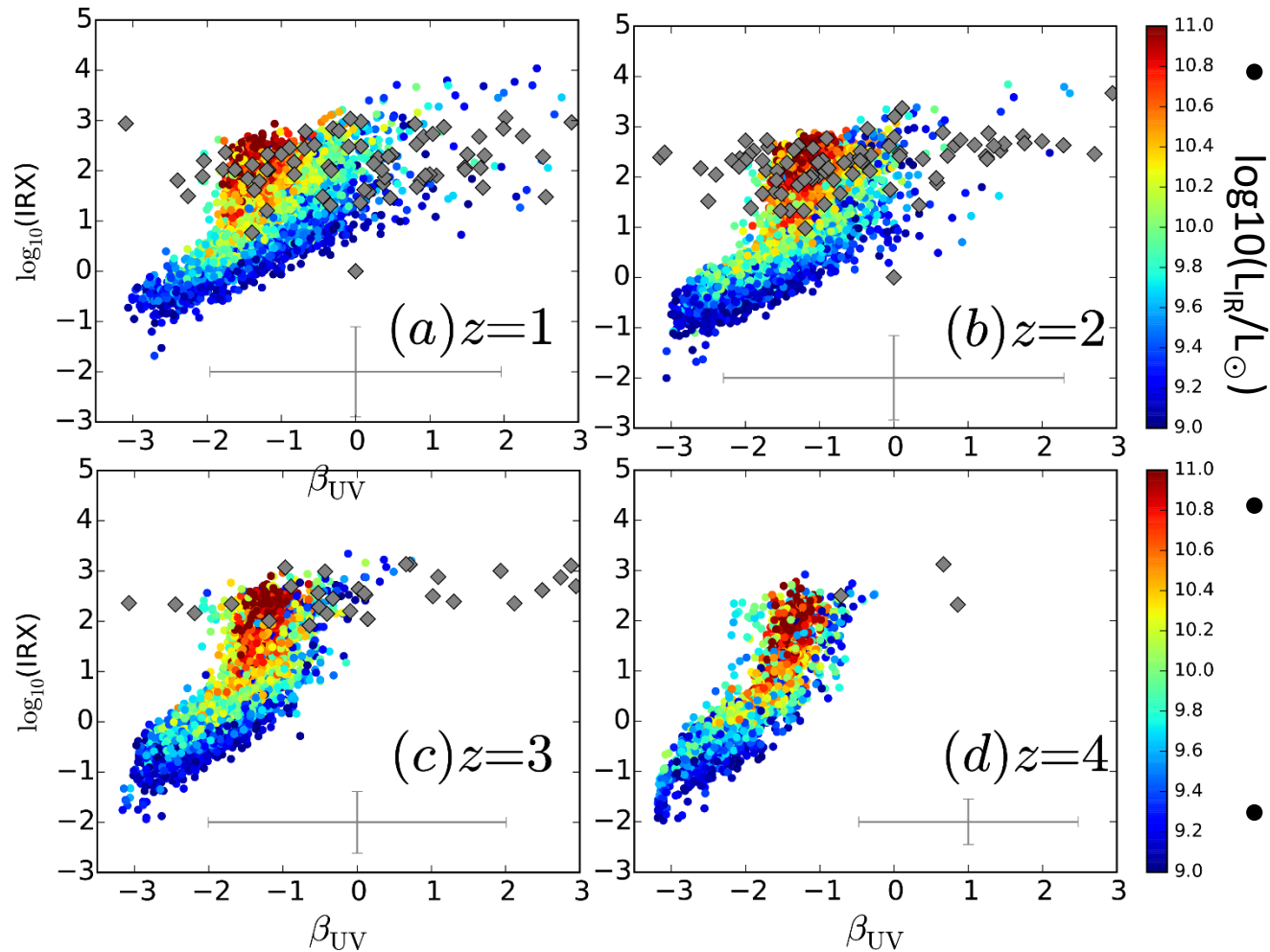


- Our prediction is located at luminous end around the center of the observational data points.
- In dusty galaxies, dust temperature becomes low because of increase of dust to stellar mass ratio.
- Because of lacking of star bursts, we cannot produce luminous enough galaxies at high-z.

# IRX- $\beta_{UV}$ @high-z universe

$$\text{IRX} = \frac{L_{\text{IR}}}{L_{\text{UV}}(1650\text{\AA})}$$

$\beta_{UV}$ : Slope of SED at UV



- IRX- $\beta_{UV}$  relation are explained by simulation results up to  $z \simeq 3$ . Dust abundance and extinction are successfully treated even at high redshift ( $z \lesssim 3$ ).
- The observation uncertainty of  $\beta_{UV}$  becomes large because the targets are optically faint.
- At  $z \simeq 4$ , some galaxies whose SEDs are very red cannot be explained.

# Summary

- We analyze our simulation results (Aoyama et al. 2018) and obtained IR luminosity function, dust temperature and IRX- $\beta_{UV}$  relation.
- At  $z=0$ , our simulation can explain IR luminosity function, dust temperature and IRX- $\beta_{UV}$  relation.
- At high redshifts, they are not explained by our simulation because of a lacking of star bursts due to basically resolution limit.
- However our treatment of dust extinction and IR emission works well when we compare the observation data (STUDIES).